# Determining the Habitat Occupancy of Young of Year Arctic Grayling (Thymallus arcticus) 

 in Sub-Arctic tundra Streams While Accounting for Imperfect Detectionby

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## Author's Declaration

I hereby declare that I am the sole author of this thesis. This is a true copy of the thesis, including any required final revisions, as accepted by my examiners.

I understand that my thesis may be made electronically available to the public.


#### Abstract

I developed multi-state, multi season occupancy models to determine how a number of interacting ecological variables influence the occurrence of young-of-year (YOY) Arctic Grayling (Thymallus arcticus) in nine streams on the sub-Arctic tundra. The model was developed and parameterized such that three different 'states' of occupancy were investigated (i.e., not occupied, somewhat occupied, and highly occupied), and temporal replication allowed me to account for uncertainty associated with imperfect detection; a common limitation of quantitative species-habitat-use studies. Depth and velocity decreased the probability of occupancy, and the effects were similar to previous Barrenland research. Stream Slope, Overhanging Cover, and Distance to Overwintering Habitat played a major role in explaining YOY Arctic Grayling habitat occupancy; while habitat complexity also was an important determinant. Electrofishing was more efficient at detecting YOY Arctic Grayling in somewhat occupied stream segments, while survey method is unimportant for detecting YOY in highly occupied stream segments. Also, detection efficiency varied between model seasons, and decreased with depth. By accounting for imperfect detection, my research improves the accuracy of occupancy estimates, and enhances our understanding of the habitat requirements of YOY Arctic Grayling in lake outlet streams of the sub-Arctic tundra. This should provide researchers and managers with a greater understanding of the habitats that YOY Arctic Grayling use, and enable researchers, resource managers, and regulators to track shifts in habitat use by YOY Arctic Grayling as climate change and growing industrial presence continue to shape the Canadian North.


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## List of Abbreviations and Symbols

| YOY | Young of Year Arctic Grayling |
| :---: | :---: |
| DOC | Dissolved Organic Carbon |
| S | Seasonal parameterization for occupancy estimates |
| Slope | Stream Segment Slope: Drop in elevation per meter of horizontal distance |
| D2OW | Distance to overwintering habitat: measured run-of-river distance to the nearest lake suitable for overwintering |
| GOHV | Good overhanging vegetation: Binary covariate representing $>50 \%$ stream cover provided by overhanging riparian vegetation |
| $\mathrm{H}^{\prime} / 5$ | Habitat complexity: Shannon-Weiner diversity index used to compare habitat type within each stream segment (i.e., run, riffle, pool, cascade, and shallow water pond) |
| D | Mean segment depth: measured along thalweg at four equi-distant points within each stream segment |
| $D_{1}$ | Mean segment depth in the first model-season |
| $D_{1,2,3,4}$ | Season-specific mean segment depth |
| DSQ | Mean segment depth squared |
| V | Mean segment velocity: measured along thalweg at four equi-distant points within each stream segment |
| $V_{l}$, | Mean segment velocity in the first model-season |
| $V_{1,2,3,4}$ | Season-specific mean segment velocity |
| VSQ | Mean segment velocity squared |
| CoeffV | Flow heterogeneity: coefficient of variation of velocity within each stream segment |
| $Q$ | Stream-level discharge |
| $Q_{1,2,3,4}$ | Season-specific discharge |
| Repeat | Repeat survey bias: covariate to test if the occupancy state of the first survey influenced the occupancy state of subsequent surveys |
| Method | Survey Method: covariate to test the relative detection efficiency between electrofishing+visual and visual-only methods |
| AIC | Aikake Information Criterion |
| AICc | Aikake Information Criterion with correction for small sample size |
| $\Delta \mathrm{AICc}$ | Difference in AIC scores between the a particular model and the top ranked model |

QAICc Quasi-likelihood estimation parameter with correction for small sample size
Variance inflation factor
Chi-square statistic
CPUE Catch per unit effort: expressed as number of fish detected per 300 seconds of survey effort

Probability a stream segment is somewhat occupied
Probability a stream segment is highly occupied
$\psi \quad$ Probability a stream segment is occupied $\left(\psi=\varphi^{[1]}+\varphi^{[2]}\right)$
Probability a stream segment is in the high occupancy state, given that the segment is occupied ( $R=\varphi^{[2]} / \psi$ ).
$\delta \quad$ State-uncertainty estimate: probability of correctly classifying a highly occupied segment, given that the segment is occupied
p1 Probability of detecting a single fish when the segment is somewhat occupied
p2 Probability of detecting a single fish when the segment is highly occupied
"There's love in this world for everyone, Every rascal and son of a gun."

- Michael Marra


## Chapter 1: General Introduction

## Arctic Grayling Biology

## Distribution and Basic Ecology

Arctic Grayling are a stenothermic, iteroparous, cold-water salmonid species that is valued by both Aboriginal and sport fishers (Tack 1974; Berkes 1990; Renner \& Huntington 2014). Like many salmonids, Arctic Grayling require many habitats to complete their life history (Schlosser 1991; Roussel \& Bardonnet 1997). In North America, Arctic Grayling occupy lakes, streams, and rivers in all three northern territories (mainland) and in Alaska, and in northern drainages in the four provinces moving west from Manitoba (Sawatzky et al. 2007; Stewart et al. 2007). This vast geographic range varies greatly in geomorphology and ecological/seasonal processes. To find suitable habitat, Arctic Grayling demonstrate a correspondingly plastic life history (Fausch et al. 2002); some populations employ a resident (lacustrine) life history whereas others are migratory (fluvial or adfluvial) (Tack 1980; Kaya 1991; Nykänen et al. 2004b).

Despite plasticity in life history, Arctic Grayling, are sensitive to habitat disturbance and exploitation (Buhl \& Hamilton 1991). Historically, Arctic Grayling occupied watersheds as far south as Michigan and the Upper Missouri basin of Montana and Idaho (Northcote 1995). Arctic Grayling in Michigan were not able to persist in the face of heavy development and angling pressure, and were extirpated from the area during the 1930s (Hubbs \& Lagler 1958). An isolated population still exists in the Upper Missouri Basin of Montana and Idaho, and is maintained as a catch and release sport fishery (Lohr et al. 1996; Lamothe \& Magee 2004).

It is believed that Arctic Grayling first colonized North America during the mid to late Pliocene (3-5 Million years ago), via the Bering Land-bridge. This was followed by several other colonization events throughout the Pleistocene (Stamford \& Taylor 2004). The greatest diversity of the genus Thymallus occurs in Eurasia, the suspected origin of the genus (Scott \& Crossman 1973), but Arctic Grayling are the only species within the genus that occurs in North America (Armstrong 1986;

Ahrenstorff et al. 2012). There are two known populations of Arctic Grayling in Asia; one in the Lake Bakail area of sourthern Siberia, and the other in the Amur basin of east Asia (Knizhin et al. 2008). Whether or not the Asian populations represent the source population for lineages in North America, or represent a biological artifact from potential "back migrations" is uncertain (Stamford \& Taylor 2004; Weiss et al. 2006).

## Life History

Arctic Grayling are easily distinguished from other salmonid species by their sail-like dorsal fin, their silver and mauve body colouration, and a striking array of iridescent colours displayed on their fin rays (Warner 1955). The intensity of the body colouration and the overall size of the dorsal fin signal social dominance and play a key role in mating success for male Arctic Grayling (Bishop 1971; Beauchamp 1990). Arctic Grayling are smaller than other salmonids, with an average weight and length of 400 grams and 350 mm , respectively (Craig \& Poulin 1975).

Depending on the length of the open water season, Arctic Grayling reach sexual maturity between 3-6 years of age, and their lifespan varies from 10-20 years (Tripp \& McCart 1974; DeCicco \& Brown 2006). After reaching maturity, Arctic Grayling employ an iteroparous reproductive strategy and undergo a spawning migration every spring for the duration of their life (Tack 1980). In tundra streams, where dramatic climactic events can sometimes decimate entire year classes, an iteroparous reproductive strategy likely confers a fitness advantage (Armstrong 1986); Arctic Grayling spread out their egg production over many years, thereby dampening the effect of environmental stochasticity on productivity, and enabling individual fish to build up energy stores to survive the winter months(Buzby \& Deegan 2004).

Arctic Grayling require spawning habitat that is vastly different from the habitat where they feed and overwinter. When possible, they select shallow, fast-flowing stream reaches where temperatures rise quickly in spring; this allows increased rates of metabolism and egg development (Craig \& Poulin 1975; Luecke \& MacKinnon 2008). Because eggs are extremely vulnerable to dislodgement by high flow or
flash flood events, passing through the 8 to 29 day incubation period as fast as possible greatly enhances chance of survival (Deegan et al. 1999). Spawning and incubation occurs mainly over coarse sand, and un-embedded pea-sized gravel (Warner 1955; Tack 1973). Once hatched, alevins spend 3-4 days within the substrate while absorbing the yolk sack. They then emerge as fry and seek shallow, calm water (Deegan et al. 2005). Later, young-of-the-year (YOY) Arctic Grayling move into areas with stronger flow to exploit greater drift feeding opportunities (Jones \& Tonn 2004b).

For optimal growth and energy storage rates YOY require stream rearing habitat with complex stream morphology and ample invertebrate drift feed with velocities below $0.8 \mathrm{~m} / \mathrm{s}$, and temperatures between $12-16^{\circ} \mathrm{C}$. YOY Arctic Grayling that have accumulated energy stores in the form of triglycerides are more likely to survive the extended sub-Arctic winters (Driedger et al. 2011; Heim et al. 2014). Once feeding, spawning, or overwintering habitats are established, Arctic Grayling show strong inter-annual site-fidelity for the rest of their life history (Buzby \& Deegan 2000). However, how the site-fidelity behaviour of Arctic Grayling respond in watersheds with significant shifts in habitat suitability has not been clearly established.

Arctic Grayling are opportunistic generalist feeders, feeding on a variety of benthic and pelagic invertebrates, terrestrial invertebrates, forage fish, and small mammals (Rawson 1950; Bishop 1967; De Bruyn \& McCart 1974). Ontogenetic shifts in Arctic Grayling diet, linked to changes in gape size, require rearing habitat to support a large diversity of prey types (Haugen \& Rygg 1996). After yolk sac reabsorption, the initial diet of Arctic Grayling mainly consists of zooplankton (Schmidt \& O'Brien 1982). Three to five days later, YOY begin selectively feeding on chironomid and simuliid larvae, and appear to avoid feeding on the far more abundant microcrustacea (Jones et al. 2003). This selective feeding behaviour aligns with the optimal foraging theory that predicts predators will focus on prey with higher energy gains rather than what is most available (Werner et al. 1983). Larger prey species, such as Acrididae and Coleoptera become an important energy source as Arctic Grayling mature (Jones et al. 2003a).

## Timing of Migrations

Because overwintering, spawning, and rearing habitats are not typically available in the same stream or lake, Arctic Grayling commonly adopt fluvivial or adfluvial behaviour to meet their life history requirements (West et al. 1992; Buzby \& Deegan 2000). The migratory circuit for Arctic Grayling typically involves annual movements between overwintering, spawning, and feeding habitats (Armstrong 1986; West et al. 1992). However, the timing and extent of these movements depend on seasonal ice dynamics and the proximity of suitable habitat for each life history event (Tack 1980). Results from previous research indicate that northern populations of Arctic Grayling begin spawning migrations as soon as water begins to flow in spring, and that spawning typically occurs between mid-May and midJune in relatively fast-flowing tributary, lake inlet, or lake outlet streams (Warner 1955; Bishop 1971; Beauchamp 1990). Migration timing is dependent on stream temperature, day length, and net stream discharge, with behavioural thermoregulation and rheotaxis being the main contributors for the initiation of spawning migrations (Kaya 1989; Northcote 1995).

Most mature Arctic Grayling appear to return to lakes or larger rivers soon after spawning (Jessop \& Lilley 1975; Northcote 1995), but there is anecdotal evidence of late stream residency by adults in Barrenland systems (Buzby \& Deegan 2000; personal observations). If Arctic Grayling can find ample food and cover in their overwintering habitat, it may be more beneficial to individual fitness to migrate back to overwintering habitat relatively early and face the increased predation risks in deeper waters versus the stranding risks of remaining in shallow streams (De Beers Canada 2010d). This is particularly true in Barrenland streams as discharges decrease quickly after freshet, which effectively decreases the functional connectivity of stream habitat (Baki et al. 2012). Researchers believe that Arctic Grayling are able to assess when stream characteristics become unfavourable (e.g., forage availability, temperature, and flow) and emigrate from these regions to return to overwintering lakes (Hughes 2000). Thus, if habitat suitability remains favorable, it is not unreasonable to assume that Arctic Grayling would use streams opportunistically, with an added advantage that streams can provide temporary refuge from large fish predators.

As predation risks to YOY Arctic Grayling are greater than their mature counterparts, the YOY exploit the relative refuge of their natal streams for the length of the open-water season (Buzby \& Deegan 2000). In autumn, declining discharge further reduces surface water connectivity in these shallow rearing streams and frazil ice begins to develop; eventually the streams freeze to the bottom (Brown et al. 2011; Heim et al. 2015). To avoid stranding and/or ice-related mortality, YOY Arctic Grayling migrate to lakes, deep pools, or groundwater-fed streams and rivers to overwinter (Armstrong 1986; Deegan et al. 1999; Huusko et al. 2007; Heim et al. 2014).

## BarRenland Populations of Arctic Grayling

## Life History

To understand the life cycle of Barrenland populations of Arctic Grayling, one must first understand the geomorphology and ecological process that influence the fish's ability to complete their life cycle. With mean annual precipitation between 265 and 290 mm , the Barrenlands are a "wet desert". While continuous permafrost holds the water table close to the land surface, arid conditions promote a rapid drop in stream water levels after spring freshet, rendering many Barrenland streams ephemeral by the end of the summer (Woo \& Mielko 2007). This, along with rapid ice formation in streams and shallow lakes in fall, forces Arctic Grayling to take on a fluvial-adfluvial migratory life history (Huusko et al. 2007) in the chain lake systems that are common to the northern Barrenlands (Stewart et al. 2007).

As described above, Barrenland populations of Arctic Grayling spawn and feed in streams that experience rapid shifts in discharge. As such, they are at a relatively high risk of stranding (Woo \& Mielko 2007). Finding suitable overwintering habitat presents another challenge; Barrenland Arctic Grayling must select a lake that is deep enough to sustain under-ice water with enough dissolved oxygen throughout the winter (West et al. 1992). Ice thickness in the Barrenlands extends to 2.5 meters, freezing many lakes and streams to the bottom. Suitable overwintering habitat is thus scarce and sporadic (Cott et al. 2008). The availability of overwintering habitat, and the distance and functional connectivity between suitable overwintering and spawning habitats, likely have a profound effect on the fitness, productivity,
and distribution of Barrenland populations of Arctic Grayling (Nykänen et al. 2004b; Lesack \& Marsh 2010; Baki et al. 2012).

Barrenland streams are well suited to YOY Arctic Grayling development, as they warm to between $12-16^{\circ} \mathrm{C}$ within two weeks after freshet (Jones et al. 2003b; De Beers Canada 2010b). However, the precipitation-associated spikes in stream velocity in Barrenland streams may cause dislodgment of YOY and increase mortality rates (Deegan et al. 1999). Sustained rain or thaw events often result in flash flooding (Marsh et al. 2008), and YOY Arctic Grayling that are not strong enough to hold their stream position may be swept downstream to unsuitable habitat where they are exposed to predators (Deegan et al. 1999). In some years, flash flood events in bog-type systems have caused complete year class failures in Arctic Grayling (Tack 1973).

## Timing and extent of migrations

Each year, Arctic Grayling move between three major habitat types: spawning sites, feeding sites, and overwintering habitat. However, the timing and extent of migratory life history of Arctic Grayling is influenced by regional geomorphology, ecological processes, and habitat heterogeneity (Northcote 1995). In mountain stream systems, Arctic Grayling often migrate over 100 km upstream each May to reach suitable spawning habitat (West et al. 1992). However, as many Barrenland streams are poorly sorted and thus have high habitat heterogeneity, it is possible that Arctic Grayling in the Barrenland region do not have to travel as far to find suitable spawning habitat (Jones et al. 2003b). The complexity, intermittency, and variable water temperatures in Barrenland streams likely restrict the timing and extent of Arctic Grayling movement patterns and habitat use, but these relationships have not been studied extensively (Jones \& Tonn 2004b).

The movement patterns of European Grayling (Thymallus thymallus) are also influenced by regional differences in the ecological composition of watersheds (Parkinson et al. 1999; Nykänen et al. 2004a; Bass et al. 2014). Fluvial European Grayling in Finland have been observed to migrate up to 37 km to find suitable spawning and summer feeding habitat, but the majority of migrations remain between

0 and 15 km (Zakharchenko 1973; Nykänen et al. 2004a). Lacustrine or fluvial-adfluvial European Grayling adults in the sub-Arctic lakes of Norway use spawning and feeding sites only briefly in the spring (Bass et al. 2014). Adults return to overwintering lakes for the rest of the open-water period because the stream systems are too shallow; seasonal drops in flow limit the profitability of stream habitat (Bass et al. 2014). Similar factors (i.e., water depth, discharge) may influence the distribution and habitat use of adfluvial Arctic Grayling in the Kennady Lake area.

Water depths, velocities, and stream substrates occupied during summer feeding by adult Grayling is also similar between European Grayling in stream systems in northern Europe, and North American Arctic Grayling populations (i.e., $>0.4 \mathrm{~m} / \mathrm{s}, 0.8-1.2 \mathrm{~m}$, and primarily boulder substrate, respectively; Mallet et al. 2000; Nykänen et al. 2001). Mature European Grayling tend to show strong site fidelity to summer feeding positions, with seasonal home ranges less than 75 m , even when changes due to flow or temperature influence the profitability of this habitat (Nykänen et al. 2001; Nykänen et al. 2004b). Interestingly, in streams where water depths are within the European Grayling's preferred summer range ( 0.8 to 1.2 m ; Nykänen et al. 2004b), the fish tend not to associate with overhead cover when avian predators are abundant. Instead they rely upon schooling, depth as cover, and fleeing to nearby lakes to evade predators. Other salmonids tend to rely heavily on cover to prevent avian-predation (Fraser \& Huntingford 1986). While there may be some transferability of findings on European Grayling to North American Arctic Grayling, there is still a need for further characterize movement patterns and habitat use in the Canadian Arctic. Furthermore, the majority of studies on European Grayling have focused on montane and boreal stream reaches close to human populations. Thus, there remains a great deal of uncertainty as to how Arctic Grayling use habitat features on the Barrenland tundra.

There is limited information on Arctic Grayling migration patterns in the Barrenlands. Qualitative analysis of three tagged Arctic Grayling adults in the Kennady Lake watershed in 2005 revealed that all three Grayling moved from the outlet (spawning) stream back to overwintering habitat shortly after spawning (i.e., mid- to late-June; De Beers Canada 2010e). During the remainder of the open-water
season, these fish moved between various basins of a large Barrenland lake. In another study of adult Arctic Grayling, tagged individuals in tundra streams in the Northwest Territories moved through a fish pass in a constructed choke-pool fish, but would not use gabion-style stepped pool-weir passes (Cahill et al. 2015). Results from studies on YOY indicate that these fish are first detected in Barrenland streams $\sim 3$ weeks after eggs are deposited, which usually occurs between mid- to late-June (Stewart et al. 2007). YOY tend to occupy shallow, slow-flowing stream habitats in early summer and faster, deeper midstream habitats in later summer (De Bruyn \& McCart 1974; Lee 1985; Jones \& Tonn 2004b). Migrations to winter lake habitats occur between mid-August and mid-September, and are undertaken to avoid mortality resulting from rapid ice formation and decreasing stream discharge (Armstrong 1986; Huusko et al. 2007; Heim et al. 2015)

## IMPETUS FOR STUDY

The main impetus for this study is to improve understanding of YOY Arctic Grayling life history in sub-Arctic Barrenland watersheds. My research is driven by two imperatives: the mitigation of industrial impacts, and a contribution to the scientific knowledge base. Results from my M.Sc. thesis will contribute to the development of a statistically robust baseline dataset that can be used in future years to determine how habitat use by YOY Arctic Grayling changes in response to changes in habitat suitability. This will allow industrial managers and government regulators to construct adaptive management and monitoring plans as the north begins to open up to resource extraction and development. We still know very little about the habitat-use patterns of YOY Arctic Grayling.

Because the literature on this subject is so sparse, it is difficult to make substantiated claims on the effects of regional differences in stream morphology, overwintering habitat availability, flow dynamics and overhanging cover on the distribution and occupancy of YOY Arctic Grayling. To my knowledge, only one prior study has attempted to characterize the habitat-use patterns of YOY Arctic Grayling in the sub-Arctic tundra system (Jones \& Tonn 2004b). Jones and Tonn (2004b) characterized resource use in two streams, one artificial and one natural, limiting the applicability of the study's
findings. I had the opportunity to fill in knowledge gaps by studying YOY Arctic Grayling habitat use across a greater spatial range. This allowed me to explore habitat covariates that may not have been available in the previous study (e.g., distance to overwintering habitat, stream slope, and overhanging riparian cover).

To maximize the inferential power of this study, I used a habitat occupancy modeling approach (MacKenzie et al. 2003), and expanded the spatial scale from two streams to nine without compromising the resolution of quantifiable habitat characteristics.

## OCCUPANCY MODELS

## Model Structure

Occupancy models are a recently-developed statistical method for representing the presence or absence of a species on a landscape as it relates to environmental covariates (MacKenzie et al. 2006). Unlike previous presence/absence models, occupancy models explicitly account for imperfect detection, whereas previous models assumed perfect detection efficiency (i.e., if a species is present, it was detected $100 \%$ of the time; Williams et al. 2002; Martin et al. 2005). Failure to account for imperfect detection has the potential to bias model outputs, and can mislead conservation authorities and environmental managers as to the true status of their study populations (MacKenzie 2005). This is especially true when varying site or survey covariates (e.g., cover, flow dynamics, or predation risk) influence detectability (Bayley \& Peterson 2001; Nichols \& Karanth 2002). To illustrate, if results of a model indicate that the removal of low-lying brush results in increased presence of certain mouse species, is this increase in habitat occupancy due to an actual increase in presence of that mouse species, or an increase in detectability? Without accounting for imperfect detection, it would be impossible to provide evidence that supports or denounces either hypothesis. Occupancy modeling offers a solution to this problem by including repeat surveys of sampling units (temporal or spatial) in an area of interest as part of the experimental design; these repeat surveys are performed during a time when overall occupancy (i.e., species is present or
species is absent) of a given sampling unit is not expected to change (Rota et al. 2009). In occupancy modeling terms, this static occupancy state represents the assumption of 'closure' (i.e., closed to changes in occupancy). Inferences gained from estimating probability of detection are then used to better estimate probability of occupancy (MacKenzie et al. 2006).

To design an occupancy model study, researchers begin by identifying an area of interest-the area of a landscape where we are interested in finding out where habitat is used and not used. The area of interest is then split into discrete survey units (MacKenzie et al. 2006). The size of survey units is driven by both practical and biological considerations (Hines et al. 2010); biologically, the units must be large enough so that the assumption of 'closure' is met (MacKenzie et al. 2002). The unit must also be small enough that environmental covariates that influence the occupancy of a species can be well-characterized. Logistics often constrain the number of units a researcher is able to visit during each sampling period, so an a priori set of sampling units is decided upon for repeat surveys using power analysis (Field et al. 2005; Guillera-Arroita \& Lahoz-Monfort 2012). Next, data on hypothesis-driven landscape characteristics are recorded for each survey unit (e.g., temperature, habitat type, water depth). These environmental covariates fall into two categories: occupancy-specific and detection-specific (MacKenzie et al. 2002). Occupancy-specific covariates are gathered to test their effect on habitat occupancy, and must be a constant or average value across all sampling surveys (e.g., average water depth at a given unit of stream during three sampling surveys in July and August). In contrast, detection-specific covariate data are gathered to test for effects on detection efficiency (e.g., time of day, cloud cover, etc), and these may vary between each survey (Pellet \& Schmidt 2005).

There is a trade-off in the design of occupancy model-based studies; samplers must choose between increasing the number of repeat surveys or increasing the number of sites visited. Optimization decisions are based on a priori knowledge on the detectability of the study species, as well as the scale at which the researcher wants to make inferences. Once data are gathered, models are run in the software PRESENCE (MacKenzie et al. 2002) to determine the probability of species occupancy and detection based on the data (downloadable from http://www.proteus.co.nz).

Once the researcher has specified hypotheses related to probability of occupancy and detection, model sets are created, tested, and ranked using Akaike's Information Criterion (AIC). Following the principle of parsimony, AIC uses log likelihoods and degrees of freedom to find models that account for as much of the variation as possible, with the fewest number of parameters (Burnham \& Anderson 1998; MacKenzie \& Bailey 2004).

## Model Assumptions

The main assumptions of occupancy models include closure, survey independence, accurate species identification, and no unmodelled heterogeneity. Again, closure means that survey sites that are occupied remain occupied and sites that are unoccupied remain unoccupied for the duration of the userdefined sampling season (Rota et al. 2009). Survey independence means that repeated temporal surveys do not influence the study species' detectability and the presence or absence in following surveys (MacKenzie \& Royle 2005; Canessa et al. 2015). Accurate species identification means that species are not misidentified to give either a false absence or a false presence. Finally, no unmodelled heterogeneity requires that all variation in occupancy and detection efficiency is accounted for by environmental covariates. This final assumption is not possible to fulfill, but efforts should be made in the hypothesisgenerating process to identify all possible influencing factors and include them in the model (Dorazio et al. 2006)

## Benefits of Occupancy Models

By accounting for imperfect detection and relying on presence absence data, occupancy models confer several other advantages over previous presence/absence model types (Dextrase et al. 2014). These advantages include an improved transferability of results between study sites and years by accounting for spatio-temporal variation in detectability, reduced sampling time by relying on incidence data, and an $a$ priori ability to explicitly evaluate sampling design (power analysis) with regard to temporal replication
versus spatial coverage (Guillera-Arroita \& Lahoz-Monfort 2012; Dextrase et al. 2014). In the Arctic, where the cost of research is exponentially higher than in southern regions, and where we still have vast tracts of unstudied and uncharacterized habitat, these model improvements are highly prized efficiencies.

Since occupancy models characterize areas that are occupied as well as areas that are unoccupied, they may allow us to monitor changes in species distribution that previous "presence-only" type data sets could directly address. With presence-only models (e.g. mark-recapture), true species absences cannot be differentiated from false absences (i.e., the species is there, but we cannot detect it), and habitat characteristics associated with species' absence are not investigated (MacKenzie \& Bailey 2004). Occupancy models, with their presence/absence data and detection efficiency estimations, enable a more complete characterization of species' distribution and habitat use. Thus, these models also possess more reliable predictive and monitoring power (MacKenzie 2006; Bailey et al. 2014).

## Limitations of Occupancy Models

While having many benefits, occupancy models also possess a few limitations, especially when it comes to dealing with abundance; presence/absence data do not yield inferences on relative abundance. Instead, researchers are encouraged to model changes in species distribution to monitor populations. Recent developments in multi-state occupancy models can, however, be used to develop semi-quantitative inferences on coarse abundance states (e.g., high, low, medium abundance; Nichols et al. 2007; Jensen \& Vokoun 2013). Multi-state models are employed in this thesis.

## Improvements to Current Understandings

By exploiting the advantages of recently-developed occupancy models, I can improve upon previous studies of habitat use by YOY Arctic Grayling in Barrenland streams. Relative to the most detailed previous work (Jones \& Tonn 2004b), I increased the spatial and temporal scale of sampling, estimated probability of detection with repeat surveys, and collected habitat variables in areas where the species was absent as well as present. I also quantified the detection efficiency (for YOY Arctic Grayling)
of two common sampling methods - electrofishing and visual surveys - in hopes of optimizing sampling efforts for future monitoring programs. This study will act as a useful baseline for future long term studies. Multi-season and multi-year monitoring programs function well with occupancy models, because accounting for imperfect detection improves the transferability of findings and researchers can relate changes in habitat variables to changes in immigration and extinction rates between years or seasons (Fausch et al. 2002; MacKenzie et al. 2003).

In summary, occupancy models offer a lot of advantages over previous presence/absence and presence-only models of species' distribution and habitat use. Occupancy models can be used in the establishment of large-scale monitoring programs (e.g., Ferraz et al. 2007; Pavlacky et al. 2012), and may be especially useful in remote northern environments, where it is vitally important to optimize the efficiency of sampling designs. As we refine sampling techniques based on a priori data, it is possible to establish highly reliable and statistically robust model sets that can be used by environmental managers and other decision makers to monitor and conserve populations. Furthermore, these models increase our understanding of species distribution, and provide the opportunity to evaluate changes in species distribution as it relates to anthropogenic disturbances such as industrial activity and climate change (Rockstrom et al. 2009).

## Local Implications

The reason for studying the life history of Arctic Grayling in the Barrenlands was provided by regulators and industrial managers involved with the development of a new open-pit diamond mine development in the Northwest Territories: Gahcho Kué. To access diamond-bearing kimberlite bodies, found beneath lake basins, the proposed open-pit mining development will isolate, fish-out, and drain a section of Kennady Lake (Figure 1.1). As Kennady Lake is a headwater lake, these changes will significantly alter watershed morphology, seasonal flow regimes, and the functional connectivity downstream of Kennady Lake.


Figure 1.1. Map of study area.
In 2013, the Fisheries Act was amended to remove protection to fish habitat, and instead focus on protecting recreational, commercial, and aboriginal fisheries. While Arctic Grayling are an important recreational and aboriginal fishery, and would continue to be protected under the version of the Fisheries Act (2013), the recent changes do not apply to the Gahcho Kué diamond mine development, as initial stages for this project began in the mid-1990s. Instead, this study site is regulated by the rules and guidelines in the previous iteration of the Fisheries Act (1985) that states the occurrence of harmful alteration, disruption, and destruction (HADD) to fish and fish habitat be prevented. The Fisheries Act dictates that management resources be focused on reducing harmful impacts to fish and fish habitat, and when possible ensuring No Net Loss (NNL) of the productive capacity of the fishery (Department of

Fisheries and Oceans 1985). Productive capacity, here, can be defined as "maximum natural capability of habitats to produce healthy fish... or to support or produce aquatic organisms upon which fish depend".

In this project, a portion of the resources devoted to NNL is being used (as directed by Fisheries and Oceans Canada) to fund independent research in the development area. The hope is that shifting the focus toward independent research will help to remove any uncertainty regarding the impact of the mining activity, fill in knowledge gaps on northern fishes, and provide scientifically defensible information to advise habitat management and monitoring programs. My research focuses on describing the habitat use of YOY Arctic Grayling; Arctic Grayling use both Kennady Lake and the adjacent lakes and streams for spawning, rearing, and overwintering.

## STUDY AREA

The Kennady Lake drainage system is located approximately 280 km north northeast of Yellowknife (ca. $63^{\circ} 26^{\prime} 15 \mathrm{~N}, 109^{\circ} 11^{\prime} 51 \mathrm{~W}$ ) (Figure 1.1). Kennady Lake is a headwater lake approximately 20km north of the treeline, within the sub-Arctic Tundra Shield ecozone (Ecosystem Classification Group 2012). Commonly known as the "wet desert", the sub-Arctic Tundra is characterized by a low Arctic climate; with average annual precipitation levels between 260 and 275 mm . Shrub tundra dominates the landscape with scattered black spruce and dwarf birch groves populating lake shores and other sheltered areas. The sub-Arctic tundra ecozone is a low-relief bedrock plain covered with blankets of hummocky glacial till made up of granite derived Brunisols and organic Cryosols (Ecosystem Classification Group 2012). Permafrost is continuous in the area, except under deeper lakes (i.e. Kennady Lake) where large open taliks exist and connect with deep groundwater flow nearly 300 meters below land surface (De Beers Canada 2010a). Formed because continuous permafrost holds water to the surface, the Kennady Lake watershed is made up of a series of several small, shallow lakes (other than Kennady Lake depths vary between 1-8 meters) connected by short outlet streams (lengths vary btw. $60-400 \mathrm{~m}$ ) that make a chain-lake structure in the low lying areas.

Kennady Lake is a headwater lake within the Lockhart Drainage system. It flows north to join the Lockhart River system at Aylmer Lake, then curls back south in a clockwise fashion. The Lockhart River drops approximately 200 m in elevation before draining into Great Slave Lake. From there, water mixes with several other drainage systems, and follows the Mackenzie River north to the Arctic Ocean. My main study area, the Kennady Lake watershed, consists of a series of nine connected lakes and lakeoutlet streams flowing north from Kennady Lake (i.e. Kennady Lake and the L and M lakes and streams) (Figure 1.2). This set of lakes and streams, along with the N -system directly west of Kennady Lake, have been identified as likely candidates to be impacted by the diamond mine development once flow diversion commences. Flow will be diverted from Kennady Lake watershed into the N watershed, so the N watershed will experience yearly flow rates that exceed the natural variation of the system. The L and M water bodies will likely experience flow rates lower than natural variation once mining production begins. However, the N watershed joins the Kennady Lake watershed at Lake 410 (Figure 1.1), and the flow regime of the combined drainages is expected to return to natural variation as it flows through the $P$ watershed to Kirk Lake.


Figure 1.2 Map of study area and surrounding watershed (De Beers Canada 2010b).
With a surface area of $11.8 \mathrm{~km}^{2}$ and a maximum depth of 18 meters, Kennady Lake is the largest and deepest lake in the study area. Kennady Lake is oligotrophic, with characteristically low nutrient levels ( $4-6 \mathrm{mg} / \mathrm{L}$ DOC, $0.3-9 \mathrm{mg} / \mathrm{L} \mathrm{PO}_{4}{ }^{3-}, 0.005 \mathrm{mg} / \mathrm{L} \mathrm{NO}_{3}{ }^{-}$), specific conductivity $(9-25 \mu \mathrm{~S} / \mathrm{cm})$, hardness $(0.5-7 \mathrm{mg} / \mathrm{L})$, and total alkalinity ( $1-30 \mathrm{mg} / \mathrm{L}$ ); and these oligotrophic characteristics are consistent throughout the drainage system (De Beers Canada 2010c). Nine fish species inhabit Kennady Lake: Northern Pike (Esox lucius), Lake Trout (Salvelinus namaycushi), Arctic Grayling (Thymallus arcticus), Round Whitefish (Prosopium cylindraceum), Burbot (Lota lota), Longnose Sucker (Catostomus catostomus), Slimy Sculpin (Cottus cognatus), Lake Chub (Couesius plumbeus), and Ninespine Stickleback (Pungitius pungitius).

Ice dynamics in the region play an in important role in nutrient dispersal, functional connectivity, and the life history of aquatic species. Ice formation begins in late September as temperatures fall below freezing, and remain below zero until mid to late May (De Beers Canada 2010b). As mean monthly
temperatures between December and March are below $-20^{\circ} \mathrm{C}$, lake ice thickens rapidly throughout the winter. Lake ice thickness reaches a maximum extent of 2m by April (De Beers Canada 2010b). Since the ice is so thick, many of the smaller lakes in this study system likely do not provide suitable overwintering habitat due to their shallow depth (often $<5 \mathrm{~m}$ ), thick ice (often exceeding 2 m in thickness), and corresponding lack of oxic bottom waters (Clilverd et al. 2009; unpublished data). Ice-off occurs nearly a month and a half after the initiation of spring thaw (late June).

In mid to late May, the snow pack melts and the streams begin to thaw. The connective channels between lake outlets are quickly re-established, but persistent lake ice cover influences the temperature of the connecting streams thereby, influencing the physiology and life history of the species that use these corridors for spawning and feeding. All nine fish species present in the Kennady Lake drainage use the connective streams to fulfill some aspects of their life history (De Beers Canada 2010d).

Stream temperatures during the open-water season range from $1^{\circ} \mathrm{C}$ to $20^{\circ} \mathrm{C}$. Undercut banks, sedge tussocks (Eriphora spp.), dwarf birch (Betula nana), willow (Salix spp.) and small, isolated black spruce (Picea mariana) provide cover for fish along lake and stream margins, whereas large boulders, bur-reed (Sparganium hyperboreum), and mare's tail (Hippuris vulgaris) provide patches of instream cover. The streams are often braided, or multi-channeled, and the streambed is poorly-sorted and dominated by boulders. Streams vary in length from $\sim 100$ to 400 m , and are generally shallow (average depth $0.01-1 \mathrm{~m}$ ) and wide (range $4-80 \mathrm{~m}$, bankfull width in June)

As continuous permafrost holds water to the surface, precipitation or meltwater are quickly funneled into low lying areas. This results in sharp fluctuations in stream discharge after precipitation events (Woo 2012). However, arid summer conditions promote rapid evaporation and drawn down rates, so some stream segments become impassable to fish (Golder Associates 2012). In some years, increased autumn precipitation levels increase stream discharge enough to reestablish functional connectivity just prior to freeze up (De Beers Canada 2010b).

## Thesis ObJectives

The objective of my thesis is to increase understanding of YOY Arctic Grayling life history in a sub-Arctic Tundra stream setting. I use multi-state, multi-season occupancy models to clearly discern patterns in Arctic Grayling habitat occupancy and detection efficiency. My results lend insight into Arctic Grayling life history that is part descriptive and part hypothesis testing.

Objectives:
a. Relate occupancy of Arctic Grayling in sub-Arctic Tundra streams to a suite of habitat variables.
b. Account for imperfect detection, and relate environmental covariates to nonrandom variation in detection probabilities.
c. Compare two sampling method for detecting YOY Arctic Grayling in sub-Arctic Tundra streams: electrofishing and visual.

## Relevance

Business, political, and aboriginal leaders have elected to extract resources from this pristine watershed. By learning more about the life history of Arctic Grayling, we can alter, refine, and improve current best-practice management procedures related to water management and fish habitat management. Furthermore, by conducting these studies in advance of watershed alteration we can construct a baseline to which future data can be compared (Lapointe et al. 2014). These comparisons can be used to evaluate the effectiveness of highly experimental management practices, and suggest alterations should managers and conservation authorities see fit. Finally, by applying the latest advancements in statistical modeling to a pristine and unique system like Kennady Lake, we contribute to the development and calibration of these methods.

By learning as much as we can about the species that reside beyond the direct footprint of mining development, and take actions-through management, mitigation, or reclamation efforts-we can lessen the negative effects derived from significant alterations made to the watershed. Federal government
regulators, DeBeers Canada, and the University of Waterloo have made a commitment to explore the complex interactions of the species in this area with their environment; with a particular focus on Arctic Grayling. Arctic Grayling are a good indicator of alterations to stream productivity as their life history requirements depend on their ability to access the full extent and heterogeneity of this sub-Arctic Tundra watershed.

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## Chapter 2: Habitat Occupancy of Young of Year Arctic Grayling (Thymallus arcticus)

## INTRODUCTION

The Arctic is currently experiencing a period of rapid change in climate and hydrology (Stieglitz et al. 1999). Over the next 100 years, researchers predict an increase in atmospheric temperatures, precipitation, and snow depth along with a thawing of the permafrost layer (Prowse et al. 2011). These hydrologic and cryospheric changes, combined with ever-growing industrial development in the north, are having, and will continue to have, a profound effect on Arctic and sub-Arctic lotic ecosystems, and will likely result in increased stream temperatures, and increased functional connectivity (Rouse et al. 1997; Woo \& Mielko 2007; Quinton et al. 2011; Connon et al. 2014). Unfortunately, climate- and industryinduced changes are outpacing the capacity for regulatory bodies to meaningfully assess and mitigate impacts (Schindler 2001), which is of paramount concern because many Arctic and sub-Arctic freshwater ecosystems provide subsistence resources for local peoples (Berkes 1990; Miltenberger \& Strahl 2014).

Changes in climate and hydrology are predicted to affect habitat use and distribution in northern fishes (Reist et al. 2006a; Reist et al. 2006b). Changes in nutrient availability, hydrologic dynamics, fish metabolic rates, interspecific competition, and predation are predicted to constrain the regional/subcontinental dispersal and distribution for some northern fishes, while aiding in the proliferation of others (Reist et al. 2006b). It is likely that fishes with a migratory life history and those that use a variety of freshwater habitats are particularly vulnerable to climate-induced changes in hydrology, but scientists are unsure of the inferential reliability of large scale trends and hypotheses when predicting effects in specific catchment systems; especially in remote, poorly-studied ecosystems such as sub-Arctic tundra chain lake systems (Reist et al. 2006a). To address uncertainties in regional habitat-use, scientists often construct mathematical models that relate the distribution and abundance of organisms to an array of biotic and abiotic explanatory variables (Elton 1927; Railsback et al. 1999; Krebs 2015).

In the Canadian north, habitat-use models must address a unique set of challenges that include a large degree of spatiotemporal variation in hydrology and climate, and limited surveying capacity due to the high cost of research and harsh climate. As spatiotemporal variation in climate and hydrology influence the detectability of target species, there is a great deal of uncertainty regarding the transferability research findings to predict regional patterns in species distribution and habitat use; attributable to the understudied nature of these systems (Lapointe et al. 2014). To address these issues, scientists tend to deploy habitat-use models that include multiple spatial scales (Fausch et al. 2002; Hershey et al. 2006) The majority of these models, however, do not account for imperfect detection, nor address how detection efficiency may vary over gradients of space and time (and we know that habitat use patterns of organisms and detectability vary in space and time; Morris 1987; Boulinier et al. 1998). Models that do not account for detection efficiency may introduce a degree of uncertainty for habitat-use estimates and bias the effects of environmental covariates (Moilanen 2002; Tyre et al. 2003). This uncertainty is derived from not knowing whether non-detection arises from a site not being occupied (true absence) or from the organism of interest being present at a site but not detected (false absence) (MacKenzie et al. 2002).

Occupancy modeling, the study of the proportion of area, patches or sample units that are occupied by a species or set of species of interest, improves upon traditional habitat use models (e.g., resource selection functions; Boyce \& McDonald 1999; MacKenzie 2005) by explicitly assessing the probability of detection as well as probability of habitat occupancy (MacKenzie et al. 2006; Haynes et al. 2013). By accounting for imperfect detection, occupancy models offer a more reliable estimate of habitatuse and the relative effects of environmental covariates. Furthermore, by relying entirely on incidence data in their simplest form, occupancy models can substantially reduce the amount of time spent surveying and thereby the overall cost of surveys (MacKenzie et al. 2006). The importance of these advantages cannot be overstated in logistically challenging and understudied Arctic and sub-Arctic freshwater ecosystems; a more affordable and less time-consuming option for conducting reliable sampling and monitoring is of interest to many stakeholders (Neil Mochnacz, Fisheries and Oceans

Canada, Winnipeg, pers. comm; Mike Palmer, Cumulative Impacts Monitoring Program, Gov't of the Northwest Territories, Yellowknife, pers. communication).

Occupancy modeling relies on the use of 'presence-absence' data collected for a 'population' of spatial replicates on a given landscape (MacKenzie et al. 2002). Incidence data are used to elucidate relationships between species distribution and patterns in environmental covariates (MacKenzie et al. 2006). To account for imperfect detection, occupancy modeling requires that repeat surveys occur within each of the studied spatial replicates (MacKenzie 2005). Detection probability can be related to environmental and sampling covariates (e.g., stream depth, method) within occupancy model frameworks (Royle \& Nichols 2003). This is extremely valuable when conducting exploratory research in uncharacterized ecosystems as results can be used to optimize sampling methods.

The simplest implementation of occupancy models is a two-state model (i.e., the species is either present or absent; MacKenzie et al. 2006). While results provide insightful information on species distribution and species-habitat relationships, results do not allow investigators to differentiate between habitats that only support a few individuals and those that support many individuals (Nichols et al. 2008). For fine-scale projects designed to monitor and protect species in areas vulnerable to a specific anthropogenic disturbance, the relative importance of occupied habitat in two or more states (e.g., highly occupied vs. somewhat occupied) can provide information that is crucial to the development of evidencebased management and policy (Nichols et al. 2007). Studies that use an index of relative abundance to delineate between different occupancy states have had success in identifying relative importance of occupied habitat for rare and endangered species (Martin et al. 2010; Jensen \& Vokoun 2013; Tempel \& Gutiérrez 2013). The assumption made with a multi-state model (e.g., none/some/many) is that higher organism abundance within a habitat patch indicates that the patch has a greater quantity or quality of resources important to individual fitness within the species of interest (Freckleton et al. 2006).

Arctic Grayling (Thymallus arcticus Pallas 1776) are a migratory freshwater salmonid fish species that is distributed over much of the western Canadian Arctic and sub-Arctic. Because Arctic Grayling are a valuable subsistence fish for northern peoples, and connect lentic and lotic food webs via
their migratory behaviour, considerable effort has been made to understand their general ecology ( De Bruyn \& McCart 1974; Baker 1976; Beauchamp 1990). Young of the Year (YOY) Arctic Grayling are often found in seasonally available lake outlet streams in Barrenland systems (Jones \& Tonn 2004b). In these habitats, relatively high invertebrate production outweighs the energetic demands created by changing stream hydrology and temperature, and allows for the rapid growth and lipid storage that is essential for YOY to survive winter (Jones et al. 2003a; Deegan et al. 2005; Heim et al. 2014). However, the YOY life history stage is vulnerable to changes in flow regimes (Deegan et al. 2005).

The species-habitat interactions for certain environmental covariates have been well characterized for YOY Arctic Grayling. For instance, several studies have shown that YOY Arctic Grayling occur in stream sections where the average velocity is between 15 and $25 \mathrm{~cm} \cdot \mathrm{~s}^{-1}$ (Jones \& Tonn 2004b; Deegan et al. 2005). Furthermore, it is well known that YOY leave stream rearing habitat for overwintering grounds in response to discharge and temperature conditions $\left(<0.1 \mathrm{~m} 3 / \mathrm{s}\right.$ and $<10^{\circ} \mathrm{C}$, respectively, in streams in northern Alaska; Heim et al. 2015). It is not currently known, however, how stream segment slope and distance to overwintering habitat influence the habitat occupancy of YOY Arctic (e.g., Deegan et al. 1999; Jones \& Tonn 2004b). Furthermore, patchy ecological covariates such as overhanging riparian cover have not been well characterized in previous models of habitat use by YOY Arctic Grayling because of the limited spatial scale of these studies (Jones \& Tonn 2004b). Overhanging riparian cover is important to consider, because the vegetation provides visual isolation from aerial predation, minimizes temperature fluctuations and lowers the average temperature of the water, and provides additional drift feed via an increased deposition rate of terrestrial invertebrates (Hawkins et al. 1982; Wesche et al. 1987; Moore \& Gregory 1989). Finally, previous studies of habitat use in YOY Arctic Grayling have not quantified detection efficiency; that is, how probable it is that YOY Arctic Grayling are detected when they are present in a survey unit (Deegan et al. 1999; Jones \& Tonn 2004b). Thus, it is unknown how detectability changes with changing hydrology or with different survey methods. A common sampling technique that researchers use to maximize efficiency when sampling stream fishes is backpack electrofishing (Albanese et al. 2011). However, due to low electrical conductivity in many streams in
northern Canada, the effective range of the electrofisher may be highly reduced (De Beers Canada 2010c; Golder Associates 2012). Conversely, extremely low turbidity in Barrenland streams may improve the relative efficiency of visual detection methods.

To lend further insight into how YOY Arctic Grayling use seasonal Barrenland stream environments and determine how to best monitor them in these remote environments, I applied multiseason, multistate occupancy modeling techniques to a series of lake-outlet streams in the sub-Arctic Tundra Shield. Multiple sample-seasons (early July, late July, August, September) were used to assess how temporal variation in hydrology through the open-water season affected occupancy, detection, and environmental covariate effect estimates. Multiple occupancy states were used as a coarse assessment of relative abundance (i.e., highly occupied, somewhat occupied, not occupied) to determine the overall probability of occupancy $(\psi)$ and, in stream segments that were occupied, the probability that the stream segment was highly occupied ( $R$ ). High probability that a segment was highly occupied was used as an indication of greater relative habitat quality. A variety of ecological data were collected to maximize inference, and detection efficiency was compared between model-seasons using two common survey techniques (visual, and electrofishing+visual).

Based on previous research results and the known ecology and life history of YOY Arctic Grayling, I hypothesized that probability of occupancy of YOY Arctic Grayling would 1) decrease with increases in distance to overwintering habitat and discharge; 2) increase with increases in overhead cover, stream slope, habitat complexity, and flow heterogeneity; and 3) reach a maximum at depths and velocities similar to those found in Jones and Tonn's study (2004b). Because YOY Arctic Grayling are cryptically coloured and water obscures visual detection, I hypothesized that the probability of detection of YOY Arctic Grayling was inversely related to water depth and overhanging riparian cover and greater for electrofishing+visual surveys relative to visual surveys.

Results from this study provide researchers, regulators, and industry with: 1) an in situ demonstration of how accounting for imperfect detection when temporal variation biases detection can improve the accuracy of habitat occupancy estimates, lending support to occupancy models as a
standardized model framework to be used in Arctic and sub-Arctic freshwater systems; 2) a scientificallydefensible way determine the optimal sampling method for detecting YOY Arctic Grayling; and 3) the means to determine how the local distribution and abundance state of YOY Arctic Grayling is influenced by multiple interacting environmental covariates.

## Materials and Methods

## Study Area

The $16.5 \mathrm{~km}^{2}$ study area is located approximately 280 km northeast of Yellowknife, NT, in the headwaters of the Lockhart drainage system ( $63^{\circ} 26^{\prime} \mathrm{N}, 109^{\circ} 12^{\prime} \mathrm{W}$ ). Specifically, the study area begins at the outlet of Kennady Lake, a small yet relatively deep headwater lake $\left(9 \mathrm{~km}^{2}\right.$ and 18 m max depth, respectively), and continues 9 kilometers downstream through a network of small, shallow lakes that are connected by short outlet streams that vary in length (btw. 60-400 m) (i.e., Barrenland chain-lake system; Figure 2.1). Situated in the transition zone between the Taiga Shield and Sub-Arctic Tundra Shield ecozones, 20 km north of the treeline, the region is characterized by low topographic relief, continuous permafrost, and a semi-arid climate ( $260-275 \mathrm{~mm}$ average annual precipitation). The mean annual temperature is approximately $-6.6^{\circ} \mathrm{C}$, with a summer maxima of $34.3^{\circ} \mathrm{C}$ and a winter minima of $-53.5^{\circ} \mathrm{C}$ (Environment Canada 2000). This series of lakes and streams was selected for study because this part of the watershed will be directly affected by mining-associated water removal that occurs in Kennady Lake as part of development of the Gahcho Kue diamond mine (water removal began in the spring of 2015).


Figure 2.1. Map of the study streams

In this study system, freshet begins in late May with flash flooding caused by runoff that remains above the continuous permafrost layer (De Beers Canada 2010b). As nearly $50 \%$ of annual precipitation falls in the winter as snow, stream flows are typically highest in early spring and lessen as the summer persists. In areas of continuous permafrost such as this, downstream flow and high levels of evaporation, driven by semi-arid conditions, cause significant drawdown on the water table (De Beers Canada 2010b; Baki et al. 2012). Thus, many of the lakes in the region lose surface flow connectivity via streams prior to freeze up in late September (Golder Associates 2012).

As the study area is located 20 km above the tree line, riparian vegetation generally occurs in one of two groupings: i) a mix of sedge tussocks (Eriphora spp.) and grasses that typically inhabit low lying
and inundated areas; and, ii) a combination of low shrub tundra (e.g., dwarf birch (Betula nana) and willow (Salix spp.) that typically inhabit areas where wind cover is sufficient and where channelization staves off inundation (Ecosystem Classification Group 2012). Banks are often undercut, and stream temperatures range between 1 and $20^{\circ} \mathrm{C}$; stream temperatures are largely influenced by the epilimnetic temperature of upstream lakes and permafrost runoff (De Beers Canada 2010b; Quinton et al. 2011).

Stream beds are poorly-sorted, and comprised primarily of glacier-derived boulder till (Ecosystem Classification Group 2012). This more-uniform streambed, higher temperatures relative to the surrounding lakes, and declining surface flow connectivity throughout the summer exclude some largebodied fishes, such as Lake Trout (Salvelinus namaycushi) and Northern Pike (Esox lucius) (Tack 1980; Stewart et al. 2007; De Beers Canada 2010d). Nutrient levels (4-6 mg/L DOC, $0.3-9 \mathrm{mg} / \mathrm{L} \mathrm{PO}_{4}{ }^{3-}, 0.005$ $\left.\mathrm{mg} / \mathrm{L} \mathrm{NO}_{3}{ }^{-}\right)$specific conductivity $(9-25 \mu \mathrm{~S} / \mathrm{cm})$, hardness $(0.5-7 \mathrm{mg} / \mathrm{L})$, and total alkalinity ( $1-30 \mathrm{mg} / \mathrm{L}$ ) are relatively low throughout the study system (De Beers Canada 2010c), whereas dissolved oxygen concentrations ( $9-12 \mathrm{mg} / \mathrm{L}$ ) are at or near saturation throughout the open-water season (De Beers Canada 2010c).

Nine species of fish reside within the study area. Round Whitefish (Prosopium cylindraceum) and Lake Trout are present in the greatest relative abundance in the lake habitats (De Beers Canada 2010d). The focal species for this study, Arctic Grayling, is the most abundant species in seasonally available stream habitats (De Beers Canada 2010d). Other species present in the study area include Burbot (Lota lota), Northern Pike, Longnose sucker (Catostomus catostomus), Ninespine Stickleback (Pungitius pungitius), Slimy Sculpin (Cottus cognatus), and Lake Chub (Couesius plumbeus) (De Beers Canada 2010d). Since many of the shallow lakes in the region freeze to the bottom during the winter, only a few lakes with sufficiently deep basins offer year-round habitat for fish populations. Kennady Lake, Lake M4, and Lake 410 are the only lakes within our study area with confirmed year-round populations of fish (De Beers Canada 2010d; unpublished telemetry data).

## SAMPLING DESIGN

## Sampling Structure and Definitions

A multi-state, multi-season occupancy model was used to examine the probability of habitat occupancy at different survey periods within the 2014 single open-water season. In occupancy modeling, imperfect detection is accounted for via direct estimation of detection efficiency using temporal or spatial replicates within a season (Guillera-Arroita et al. 2010). A 'season' is defined as a survey period where the occupancy state of a study segment remains unchanged (e.g., 'occupied' or 'unoccupied') (MacKenzie et al. 2006). From this point forward, I will refer to this definition of season as 'model season'. To track changes in habitat occupancy throughout the open water season, occupancy surveys fell into four modelseasons that were conducted at equally dispersed intervals between July $11^{\text {th }}$ and September $3^{\text {rd }}$ (Table 2.1). Model-seasons were limited to approximately five days to satisfy our assumption of closure; because YOY Arctic Grayling show strong site fidelity to rearing sites as long as flow and foraging conditions remain consistent the five day time limit seemed reasonable (Stewart et al. 2007). The 'state' in multistate occupancy models refers to a category of occupancy that remains unchanged for the duration of the model season (e.g., relative abundance or breeding status; Nichols et al. 2007). In this study, there were three occupancy states that I describe in more detail below - unoccupied, overall occupancy, and conditionally high occupancy.

Table 2.1. Summary of model-season start and end dates. Occupancy state closure assumed within model seasons.

| Model-Season | Start Date | End Date |
| :---: | ---: | ---: |
| 1 | July 10, 2014 | July 15, 2014 |
| 2 | July 30, 2014 | August 4, 2014 |
| 3 | August 13, 2014 | August 17, 2014 |
| 4 | August 28, 2014 | September 2, 2014 |

There is approximately 2 km of stream habitat in the 9 km -long study area (Figure 2.1). As stream habitat is the focal point of this study, streams were broken up into 30 meters segments, with 67 stream
segments in total. Segment boundaries were drawn perpendicular to the segment's longitudinal midline, and all segments shared upstream and downstream boundaries with neighbouring segments (inlet/outlet segments excepted). The rationale for selecting 30 meters as the uniform length for sampling segments was based on both the scale of the research questions and the basic dispersal biology of YOY Arctic Grayling (De Bruyn \& McCart 1974; Armstrong 1986). I selected this fine-scale segment size because I was interested in how YOY Arctic Grayling use habitat throughout the summer open-water period in a relatively small geographic area. This required detailed data collection on a suite of habitat variables, while also allowing for the inclusion of meso-landscape components such as distance to overwintering habitat. The 30 meter segment size was also likely to meet the assumption of occupancy state 'closure'; that is, that overall occupancy of a particular stream segment did not change within a model season; previous research has shown that YOY Arctic Grayling that find stream sections with suitable drift feed, flow dynamics, and cover tend to hold their position for extended periods of time (Jones \& Tonn 2004b; Stewart et al. 2007; Rota et al. 2009).

In each model-season, two occupancy surveys (one electrofishing+ visual, one visual) were conducted on each of the 67 stream segments, for a total of 8 surveys. Ten occupancy-specific covariates (covariates that relate to the probability that a stream segment is occupied), and five detection-specific covariates (covariates that relate to the probability of detection) were investigated (Table 2.2 and Table 2.3). For occupancy-specific covariates that remained constant (e.g., stream segment slope) throughout the entire study period, data were collected from June $10^{\text {th }}$ to June $16^{\text {th }}, 2014$. For occupancy-specific and detection-specific covariates that changed throughout the study period (e.g., discharge), data were collected immediately following occupancy surveys in each model season (Table 2.1).

Table 2.2. Description of covariates used to model probability of occupancy

| Occupancy-Specific <br> Covariates | Abbrev. | Units/ <br> Category | Data type | Description |
| :--- | :--- | :--- | :--- | :--- |
| Included in final model <br> set |  |  | Index 0-1 | Continuous | | Shannon-Weiner diversity index used to compare habitat type |
| :--- |
| Habitat Complexity |
| (H'/5) |

Table 2.3. Description of covariates used to model probability of detection.

| Detection-Specific <br> Covariates | Abbrev. | Units/ <br> category | Data type | Description |
| :--- | :--- | :--- | :--- | :--- |
| Included in final model set | (Method) | Binary | A binary variable containing two survey methods: (0) <br> Survey conducted using visual detection methods, and (1) <br> Survey conducted using electrofishing+visual methods <br> Survey Method | (m) |

## Occupancy Survey Methods

Occupancy surveys were conducted by moving upstream from the downstream end of each stream. Upon detection of a YOY Arctic Grayling, the recorder noted its presence, and tallies were kept to enumerate fish captured in each stream segment. Due to logistical considerations, all surveys were conducted with replacement (e.g., fish were not removed from the stream after capture), and a block net was not used at the upstream boundary of the stream segment. To ensure that fish observed at or near the segment boundary did not bias the occupancy status of the adjacent stream segment, their positions were noted and fish observed in the same location in the following survey were not included in tallies. Polarized lenses were worn at all times during surveys.

Visual surveys were conducted using longitudinal passes. As most streams were quite wide (i.e., $30 \mathrm{~m} \pm 14 \mathrm{SD}$ ), the stream was split lengthwise into two halves and two field technicians each surveyed half of the segment. To reduce disturbance on the fishes and prevent them from fleeing the stream segment, passes were made using slow methodical steps, when possible on above-water substrate, with pauses to scan 180 degrees for fish. In wider stream segments, several passes were needed to survey the entire segment. Survey effort was recorded in seconds.

Electrofishing surveys were conducted using a Smith-Root LR-20B backpack electrofisher with a six inch anode ring to shock between tightly-packed boulder substrate. One hour after the visual survey, the field crew started again at the downstream end of the stream and both the electrofisher operator and the netter moved upstream using a zig-zag pattern to detect fish, making sure to sample mid-stream and streamside micro-habitat evenly (Figure 2.2)(Cowx \& Lamarque 1990). Low conductivity limited the effective range of the electrofisher (Beaumont et al. 2006). To get an average amperage output of 0.20A, the electrofisher was set to maximum voltage output (Voltage - 990 V; Duty Cycle - 50; Frequency 35). Even so, the maximum effective range of the electrofisher was likely no greater than 2 meters. Fish caught by the electrofisher or seen outside the effective range of the electrofisher were counted as detections. This effectively meant we had two detection methods: i) visual only; ii) electrofisher+visual. Survey effort was recorded in seconds.


Figure 2.2. Diagram of survey path taken during electrofishing+visual surveys (SFCC 2007)

## Collection of Covariate Data

I categorized occupancy-specific covariates-those used to model the probability of the three different occupancy states-into four categories: stream morphology, distance to overwintering habitat, flow dynamics, and biotic habitat characteristics (Dunham \& Rieman 1999). Stream morphology covariates that were assessed for each model-season included stream segment slope, and meso-habitat complexity. Stream slope, reported in degrees, was measured as the change in elevation from the upstream to downstream end of each segment ( m ) (using a clinometer) divided by the segment length. I calculated meso-habitat complexity using the Shannon-Weiner Diversity index to analyze percent habitat type data. Habitat type was aggregated and grouped into five categories (run, riffle, pool, cascade, and shallow water) using the Rosgen classification system (Rosgen 1994). In each stream segment, visual assessments were used to determine the percentage composition of habitat type, and all percentages summed to 100 percent. The diversity index was then standardized by dividing the number by the total number of available habitats (i.e., five), to reflect habitat complexity on a range of 0 to 1 . Distance to overwintering habitat was calculated by measuring the distance between the stream segment centroid and
the nearest lake where Arctic Grayling overwintering has been confirmed (i.e., Kennady Lake, Lake M4, Lake 410) (De Beers Canada 2010d; unpublished data).

Flow dynamic covariates that were assessed during each model-season included mean segment depth, mean segment velocity, segment-level flow heterogeneity, and stream-level discharge. Mean segment velocity and depth were measured using a Hach FH950 handheld flow meter mounted on a wading rod; four measurements were taken along the thalweg at equi-distant points between the segment boundaries. Velocity measurements were taken at the mid-point of the stream ( 0.6 of depth below the surface). Segment-level flow heterogeneity was determined by calculating the coefficient of variation from the four velocity measurements used to calculate mean segment velocity (Sabo et al. 1996). Streamlevel discharge was calculated using the United States Geological Survey mid-section method (adapted from Buchanan \& Somers 1969). Measurement intervals were spaced to include a minimum of 20 points per cross-section (measurement intervals varied from 0.25-0.75m depending on stream width). Discharge locations were fixed in each stream, and measurements were taken in each stream and all model-seasons; the same discharge value was assigned to all points within a stream.

Overhanging riparian cover, a biotic covariate, was determined using a visual estimation of the percentage of stream that was shaded by either riparian vegetation or geomorphic features (Nielsen \& Johnson 1983). When the percentage of overhanging cover exceeded $50 \%$, the stream segment was classified as having good overhanging vegetation (GOHV) (Figure 2.3)(Nielsen \& Johnson 1983).


Figure 2.3. Photographs that illustrate stream segments with good overhanging vegetation (left) and stream segments without good overhanging vegetation (right). Photograph on left was taken in stream L1a on June $14^{\text {th }}, 2014$. Photograph on right was taken in stream M4 on June $10^{\text {th }}, 2014$ ).

Survey-specific covariates, used to model probability of detection, included survey method (i.e., 'electrofishing + visual' or visual), mean segment depth (described above), repeat survey bias, and overhanging vegetation (described above). Visual and electrofishing +visual surveys were recorded as: 0 $=$ Visual Survey and $1=$ 'electrofishing + visual' survey. To address the possibility of repeat sampling bias, I included a binary sampling covariate that equaled 0 if there were no previous detections and 1 for all surveys after YOY had been detected (pers. communication, D. Mackenzie). All data were examined for outliers and for violations of normality using Shapiro-Wilk tests, and $\log (\mathrm{x}+1)$ and square-root transformations were applied when necessary to achieve normality. Continuous covariates were standardized by calculating z -scores.

## STATISTICAL ANALYSIS

## Parameterization of model

To elucidate patterns in YOY Arctic Grayling habitat occupancy, I used a multi-state, multiseason parameterization of the occupancy modeling framework (Nichols et al. 2007). This meant that occupancy fell into three occupancy states-unoccupied (1-probability of occupancy), somewhat occupied $\left(\varphi^{[1]}\right)$, and highly occupied $\left(\varphi^{[2]}\right)$. My objective was to determine the probability of overall occupancy and the probability that a stream segment was highly occupied. Thus, occupancy parameters were defined in the following way: $\psi$ represents the probability of occupancy in either occupied state $(\psi=$ $\left.\varphi^{[1]}+\varphi^{[2]}\right)$, and $R$ represents the probability that a stream segment was highly occupied, given that the stream segment was already occupied (i.e., a conditional probability, $\left.R=\varphi^{[2]} / \psi\right)$. To account for nonrandom variation in the probability that a segment was either occupied $(\psi)$ or highly occupied $(R)$, environmental covariates were fitted to parameter estimates using logit-link regressions. Models were then ranked using AIC methods (Burnham \& Anderson 1998; MacKenzie et al. 2006). Regression coefficients were estimated and communicated the magnitude and direction of the environmental covariates' influence on both occupancy parameters. A negative covariate coefficient associated with the probability that a segment was occupied $(\psi)$ indicated a greater probability that the stream segment was unoccupied for every unit of covariate increase (Nichols et al. 2007). A negative covariate coefficient associated with the probability that a stream segment was highly occupied $(R)$ indicated a greater probability that the stream segment was somewhat occupied for every unit of covariate increase (Nichols et al. 2007).

To delineate between occupancy states, I used catch per unit effort (CPUE) data. CPUE was calculated as the number of fish captured during 300 seconds of effort for both visual and 'electrofishing+visual' survey methods. I examined frequency histograms of the CPUE data-where frequency data were binned as single unit increases in CPUE (fish/300s effort) -and selected a
delineation point for the separation of two occupancy states at an evident break in the frequency data (e.g., Jensen \& Vokoun 2013).

To account for imperfect detection, multi-state, multi-season occupancy models must consider how detection probabilities vary among occupancy states (Nichols et al. 2007). Models account for the probability of detection for segments that are truly somewhat occupied ( $p 1$ ), the probability of detection for segments that are truly highly occupied ( $p 2$ ), and state-uncertainty ( $\delta$ ) (i.e., the probability of correctly categorizing segments that were highly occupied, given that they were occupied) (MacKenzie et al. 2009). In other words, $p l$ represents the probability of observing a single fish in stream segments that are somewhat occupied, $p 2$ represents the probability of observing a single fish in stream segments that are highly occupied, and 1- $\delta$ represents the probability of only observing a few individuals when there are actually many more. The probability of observing at least one fish in segments that were somewhat occupied ( $p 1$ ) was allowed to vary between model seasons, while the probability of correctly categorizing stream segments with high abundance ( $\delta$ ), and the probability of observing at least one fish in stream segments that were highly occupied (p2) were held constant for all seasons. Environmental covariates were also fitted to detection estimates to help explain non-random variance (Nichols et al. 2007).

I evaluated the entire set of environmental covariates for collinearity using Pearson Correlations executed in R (RStudio Team 2015). When covariates were highly correlated (i.e., $|\mathrm{x}| \geq 0.70, \mathrm{p} \leq 0.05$; Berry \& Feldman 1985), the covariate that was least likely to be nested in another covariate effect was removed from further analysis. Covariates related to stream morphology and distance to overwintering habitat were least likely to be nested in another covariate effect, followed by covariates related to flow dynamics and biotic processes. To demonstrate, in other model design structures that I explored but were not included in this study (i.e., stream-level occupancy models using spatial replicates) temperature was removed from further analysis because it was highly correlated with discharge and stream slope ( $x=0.79$, $\mathrm{p} \leq 0.05$ and $\mathrm{x}=-0.78, \mathrm{p} \leq 0.05$; respectively). This choice was made because slope and discharge have an influence on stream temperature whereas temperature does not influence stream slope and discharge.

## Occupancy-specific covariate specifications

Two variations of the depth covariate were included in the a priori model set: mean segment depth in the first model season $\left(D_{I}\right)$ and mean segment depth that varied by model-season $\left(D_{l, 2,3,4}\right.$; a.k.a season-specific depth). Mean segment depth in the first model season $\left(D_{I}\right)$ was included to examine whether high early season depths had a threshold effect on YOY Arctic Grayling habitat occupancy, while mean segment depth for each model season was included to examine whether the relationship between depth and habitat occupancy states was maintained throughout the open water season. To test if the effect of depth on YOY Arctic Grayling occupancy was quadratic (e.g., Jones \& Tonn 2004b), I included a mean segment depth-squared covariate for both $D_{l}$ and $D_{l, 2,3,4}$. Similar to depth, I tested two variations of the velocity covariate: mean segment velocity in the first model-season $\left(V_{l}\right)$, and mean segment velocity that varied by model-season ( $V_{l, 2,3,4}$; aka season-specific velocity). As peak flow typically occurs soon after freshet, I included $V_{l}$ to determine whether increasing velocity had a threshold effect on YOY Arctic Grayling habitat occupancy-as evidenced by lower probability of occupancy at higher velocities in other studies (Jones \& Tonn 2004b). Season-specific velocity ( $V_{l, 2,3,4}$ ) was included to determine if velocity experience throughout the open water season had an effect on YOY Arctic Grayling habitat occupancy. Finally, stream-level discharge in each model seasons ( $Q_{l, 2,3,4}$ ) was related to occupancy states of YOY Arctic Grayling.

## Detection-specific covariate specifications

I included survey method as a covariate to test the relative detection efficiency between the two detection methods: visual and electrofishing+visual. To determine whether the two detection methods were best analyzed separately or used as temporal replicates in the same model, I ran the two detection methods in separate single season models and compared the results. If environmental covariates were similarly ranked, that would indicate that survey method was not selecting behaviourally distinct sub-
populations of YOY, and that it would be acceptable to run detection methods as temporal replicates in multi-state, multi season models (Graves et al. 2012). While detailed further in the results, final models to determine effects of environmental covariates were run with both visual and 'electrofishing+visual' survey methods used as temporal replicates in the multi-state, multi-season model parameterization. Detection efficiency was still modeled for each method, however.

## Model Selection and Goodness of Fit Testing

I constructed an a priori model set and used Akaike's Information Criterion (AIC) methods to compare and rank competing models in the program PRESENCE (Ver. 9.7) (Burnham \& Anderson 1998). Using multiple competing hypotheses enabled me to make inferences on which combination of environmental covariates best approximated the full reality of occupancy and detection (Table 2.2 and 2.3) (Chamberlin 1965; Anderson 2008). Furthermore, I used Akaike model weights to account for model selection uncertainty (i.e., how certain I was that the model selected was the best approximation of biological reality) (Burnham \& Anderson 2002). Models were evaluated using their AIC $_{\mathrm{c}}$ values (Hurvich \& Tsai 1989), which includes a second-order bias correction for smaller sample sizes (small $n$ relative to the number of model parameters, $K$ ) in order to reduce the chances of overfitting. $\mathrm{AIC}_{\mathrm{c}}$ has a somewhat larger penalty term on including extra parameters than AIC, but AIC $_{\mathrm{c}}$ converges on AIC as sample size increases, thus there is negligible disadvantage to using AIC $_{\mathrm{c}}$ (Burnham \& Anderson 2004).

It is important in all modeling exercises to demonstrate that a fitted model adequately describes the observed data. AIC assumes that the candidate model set contains at least one model that fits the data adequately; AIC is used to select the best model, but this is no assurance that the selected model is a good model, and substantial lack of fit can lead to inaccurate inferences (Burnham \& Anderson 1998). It is common to find overdispersion in binomial estimates of biological populations because of lack of independence in the data due to animal behaviors such as schooling (Eberhardt 1978). While the estimates of model parameters remain unbiased in the presence of overdispersion, the variance estimate from the
sample will be too small, thus the data appears to be more dispersed than is expected under the model (White et al. 2001).

Goodness-of-fit testing in AIC typically requires the identification of a global model, in which there is a maximum number of relevant parameters (without covariates) based on knowledge of the system; this model should best fit the data (Burnham \& Anderson 2002). All other models having fewer parameters would be derived from this model, and would be considered special cases of the global model, thus it is only necessary to assess the goodness of fit of the global model. From this global model, overdispersed variance can be detected by calculating a variance inflation factor (c) from a modified (MacKenzie \& Bailey 2004) parametric bootstrapped goodness-of-fit chi-square statistic ( $X^{2}$ ) using:

$$
\hat{c}=X^{2}{ }_{\mathrm{Ob}} / \bar{X}^{2}{ }_{\mathrm{B}}
$$

where $X^{2}{ }_{\text {obs }}$ is the chi-squared test statistic for the observed data and $\bar{X}^{2}{ }_{\mathrm{B}}$ is the average of the chi squared test statistics obtained from parametric bootstrapping of the data $(\mathrm{n}=199)$. If the global model is an adequate description of the data, then $\hat{c}$ should be approximately 1 . Serious deviations from $\hat{c}=1$, require use of the Quasi-likelihood estimation parameter (QAICc; Wedderburn 1974); this provides a correction and allows for overdispersion in model selection. However, at present there is no agreed-upon method for testing the goodness-of-fit in multi-state, multi-season occupancy models (pers. communication, D. MacKenzie). Thus, I undertook a modified testing procedure to indirectly assess the goodness of fit of both the most complex (global) model and the top-ranked model. I calculated QAICc for the model set at multiple arbitrary values of $\hat{c}$, to see how this affected the relative ranking of candidate models. Values of $\hat{c}$ were increased by increments of 0.25 and ranged from 1-2. By adjusting $\hat{c}$ to higher values, suggestive of a lack of fit of the models, the model selection becomes more conservative, which tends to favour models with less covariates. If overdispersion exists within the model set, the relative weightings and order of the candidate models change with small changes in $\hat{c}$, and the data is likely too sparse for robust modeling. If the best models continue to be ranked at the top of the candidate model set, this lends some measure of confidence that the best models are a reasonable fit for the data (White \& Burnham 1999; Cooch 2012).

## Relative Predictive Value of Covariates and the Removal of 'Pretending' Covariates

To provide a formal representation of relative strength of evidence provided by each environmental covariate (independent variables) to explain occupancy and detection parameters (dependent variables), I calculated evidence ratios and ranked them from largest to smallest (Burnham \& Anderson 2002). Evidence ratios were calculated by dividing the summed Akaike weights of a particular covariate by its inverse. Environmental covariates with the largest evidence ratios had greater predictive value for a particular occupancy or detection parameter (Burnham \& Anderson 2002). Environmental covariates with evidence ratios $<1$ were identified as 'pretending' variables and removed from further analyses (e.g.,Wylie et al. 2010; Dextrase et al. 2014). Pretending variables add no predictive value to models within the a priori set, and increase the $\mathrm{AIC}_{\mathrm{c}}$ scores through the parameter penalty term (Anderson 2008).

## Model averaging

Typically, exploratory multivariate research is unable to identify a single best approximating model (i.e., a model with an Akaike weight >0.9; Burnham \& Anderson 2002). When no best approximating model exists, it indicates that there is model selection uncertainty among the candidate models (i.e., uncertainty regarding which of top ranked models is the best approximating model in reality; Burnham \& Anderson 2002). However, model averaging is computationally difficult with large model sets, so researchers often use a sub-set of models from the candidate set (e.g.,Whittingham et al. 2005; Long et al. 2011). There are several suggestions on how to select a sub-set of models for model averaging. Richards (2005) suggested that models with $\Delta$ AIC $>6$ should be excluded from further analysis. He also suggested that models that have a $\Delta \mathrm{AIC}<2$ are, practically speaking, as good as the best approximate model. The concept behind Richard's (2005) assertion and the method I used to select a sub-set of models for model-averaging is called a $95 \%$ confidence set (Burnham \& Anderson 2002). Within the selected $95 \%$ confidence model
sub-set, there is $95 \%$ certainty that the best approximating model has been selected. I determined which models should be included in the $95 \%$ confidence set by summing Akaike weights from the models after pretending variables were removed, from largest to smallest, and making a cut-off point once the cumulative model weights reached 0.95 (Burnham \& Anderson 2002). The 95\% threshold is arbitrary, but it is commonly used among researchers and is derived from the frequentist approach.

## Multimodel Inference

Once the appropriate model sub-set was selected, I used model-averaging to determine model-weighted estimates for occupancy (i.e., $\psi$ and $R$ ) and detection ( $p 1, p 2$, and $\delta$ ) parameters for each model-season. Next, I isolated the model-weighted effect of individual environmental covariates on model-season estimates of occupancy and detection. Standard errors and confidence intervals for covariate parameter estimates were calculated using the delta method (Cooch 2012; Falke et al. 2012). Because the stream segments covered the entire study area, a finite population correction to adjust standard errors was merited (Levy 1998). Finite population correction adjustments were calculated for isolated covariate effects when delta method calculations were applied (Cooch 2012). However, the adjustments were not applied to model-averaged estimates of occupancy and detection parameters, so the reported standard errors are conservative (pers. communications, D. Mackenzie).

## Results

## GENERAL FINDINGS

## Young-of-Year Detections

Each of the $67,30-\mathrm{m}$ stream segments was surveyed a total of 8 times throughout the open water season (4 paired visual and electrofishing+visual surveys). A total of 999 YOY Arctic Grayling were observed during the course of the study using electrofishing + visual surveys, and 929 fish were detected during the course of the study using visual only surveys (Table 2.4). The number of fish detected declined through the study; more fish were detected in model season 1 than in model-seasons 2 , 3 , or 4 (Table 2.4 and Table 2.5). Fish were most abundant in stream L1A, and least abundant in streams M1, M2, and M3
(Table 2.5).

Table 2.4. Method-specific mean, range, and total number of fish detected in each model season.

| Model <br> Season | Mean ( $\pm$ SD $)$ <br> detected per stream <br> segment | Range of number of fish <br> detected per stream <br> segment | Total number of fish <br> detected for all stream <br> segments |  |  |  |
| :--- | :---: | :---: | :---: | :---: | :---: | :---: |
|  | Visual | Electro + visual | Visual | Electro + visual | Visual | Electro + visual |
| Season 1 | $7.93 \pm 20.3$ | $8.66 \pm 18.7$ | $0-109$ | $0-97$ | 531 | 580 |
| Season 2 | $3.91 \pm 9.51$ | $4.31 \pm 7.09$ | $0-51$ | $0-41$ | 262 | 289 |
| Season 3 | $1.85 \pm 3.46$ | $1.31 \pm 2.32$ | $0-17$ | $0-10$ | 124 | 88 |
| Season 4 | $0.18 \pm 0.67$ | $0.63 \pm 2.17$ | $0-4$ | $0-16$ | 12 | 42 |
| TOTAL |  |  |  |  | $\mathbf{9 2 9}$ | $\mathbf{9 9 9}$ |

Table 2.5. Number of fish detected in each stream in each model season (summed across multiple stream segments per stream).

|  | Model-Season 1 |  | Model-Season 2 |  | Model-Season 3 |  | Model-Season 4 |  |  |
| :--- | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  | Electro + |  | Electro |  | Electro | Electro |  |  |
| Stream | Visual | visual | Visual | + visual | Visual |  |  |  |  |
| + visual | Visual | + visual | Total |  |  |  |  |  |  |
| K5 | 0 | 5 | 3 | 5 | 1 | 2 | 0 | 0 | 16 |
| L3 | 101 | 121 | 9 | 14 | 5 | 3 | 2 | 3 | 258 |
| L2 | 15 | 15 | 23 | 23 | 21 | 21 | 2 | 2 | 122 |
| L1B | 99 | 70 | 1 | 8 | 3 | 3 | 0 | 1 | 185 |
| L1A | 320 | 357 | 184 | 168 | 60 | 41 | 5 | 26 | 1161 |
| M4 | 2 | 10 | 56 | 70 | 42 | 18 | 4 | 10 | 212 |
| M3 | 1 | 2 | 0 | 0 | 0 | 0 | 0 | 0 | 3 |
| M2 | 0 | 0 | 0 | 1 | 0 | 0 | 0 | 0 | 1 |
| M1 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 | 0 |
| TOTAL | 538 | 580 | 276 | 289 | 132 | 88 | 13 | 42 |  |

## Determining Occupancy States

As described in the methods, data were binned into "occupancy state" categories. Frequency of CPUE was plotted to assess if there were natural breakpoints in the data. A break was apparent between 5 and 6 fish per 300 seconds (Figure 2.4), thus the three occupancy states were set as follows: unoccupied was CPUE $=0$, somewhat occupied ( $\varphi^{[1]}$ ) was $0<\mathrm{CPUE}<6$, and highly occupied $\left(\varphi^{[2]}\right)$ was CPUE $\geq 6$.


Figure 2.4. Frequency of catch per unit effort (CPUE) data for each survey occasion (summed across all surveys and all model seasons). CPUE was calculated as the number of fish observed per 300 seconds of effort within a single survey. Bin 0-1 contains both non-detection data (i.e., 0 CPUE) and surveys where less than 1 fish was observed per 300 seconds effort (e.g., one fish observed for 500 seconds of effort). $N$ $=536$ surveys.

## Summary of Ecological Covariates

Summary data for stream habitat variables are presented in Tables 2.6 and 2.7. Average discharge, velocity, and depth were highest in model-season 1 and lowest in model-season 4 (Table 2.6). The number of segments with lost surface connectivity was lowest in the first two model-seasons and highest in the final model-season (Table 2.7). Good overhanging vegetation was present in approximately $40 \%$ of stream segments, and the majority of stream segments had a stream slope of 1 degree or less (Table 2.7). Run habitat accounted for approximately $73 \%$ of meso-habitat across the studied stream
segments, such that increasing habitat complexity indicated an increase in the frequency of riffle, cascade, pool, or shallow water pond habitat (Table 2.6). Boulder substrate was the dominant substrate type in approximately $84 \%$ of stream segments (Table 2.7). Bankfull width in the pre-survey period ranged from 4 to 80 meters wide. All streams and stream segments were well-oxygenated throughout the sampling period (minimum dissolved oxygen concentration was $9 \mathrm{mg} / \mathrm{L}$ ) with near-neutral pH and low specific conductivity (Table 2.6). Water temperature varied from $8.6-22.4^{\circ} \mathrm{C}$, and distance to overwintering habitat varied from 0 to 1.65 km (Table 2.6).

Table 2.6. Mean, standard deviation, and range of continuous habitat variables used in models.

|  | Mean $\pm$ SD | Range |
| :---: | :---: | :---: |
| Bankfull Width (m) (June) | $29.4 \pm 14.28$ | 4-80.25 |
| \% Run | $73.19 \pm 27.45$ | 0-100 |
| \% Riffle | $9.1 \pm 9.69$ | 0-50 |
| \%Pool | $4.64 \pm 7.13$ | 0-40 |
| \% Pond | $8.73 \pm 24.24$ | 0-100 |
| \% Cascade | $3.8 \pm 13.57$ | 0-75 |
| \% Undercut Banks | $14.72 \pm 12.16$ | 0-75 |
| Temperature model season 1 ( $\mathrm{T} 1 ;{ }^{\circ} \mathrm{C}$ ) | $16.6 \pm 1.6$ | 14.2-18.8 |
| Temperature model season 2 ( $\mathrm{T} 2 ;{ }^{\circ} \mathrm{C}$ ) | $19 \pm 2.5$ | 15.7-22.4 |
| Temperature model season 3 ( $\mathrm{T} ;{ }^{\circ} \mathrm{C}$ ) | $15.8 \pm 2$ | 12.4-18.7 |
| Temperature model season 4 ( $\mathrm{T} 4 ;{ }^{\circ} \mathrm{C}$ ) | $10.1 \pm 1.2$ | 8.6-11.8 |
| Dissolved oxygen model season 1 (DO1; mg/L) | $10 \pm 0.7$ | 9-11 |
| Dissolved oxygen model season 2 (DO2; mg/L) | $9.6 \pm 0.5$ | 9-10 |
| Dissolved oxygen model season 3 (DO3; mg/L) | $9.4 \pm 0.4$ | 9-10 |
| Dissolved oxygen model season 4 (DO4; mg/L) | $9.2 \pm 0.4$ | 9-10 |
| pH model season 1 (pH1; pH ) | $7 \pm 0.1$ | 6.85-7.16 |
| pH model season $2(\mathrm{pH} 2 ; \mathrm{pH})$ | $7.2 \pm 0.2$ | 6.85-7.45 |
| pH model season 3 ( $\mathrm{pH} 3 ; \mathrm{pH}$ ) | $6.9 \pm 0.2$ | 6.59-7.28 |
| pH model season 4 ( pH 4 ; pH ) | $6.7 \pm 0.1$ | 6.45-6.8 |
| Specific conductivity model season 1 (SPC1; $\mu \mathrm{S} / \mathrm{cm}$ ) | $13.9 \pm 0.6$ | 12.9-14.8 |
| Specific conductivity model season 2 (SPC2; $\mu \mathrm{S} / \mathrm{cm}$ ) | $14.3 \pm 0.5$ | 13.8-15.3 |
| Specific conductivity model season 3 (SPC3; $\mu \mathrm{S} / \mathrm{cm}$ ) | $14.5 \pm 0.8$ | 13.4-15.9 |
| Specific conductivity model season 4 (SPC4; $\mu \mathrm{S} / \mathrm{cm}$ ) | $14.6 \pm 0.9$ | 13.4-16.3 |
| Discharge model season 1 (Q1; m3/s) | $0.21 \pm 0.04$ | 0.15-0.31 |
| Discharge model season 2(Q2; m3/s) | 0.09 $\pm 0.02$ | 0.06-0.12 |
| Discharge model season 3 (Q3; m3/s) | $0.06 \pm 0.02$ | 0.03-0.1 |
| Discharge model season 4 ( Q 4 ; m3/s) | $0.03 \pm 0.02$ | 0.01-0.05 |
| Mean segment depth model season 1 (D1; m) | $0.38 \pm 0.19$ | 0.12-1 |
| Mean segment depth model season 2 (D2; m) | $0.32 \pm 0.22$ | 0.09-1 |
| Mean segment depth model season 3 (D3; m) | $0.31 \pm 0.23$ | 0.073-1 |
| Mean segment depth model season 4 (D4; m) | $0.28 \pm 0.21$ | 0.01-1 |
| Mean segment velocity model season 1 (V1; m/s) | $0.13 \pm 0.1$ | 0.01-0.55 |
| Mean segment velocity model season 2 (V2; m/s) | $0.09 \pm 0.067$ | 0.0075-0.38 |
| Mean segment velocity model season 3 (V3; m/s) | $0.075 \pm 0.063$ | 0.0075-0.4175 |
| Mean segment velocity model season 4 ( V 4 ; $\mathrm{m} / \mathrm{s}$ ) | $0.043 \pm 0.042$ | 0.0025-0.2675 |
| H'/5 | $0.29 \pm 0.08$ | 0.2-0.48 |
| Distance to overwintering habitat (D2OW; m) | $458.43 \pm 437.25$ | 0-1645 |

Table 2.7. Median, mode, range, and sum of non-continuous habitat variables used in models.

|  | Median | Mode | Range | Total |
| :--- | :---: | :---: | :---: | :---: |
| Stream segment slope (degrees) | 1 | 1 | $0-4$ |  |
| Good overhanging vegetation (y/n) | 0 | 0 | $0-1$ |  |
| Dominant substrate score* | 4 | 4 | $1-4$ |  |
| No. of segments with lost surface <br> water connectivity (model-season 1) | - | - | - | 0 |
| No. of segments with lost surface <br> water connectivity (model-season 1) | - | - | - | 0 |
| No. of segments with lost surface <br> water connectivity (model-season 1) | - | - | - | 1 |
| No. of segments with lost surface <br> water connectivity (model-season 1) | - | - | - | 10 |

*Dominant substrate score is a numerical representation of the dominant substrate type where
1= fines, 2=gravel, 3=cobble, 4=boulder, and 5=bedrock (Vancouver Island University 2014).

## Model Preparation

## Model Structure and AIC Corrections

To determine whether it was appropriate to use the two detection methods (i.e.,
electrofishing+visual and visual only) as repeat surveys within model-seasons to increase the precision of detection and occupancy estimates, I separated occupancy data by survey method and ran each set in single-season, multi-state models. The influence of environmental covariates on the probability of occupancy and detection (derived from summed model weights) was similar (similarly ranked) in both 'electrofishing+visual' and visual-only models, with differences highlighted in grey (Tables 2.8 and 2.9). This indicated that using detection methods as repeat surveys in the main model (to establish effects of covariates on probability of occupancy states) should not introduce undue bias to model selection. Meaning, the conclusions I am drawing from using the two survey methods as repeat surveys is not method dependent.

As model sets were too complex to directly assess the fit of the model (see Methods), I used the manual $\hat{c}$ adjustment procedure for indirect goodness-of-fit assessment. I found that both the top model
and the global (most complex) model retained high AIC weights ( $w_{i}$ ), providing evidence that the models were not overdispersed, and as such, that QAICc adjustment was not necessary for model ranking.

Table 2.8. Model statistics for the single-season, multistate models using visual detection surveys.

|  |  | Model |  |  |  |  |
| :--- | ---: | ---: | ---: | ---: | ---: | ---: |
| Model | AICc | $\Delta$ AICc | AIC wgt | Likelihood | no.Par. | $-2^{*}$ LogLike |
| $\psi(),. R(\mathrm{GOHV}), p 1(),. p 2(),. \delta()$. | 412.38 | 0 | 0.912 | 1 | 6 | 398.98 |
| $\psi(\mathrm{Q}), R(),. p 1(),. p 2(),. \delta()$. | 418.37 | 5.99 | 0.0456 | 0.05 | 6 | 404.97 |
| $\psi(),. R(\mathrm{H} / / 5), p 1(),. p 2(),. \delta()$. | 419.86 | 7.48 | 0.0217 | 0.0238 | 6 | 406.46 |
| $\psi(),. R(\mathrm{~V}), p 1(),. p 2(),. \delta()$. | 421.09 | 8.71 | 0.0117 | 0.0128 | 6 | 407.69 |
| $\psi(\mathrm{D} 2 \mathrm{OW}), R(),. p 1(),. p 2(),. \delta()$. | 423.36 | 10.98 | 0.0038 | 0.0041 | 6 | 409.96 |
| $\psi(),. R(\mathrm{D} 2 \mathrm{OW}), p 1(),. p 2(),. \delta()$. | 425.45 | 13.07 | 0.0013 | 0.0015 | 6 | 412.05 |
| $\psi(),. R(),. p 1(\mathrm{Depth}), p 2(),. \delta()$. | 426.29 | 13.91 | 0.0009 | 0.001 | 6 | 412.89 |
| $\psi(\mathrm{Slope}), R(),. p 1(),. p 2(),. \delta()$. | 427.23 | 14.85 | 0.0005 | 0.0006 | 6 | 413.83 |
| $\psi(\mathrm{~V}), R(),. p 1(),. p 2(),. \delta()$. | 427.25 | 14.87 | 0.0005 | 0.0006 | 6 | 413.85 |
| $\psi(\mathrm{H} /(5), R(),. p 1(),. p 2(),. \delta()$. | 427.33 | 14.95 | 0.0005 | 0.0006 | 6 | 413.93 |
| $\psi(\mathrm{D}), R(),. p 1(),. p 2(),. \delta()$. | 427.46 | 15.08 | 0.0005 | 0.0005 | 6 | 414.06 |
| $\psi(),. R(),. p 1(),. p 2(),. \delta()$. | 428.45 | 16.07 | 0.0003 | 0.0003 | 5 | 417.47 |
| $\psi(),. R(),. p 1(\mathrm{D}, \mathrm{DSQ}), p 2(),. \delta()$. | 428.79 | 16.41 | 0.0002 | 0.0003 | 7 | 412.89 |
| $\psi(),. R(),. p 1(\mathrm{GOHV}), p 2(),. \delta()$. | 428.86 | 16.48 | 0.0002 | 0.0003 | 6 | 415.46 |
| $\psi(\mathrm{D}, \mathrm{DSQ}), R(),. p 1(),. p 2(),. \delta()$. | 429.96 | 17.58 | 0.0001 | 0.0002 | 7 | 414.06 |

Table 2.9. Model statistics for the single-season, multistate models using electrofishing+visual detection surveys. Covariate rankings that diverge from visual survey model are highlighted in grey.

| Model | AICc | $\triangle \mathrm{AICc}$ | AIC wgt | Model Likelihood | no.Par. | -2*LogLike | Visual Ranking |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| $\psi(),. R(\mathrm{GOHV}), \mathrm{p} 1(),. p 2(),. \delta($. | 436.05 | 0 | 0.9871 | 1 | 6 | 422.65 | 1 |
| $\psi(\mathrm{Q}), R(),. p 1(),. p 2(),. \delta($. | 445.57 | 9.52 | 0.0085 | 0.0086 | 6 | 432.17 | 2 |
| $\psi(),. R(\mathrm{~V}), p 1(),. p 2(),. \delta($. | 448.74 | 12.69 | 0.0017 | 0.0018 | 6 | 435.34 | 4 |
| $\psi(\mathrm{V}), R(),. p 1(),. p 2(),. \delta($. | 450.5 | 14.45 | 0.0007 | 0.0007 | 6 | 437.1 | 9 |
| $\psi(),. R\left(\mathrm{H}^{\prime} / 5\right), \mathrm{p} 1(),. \mathrm{p} 2(),. \delta($. | 450.81 | 14.76 | 0.0006 | 0.0006 | 6 | 437.41 | 3 |
| $\psi(),. R(),. p 1(\mathrm{D}), \mathrm{p} 2(),. \delta($. | 451.22 | 15.17 | 0.0005 | 0.0005 | 6 | 437.82 | 7 |
| $\psi($ Slope $), R(),. p 1(),. p 2(),. \delta($. | 452.72 | 16.67 | 0.0002 | 0.0002 | 6 | 439.32 | 8 |
| $\psi($ Depth $), R(),. p 1(),. p 2(),. \delta($. | 453.35 | 17.3 | 0.0002 | 0.0002 | 6 | 439.95 | 11 |
| $\psi(),. R(),. p 1(\mathrm{D}, \mathrm{DSQ}), \mathrm{p} 2(),. \delta($. | 453.72 | 17.67 | 0.0001 | 0.0001 | 7 | 437.82 | 13 |
| $\psi\left(\mathrm{H}^{\prime} / 5\right), R(),. p 1(),. p 2(),. \delta($. | 454.52 | 18.47 | 0.0001 | 0.0001 | 6 | 441.12 | 10 |
| $\psi(),. R(\mathrm{D} 2 \mathrm{OW}), \mathrm{p} 1(),. p 2(),. \delta($. | 455.49 | 19.44 | 0.0001 | 0.0001 | 6 | 442.09 | 6 |
| $\psi(\mathrm{D} 2 \mathrm{OW}), R(),. p 1(),. p 2(),. \delta($. | 455.81 | 19.76 | 0.0001 | 0.0001 | 6 | 442.41 | 5 |
| $\psi(\mathrm{D}, \mathrm{DSQ}), R(),. p 1(),. p 2(),. \delta($. | 455.85 | 19.8 | 0 | 0.0001 | 7 | 439.95 | 15 |
| $\psi(),. R(),. p 1(),. p 2(),. \delta($. | 455.92 | 19.87 | 0 | 0 | 5 | 444.94 | 12 |
| $\psi(),. R(),. p 1(\mathrm{GOHV}), \mathrm{p} 2(),. \delta($. | 458.06 | 22.01 | 0 | 0 | 6 | 444.66 | 14 |

## 'Pretending’ Covariates, Covariate Ranking, and the 95\% Confidence Model Set

No covariates were removed from the modeling analysis based on correlation alone, as none of the a priori set of explanatory covariates of probability of occupancy and/or detection had Pearson correlation values greater than 0.70 (Appendix A; Tables A1 and A2). To ensure that 'pretending' covariates were not lending false inference to my model set, covariates were ranked using evidence ratios and those with evidence ratios <1 were removed from further analysis (Table 2.10 and 2.11; highlighted in grey) (MacKenzie 2006; Dextrase et al. 2014). This set of models did not include the following covariates on: 1) $\psi-$ (the probability a segment is occupied; $\left.\psi=\varphi^{[1]}+\varphi^{[2]}\right)$ : good overhanging vegetation, velocity-squared, season-specific depth, depth squared, variance of segment velocity; 2) $R$ (conditional probability that a segment is highly occupied, given it is at least somewhat occupied; $R=\varphi^{[2]} / \psi$ ): stream segment slope, first model-season depth, season-specific depth, season-specific velocity, velocitysquared, depth-squared, discharge, variance of segment velocity; 3) $\delta$ (probability that a highly occupied stream segment is correctly identified): all survey-specific covariates; 4) $p 1$ (the probability that at least one fish was observed in stream segments that are somewhat occupied): repeat survey bias, good overhanging vegetation, depth squared ; and, 5) $p 2$ (probability that at least one fish was observed in stream segments that are at a highly occupied): all survey specific covariates (Table 2.10 and 2.11).

Summed AIC weights were used to determine the relative explanatory power of fitted covariates on occupancy and detection parameters, with 1 being the strongest evidence (Table 2.10). Covariates that had the strongest effect on the probability that a stream segment was occupied ( $\psi$ ), from strongest to weakest, included: stream segment slope, distance to overwintering habitat, discharge, mean segment depth in the first model season, and mean segment velocity in the first model season (each having summed Akaike weights $>0.95$; Table 2.10). There was also strong evidence that habitat complexity ( $H^{\prime} / 5$ ) was related to the probability that a stream segment was occupied, with a summed Akaike weight of 0.91. Covariates that were most strongly related to the conditional probability that a stream segment was highly occupied $(R)$, from strongest to weakest, included: good overhanging vegetation, distance to
overwintering habitat, and habitat complexity (total Akaike weight $>0.98$ ). There was moderate evidence that velocity in the first model-season was related to the conditional probability that a segment was highly occupied $\left(\Sigma w_{v l}=0.72\right)$. Sample method was the most important covariate $\left(\Sigma w_{\text {Method }}=0.95\right)$ and stream depth was moderately important $\left(\Sigma w_{\text {sdepth }}=0.80\right)$ in determining the probability of detecting a fish in stream segments that were somewhat occupied ( $\varphi^{[1]}$ ) (Table 2.10). Models that included a combination of these environmental covariates but were beyond the cumulative Akaike weight of 0.95 were removed from further analysis to form the $95 \%$ confidence set; highlighted in grey (Tables 2.11 and 2.12). As described in the methods, using criteria outlined in (Burnham \& Anderson 2002), a 95\% confidence set represents $95 \%$ certainty that the model-averaged model set is the best approximating model (Table 2.12). A description of occupancy-specific and detection-specific environmental covariates used in a priori model set was provided in Tables 2.2 and 2.3 (Methods).

Table 2.10. Evidence ratios and summed model weights of the covariates included in the a priori model set. Evidence ratios are calculated by taking the quotient of the covariate summed model weight and its inverse, where the two sum to 1 (i.e., summed model weight/(1-summed model weight). Covariates with an evidence ratio less than one were considered 'pretending' variables and were removed from further analysis; highlighted in grey.

| Parameter | Covariate | Evidence Ratio | Summed Model Weight |
| :--- | :--- | :--- | :--- |
| $R$ | GOHV | 3332 | 0.9997 |
| $\psi$ | Slope | 1999 | 0.9995 |
| $R$ | D2OW | 832 | 0.9988 |
| $\psi$ | D2OW | 416 | 0.9976 |
| $\psi$ | Q | 356 | 0.9972 |
| $\psi$ | D1 | 103 | 0.9904 |
| $R$ | $\mathrm{H}^{\prime} / 5$ | 51 | 0.9806 |
| $\psi$ | V1 | 24 | 0.9599 |
| $p 1$ | Method | 19 | 0.9495 |
| $\psi$ | $\mathrm{H}^{\prime} / 5$ | 10 | 0.9086 |
| $p 1$ | Depth | 4 | 0.7962 |
| $R$ | V1 | 3 | 0.7212 |
| $\delta$ | Method | 0.38 | 0.2732 |
| $\psi$ | Velocity Squared | 0.29 | 0.2341 |
| $p 1$ | Depth Squared | 0.29 | 0.2243 |
| $\delta$ | Repeat | 0.02 | 0.0167 |
| $p 1$ | Repeat | 0.002 | 0.0018 |
| $\psi$ | Depth Squared | $<0.01$ | $<0.001$ |
| $R$ | Depth Squared | $<0.01$ | $<0.001$ |
| $R$ | Velocity Squared | $<0.01$ | $<0.001$ |

Table 2.11. A priori model set. Models that contain 'pretending' variables or were ranked outside the

## 95\% confidence set were removed from further analysis; highlighted in grey.


Table 2.12. Model statistics for the 6 models that formed the $95 \%$ confidence set.

| Model | AICc | $\triangle \mathrm{AICC}$ | $K$ | -2l | $\boldsymbol{w}_{i}$ |
| :---: | :---: | :---: | :---: | :---: | :---: |
| $\psi\left(\mathrm{S}, \mathrm{D} 2 \mathrm{OW}, \mathrm{V} 1, \mathrm{D} 1, \mathrm{Q}, \mathrm{H}^{\prime} / 5, \mathrm{Slope}\right), R\left(\mathrm{~S}, \mathrm{D} 2 \mathrm{OW}, \mathrm{H}^{\prime} / 5, \mathrm{GOHV}\right), \delta(),. \mathrm{p} 1$ (Method,Depth),p2(.) | 685.60 | 0.00 | 25 | 603.89 | 0.37 |
| $\psi\left(\mathrm{S}, \mathrm{D} 20 \mathrm{~W}, \mathrm{~V} 1, \mathrm{D} 1, \mathrm{Q}, \mathrm{H}^{\prime} / 5, \mathrm{Slope}\right), R\left(\mathrm{~S}, \mathrm{D} 2 \mathrm{OW}, \mathrm{V} 1, \mathrm{H}^{\prime} / 5, \mathrm{GOHV}\right), \delta(),. p 1$ (Method,Depth),p2(.) | 686.19 | 0.59 | 26 | 599.09 | 0.27 |
| $\psi\left(\mathrm{S}, \mathrm{D} 20 \mathrm{~W}, \mathrm{~V} 1, \mathrm{D} 1, \mathrm{Q}, \mathrm{H}^{\prime} / 5, \mathrm{Slope}\right), R\left(\mathrm{~S}, \mathrm{D} 2 \mathrm{OW}, \mathrm{V} 1, \mathrm{H}^{\prime} / 5, \mathrm{GOHV}\right), \delta(),. p 1$ (Method),p2(.) | 686.59 | 0.99 | 25 | 604.88 | 0.22 |
| $\psi\left(\mathrm{S}, \mathrm{D} 2 \mathrm{OW}, \mathrm{D} 1, \mathrm{Q}, \mathrm{H}^{\prime} / 5, \mathrm{Slope}\right), R\left(\mathrm{~S}, \mathrm{D} 2 \mathrm{OW}, \mathrm{V} 1, \mathrm{H}^{\prime} / 5, \mathrm{GOHV}\right), \delta(),. \mathrm{p} 1$ (Method, Depth),p2(.) | 689.29 | 3.69 | 25 | 607.58 | 0.06 |
| $\psi\left(\mathrm{S}, \mathrm{D} 2 \mathrm{OW}, \mathrm{V} 1, \mathrm{D} 1, \mathrm{Q}, \mathrm{H}^{\prime} / 5, \mathrm{Slope}\right), R\left(\mathrm{~S}, \mathrm{D} 2 \mathrm{OW}, \mathrm{V} 1, \mathrm{H}^{\prime} / 5, \mathrm{GOHV}\right), \delta(),. p 1$ (Depth),p2(.) | 689.72 | 4.12 | 25 | 608.01 | 0.05 |
| $\psi\left(\mathrm{S}, \mathrm{D} 2 \mathrm{OW}, \mathrm{V} 1, \mathrm{D} 1, \mathrm{Q}, \mathrm{H}^{\prime} / 5, \mathrm{Slope}\right), R\left(\mathrm{~S}, \mathrm{D} 20 \mathrm{~W}, \mathrm{H}^{\prime} / 5, \mathrm{GOHV}\right), \delta(),. p 1(),. p 2($. | 690.28 | 4.68 | 23 | 618.61 | 0.04 |

## Estimates for Model-Season Occupancy and Imperfect Detection

Model selection statistics indicated that model $\psi(\mathrm{D} 2 \mathrm{OW}, \mathrm{V} 1, \mathrm{D} 1, \mathrm{Q}, \mathrm{H}$, Slope $)$, $R(\mathrm{D} 2 \mathrm{OW}, \mathrm{H}, \mathrm{GOHV}), \delta(),. p 1$ (Method, Depth), and $p 2$ (.) provided the best description of the data ( $w_{l}=$ 0.37) (Table 2.12). However, the global model and a model omitting depth fitted for detection a stream segment that was somewhat occupied ( $p 1$ ) were also well-supported ( $w_{2}=0.27$, and $w_{3}=0.22$ ) (Table 2.12). To account for model selection uncertainty, model-averaging was applied to all models in the $95 \%$ confidence set (Table 2.12); full results of model-averaging are available in Appendix B.

The model averaged detection probability for state uncertainty between occupied states ( $\delta$ ) was $\delta=0.59, \mathrm{SE}=0.06$ for all four model seasons (Table 2.13); thus there was a $60 \%$ probability that a stream segment was correctly classified as being highly occupied (given that it was occupied). Model-averaged probabilities of detecting a single fish in stream segments that were occupied varied considerably across model seasons, with the greatest detection efficiency occurring in season three $\left(p 1_{\text {season } 1}=0.547 \pm 0.13\right.$ $\left.\mathrm{SD}, p 1_{\text {season } 2}=0.30 \pm 0.11 \mathrm{SD}, p 1_{\text {season } 3}=0.755 \pm 0.11 \mathrm{SD}, p 1_{\text {season } 4}=0.246 \pm 0.10 \mathrm{SD}\right)($ Table 2.13 $)$. The model-averaged probability of detecting a single fish in stream segments that were highly occupied ( $p 2$ ) was near perfect ( $p 2=0.98, \mathrm{SE}=0.02$ ) (Table 2.13).

After adjusting for non-detection, probability of occupancy for stream segments that were occupied $(\psi)$ was relatively high in the first two model seasons ( $\psi_{1}=0.60 \pm \mathrm{SD}=0.36$ and $\psi_{2}=0.89 \pm$
$\mathrm{SD}=0.16$ ), whereas occupancy estimates decreased slightly in model season 3 and stayed relatively constant through model season $4\left(\psi_{3}=0.43 \pm \mathrm{SD}=0.33\right.$ and $\left.\psi_{4}=0.47 \pm \mathrm{SD}=0.33\right)$ (Table 2.13). These occupancy values are greater than naïve occupancy estimates (where probability of detection is not taken into account), which were approximately 0.55 in model-season $1,0.60$ in model-season $2,0.41$ in modelseason 3, and 0.22 in model-season 4) (Table 2.13).

The conditional probability that a stream segment was highly occupied, $R$, was similar for the first two seasons ( $R_{l}=0.35 \pm \mathrm{SD}=0.31$ and $R_{2}=0.32 \pm \mathrm{SD}=0.32$ ), whereas the conditional probability of highly occupied stream segments decreased in seasons 3 and $4\left(R_{3}=0.24 \pm \mathrm{SD}=0.28\right.$ and $\left.0.05 \pm \mathrm{SD}=0.12\right)$ (Table 2.13). The adjusted (for imperfect detection) probability estimates for highly occupied stream segments were less than naïve estimates (naïve occupancy estimate approximately 0.4 in season $1,0.4$ in season 2, 0.39 in season 3, and 0.08 in season 4), but the difference between naïve and derived occupancy estimates was not as great for stream segments that were highly occupied as it was for overall occupancy (Table 2.13).

Table 2.13. Naïve and model-averaged estimates of probability that stream segments were occupied ( $\psi$; psi ), and highly occupied ( $R$ ). Model-averaged estimates of seasonal detection probabilities for occupied stream segments ( $p 1_{\text {seasons } 1-4}$ ), as well as probability that stream segments were correctly classified as highly occupied $(\delta)$, and probability that at least one fish was detected in highly occupied stream segments (p2).

| Seasonal Occupancy and Detection | Naïve Estimates | Model-Avg-Est | SD |
| :--- | :--- | :--- | :--- |
| $\psi$ (model season 1)(avg. all stream segments) | 0.55 | 0.604 | 0.358 |
| $\psi$ (model season 2)(avg. all stream segments) | 0.60 | 0.898 | 0.163 |
| $\psi$ (model season 3)(avg. all stream segments) | 0.41 | 0.432 | 0.337 |
| $\psi$ (model season 4)(avg. all stream segments) | 0.22 | 0.477 | 0.331 |
| $R$ (model season 1)(avg. all stream segments) | 0.4 | 0.359 | 0.314 |
| $R$ (model season 2)(avg. all stream segments) | 0.4 | 0.328 | 0.328 |
| $R$ (model season 3)(avg. all stream segments) | 0.39 | 0.242 | 0.286 |
| $R$ (model season 4)(avg. all stream segments) | 0.08 | 0.0586 | 0.121 |
| $\delta()$. | - | 0.594 | $0.0598^{*}$ |
| $p 1$ (model season 1)(avg. all stream segments) | - | 0.547 | 0.126 |
| $p 1($ model season 2)(avg. all stream segments) | - | 0.299 | 0.109 |
| $p 1$ (model season 3)(avg. all stream segments) | - | 0.755 | 0.112 |
| $p 1($ model season 4)(avg. all stream segments) | - | 0.246 | 0.0953 |
| $p 2()$. | - | 0.984 | $0.0160^{*}$ |

[^0]
## EFFECTS OF ENVIRONMENTAL COVARIATES

## Beta coefficients

Table 2.14a and 2.14b provide a summary of the Beta regression coefficients (on the logit scale) for model-season specific parameter intercepts (Table 2.14a) and environmental covariates (Table 2.14b). For season-specific occupancy and detection parameters in Table 2.14a, Beta coefficients represent the baseline occupancy or detection upon which the additive effects of environmental covariates are summed to determine occupancy or detection estimates (e.g., $p 1$ in model-season $1=-0.08(1)+0.85($ Method $)+-$ 0.4(Depth)). A Beta value of 0.00 is equivalent to $50 \%$ occupancy or detection on the probability scale. For continuous covariates in Table 2.14b, Beta coefficients represent the relative magnitude and direction of the standardized effect over one standard deviation increase in the covariate value. For binary and ordinal data, Beta coefficients represent the relative magnitude and direction of effect for every unit of increase. This approach is particularly useful when covariates are measured in different units. However, since data must be transformed from the logit scale to the probability scale using the delta method, modelaveraged Beta coefficiencts should be considered a preliminary evaluation of the magnitude and direction of covariate effects (MacKenzie et al. 2006; Greene 2012).

Table 2.14a. Summary of model-averaged Beta estimates for model-season intercepts ( $\beta_{0}$ ) prior to being converted onto the probability scale with corrections to standard errors applied

| Parameter | Model <br> Season | $\boldsymbol{\beta}$ <br> estimate | SE |
| :---: | :---: | :---: | :---: |
| $\psi$ | 1 | 6.29 | 0.81 |
| $\psi$ | 2 | 3.18 | 0.86 |
| $\psi$ | 3 | -1.76 | 0.27 |
| $\psi$ | 4 | -2.76 | 0.69 |
| $R$ | 1 | -2.54 | 0.35 |
| $R$ | 2 | -3.28 | 0.39 |
| $R$ | 3 | -4.07 | 0.51 |
| $R$ | 4 | -6.61 | 0.67 |
| $p 1$ | 1 | -0.08 | 0.19 |
| $p 1$ | 2 | -1.37 | 0.21 |
| $p 1$ | 3 | 0.76 | 0.26 |
| $p 1$ | 4 | -1.74 | 0.32 |
| $p 2$ | All | 4.11 | 0.5 |
| $\delta$ | All | 0.38 | 0.12 |

Table 2.14b. Summary of model-averaged Beta estimates $\left(\beta_{1}\right)$ for fitted covariates prior to being converted onto the probability scale with corrections to standard errors applied.

|  |  | $\boldsymbol{\beta}$ |  |
| :---: | :--- | :---: | :---: |
| Parameter | Covariate | estimate | SE |
| $R$ | GOHV | 3.82 | 0.39 |
| $\psi$ | Q | -2.71 | 0.39 |
| $\psi$ | $\mathrm{D}_{\text {season1 }}$ | -2.2 | 0.4 |
| $\psi$ | Slope | 1.89 | 0.34 |
| $R$ | D2OW | -1.63 | 0.24 |
| $\psi$ | D2OW | -1.4 | 0.21 |
| $\psi$ | V1 | -1.25 | 0.21 |
| $p 1$ | Method | 0.85 | 0.34 |
| $R$ | $\mathrm{H}^{\prime} / 5$ | 0.78 | 0.35 |
| $\psi$ | $\mathrm{H}^{\prime} / 5$ | 0.69 | 0.21 |
| $R$ | $\mathrm{~V}_{\text {season1 }}$ | -0.64 | 0.7 |
| $p 1$ | Depth | -0.4 | 0.46 |

Probability a segment is occupied ( $\psi$ ) - In the first model season, increasing water depth, velocity of the stream segment, and stream-scale discharge all had a negative influence on the probability that a stream segment was occupied (Figures 2.5 to 2.7).


Figure 2.5. Model-averaged effect of mean segment depth (m) on the probability a stream segment is occupied $(\psi)$ in the first model-season. Dotted lines represent $95 \%$ confidence intervals.


Figure 2.6. Model-averaged effects of mean segment velocity ( $\mathrm{m} / \mathrm{s}$ ) on the probability a stream segment is occupied ( $\psi$ ) and conditionally highly occupied $(R)$ in the first model-season. Dotted lines represent $95 \%$ confidence intervals.


Figure 2.7. Model averaged effects of stream-level discharge $\left(\mathrm{m}^{3} / \mathrm{s}\right)$ on the probability a stream segment was occupied $(\psi)$ in each of the four model seasons. Dotted lines represent $95 \%$ confidence intervals.

In model seasons 2, 3, and 4, stream segment slope and distance to overwintering habitat had the greatest effect on the probability a stream segment was occupied (Figures 2.8 and 2.9). Habitat complexity and stream discharge were also key determinants of a stream segment being occupied (Figures 2.7 and 2.10). Stream segment slope and habitat complexity had a positive influence on the stream segments being occupied, whereas distance to overwintering habitat and stream-level discharge had a negative influence on the stream segment being occupied (Figures 2.7 to 2.10). In model seasons 3 and 4, the greatest decline in probability that a stream segment was occupied $(\psi)$ occurred in the first 500 m from an overwintering lake (Figure 2.9). As overall discharge decreased across model seasons, so too did the overall probability of occupancy (Figure 2.7).


Figure 2.8. Model-averaged effects of stream segment slope (degrees) on the probability a stream segment is occupied ( $\psi$ ) in each of the four model seasons. Error bars represent $95 \%$ confidence intervals.


Figure 2.9. Model-averaged effects of distance to overwintering habitat (m) on the probability that a stream segment was occupied ( $\psi$ ) in each of the four model seasons. Dotted lines represent $95 \%$ confidence intervals.


Figure 2.10. Model-averaged effects of habitat complexity $\left(H^{\prime} / 5\right)$ on the probability a stream segment was occupied $(\psi)$ in each of the four model-seasons. Dotted lines represent $95 \%$ confidence intervals.

Conditional probability that a segment was highly occupied ( $R$ ) - In model seasons 1, 2, and 3, good overhanging vegetation and distance to overwintering habitat had the greatest effect on the probability that stream segments were highly occupied, given the segment was occupied; these effects were relatively less strong in model-season 4 when high occurrence was generally low (Figures 2.11 and 2.12). In general, stream segments with more overhanging vegetation and higher habitat complexity were more likely to be highly occupied (Figures 2.11 and 2.13). Similar to the effect of distance to overwintering habitat on a segment being occupied, increasing distance to overwintering habitat (range 0-1645 m) also had a negative effect on the conditional probability of a segment being highly occupied; with the greatest decline in highly occupied segments observed within the first 200 m from overwintering habitat (Figure 2.12). Habitat complexity had a moderately positive effect on the conditional probability that a stream segment was highly occupied (Figure 2.13). The weakest covariate of conditional probability of high occupancy in the $95 \%$ model set was mean segment velocity in the first model-season (Figure 2.6); this effect was negative.


Figure 2.11. Model-averaged effects of good overhanging vegetation on the conditional probability that a stream segment was highly occupied, given the segment was already occupied $(R)$ in each of the four model seasons. Error bars represent $95 \%$ confidence intervals.


Figure 2.12. Model-averaged effects of distance to overwintering habitat (m) on the conditional probability that a stream segment was highly occupied, given the segment was already occupied $(R)$ in each of the four model-seasons. Dotted lines represent $95 \%$ confidence intervals.


Figure 2.13. Model-averaged effects of habitat complexity $\left(H^{\prime} / 5\right)$ on the conditional probability that a stream segment was highly occupied, given the segment was already occupied $(R)$ in each of the four model-seasons. Dotted lines represent $95 \%$ confidence intervals.

Detection efficiency - In stream segments that were somewhat occupied ( $\varphi^{[1]}$ ), detection probabilities ( $p 1$ ) were affected by survey method and mean segment depth. The probability of detection in stream segments was higher using the electrofishing+visual method (Figure 2.14) and declined with mean segment depth (Figure 2.15). Depth and other habitat covariates did not influence the detection of fish when stream segments were highly occupied ( $p 2$ ), and did not explain any uncertainty in the probability of correctly classifying highly occupied segments ( $\delta$; state uncertainty). There was a marked increase in detection efficiency between model-seasons 2 and 3, however the model structure does not account for inter-season variability in detection.


Figure 2.14. Model-averaged effects of mean segment depth (m) on the probability of detection for stream segments that are somewhat occupied ( $p 1$ ) in each of the four model-seasons. Dotted lines represent $95 \%$ confidence intervals.


Figure 2.15. Model-averaged effects of mean segment depth (m) on the probability of detection for stream segments that are somewhat occupied ( $p l$ ) in each of the four model-seasons. Dotted lines represent $95 \%$ confidence intervals.

## DISCUSSION

## DETECTION

Ecologists have long accepted imperfect detection as an unavoidable limitation of quantitative habitat-use studies of animals, which obscures our understanding of the actual distribution and abundance of a species (MacKenzie et al. 2006). Imperfect detection may also obscure the relative importance of the ecological components associated with a species' distribution, and the magnitude of their effect (Guillera-Arroita et al. 2010; Dextrase et al. 2014). In the present study, lower detection efficiencies in the second and fourth survey periods could have led to incorrect conclusions had I used naïve occupancy estimates alone, given that I estimate that the overall occupancy of stream segments ( $\psi$ ) by YOY was only $75 \%$ of the actual proportion of occupied stream segments.

Imperfect detection also played an important role in correctly determining occupancy states of coarse abundance. Detection efficiencies in this study were similar with those of another study using CPUE to distinguish multiple abundance states (Jensen \& Vokoun 2013). The probability of correctly classifying highly occupied segments as such ( $\delta$ ) was approximately $60 \%$ across all four survey periods, but was not affected by environmental covariates included in our $a$ priori model set, likely as a result of the difficult nature of observing cryptically-coloured species like YOY Arctic Grayling.

Survey method affected detection probabilities for segments that were somewhat occupied ( $p 1$ ). As expected, detection efficiency increased when using the combined electrofishing+visual survey method over the visual-only method. The increase in detection using electrofishing+visual relative to visual-only surveys was smaller than observed in other
studies (Albanese et al. 2011; Rodtka et al. 2015). On average, electrofishing+visual surveys resulted in a 1.5 times greater chance of detecting YOY Arctic Grayling in segments that were somewhat occupied over visual-only detection methods alone. This muted effect is likely best explained by low conductivity ( $14.32 \pm$ SD $0.76 \mu \mathrm{~S} / \mathrm{cm}$ ) throughout the study system. Sub-Arctic tundra streams have low conductivity in general, so the decision to use electrofishing+visual surveys versus visual-only surveys would depend on the cost of sampling in these remote areas with or without an electrofisher, and how often surveyors can visit the site to conduct the repeat surveys necessary to account for imperfect detection. So if you are planning a study or monitoring program on the habitat occupancy of YOY Arctic Grayling, and you are interested in knowing where there are a few fish as well as many fish - you'll need to use an electrofisher in Barrenland streams.

The probability of detecting a fish in sites that are highly occupied ( $p 2$ ) was near perfect, detecting a fish $98 \%$ of the time when sites were highly occupied, and no habitat or method covariates were related to the probability of detection. This means, that when there is relatively high CPUE, it doesn't matter what method you use - electrofishing or visual - or how deep the water is - you are still going to detect at least one fish in these sites. In other words, where there are lots of fish and occupancy is high, visual detection methods are as good as electrofishing without the suffering and it costs less too. This is useful to researchers and managers concerned with optimizing sampling protocols that identify the best habitats for YOY Arctic Grayling.

Increasing stream depth had a negative effect on the probability of detecting YOY Arctic Grayling in stream segments that were somewhat occupied ( $p 1$ ) whereas increasing amounts of obscuring, overhanging riparian vegetation did not affect detection probabilities. Depth is used as cover by many fish species, including Grayling (e.g., Wesche et al. 1987; Groce et al. 2012). My
results indicate that probability of detection decreased with increasing depth, and that deeper, more lentic habitats, such as shallow water ponds, may be more easily misclassified as being unoccupied. This is likely due to decreasing efficacy of both visual and electofishing sampling methods in deeper habitats. As good overhanging cover was an important determinant of segments that were highly occupied, the lack of effect of overhanging cover on the probability of detection given the segment was somewhat occupied ( $p 1$ ) could have been limited by the number of segments where both the lower occupancy state and good overhanging vegetation occurred.

There was a general trend in probability of detection across the survey periods, with marked increase in detection efficiency observed between the second and third survey periods. However, transitions in detection probabilities are implicit within the model structure, and it was not possible to use environmental covariates to explain this increase in detection efficiency. One possible explanation for the observed increase in detectability is that declining discharge improves detectability. Along with a decline in mean segment depth, declines in discharge cause a lateral contraction of stream habitat (personal observations), and may have a concentrating effect on YOY Arctic Grayling. It is also possible, that as YOY grew and their swimming capability improved that they became easier to detect. The drop in detection efficiency in the fourth survey period was likely due expected declines in YOY numbers, due to either increased mortality or emigration to overwintering habitat, and the use of interstitial flow as habitat.

## OCCUPANCY

The occurrence of YOY Arctic Grayling in this study depended on numerous interacting ecological variables, such as water depth, velocity, and discharge, stream slope, habitat
complexity, distance to overwintering habitat, and the availability of sufficient overhanging riparian vegetation. The relative magnitude of these effects varied by the state of occupancy, where psi $(\psi)$ represented the probability of a stream segment being occupied (either somewhat or highly occupied), and ( $R$ ) represented the conditional probability that a stream segment was highly occupied (given occupancy was established).

## Effects of stream morphology

In all but the first survey period, the slope of the stream segment was an important determinant for all occupied stream segments $(\psi)$. The lack of effect in the first survey period is likely due to an interaction with mean segment velocity and stream slope. In the latter three survey periods, I observed YOY Arctic Grayling more frequently in the higher slope stream segments (i.e., stream slopes between $2-4^{\circ}$ ). This is somewhat unexpected as stream segment slope was moderately correlated with mean segment velocity ( $\mathrm{x}=0.50, \mathrm{p}<0.01$; Appendix A), and velocity had a negative effect on occupancy. However, Barrenland streams stream morphology differs from what would be expected across a similar range of slopes in bettersorted, alluvial stream systems (Montgomery \& Buffington 1997; Robert 2014). In this study system, the streambed is predominantly composed of poorly-sorted boulder and cobble substrate, producing a uniform 'steep and shallow rapid' morphology. This uniform stream morphology may improve the suitability of higher slope stream segments to YOY Arctic Grayling by providing ample velocity refugia in the form of quiet pockets of water immediately behind larger rocks and boulders. These pockets could improve the ability of YOY Arctic Grayling to conserve energy, while the surrounding turbulence confers several advantages, such as cover from
predators. Aquatic predators, such Northern Pike (Esox lucius) are excluded from shallow and turbulent environments due to their larger, non-streamline morphology (Inskip 1982).

Higher sloped stream segments with higher velocity water also tend to have greater macro-invertebrate drift (Ciborowski et al. 1977). Barrenland YOY Arctic Grayling have been found to feed primarily upon stream invertebrates such as midge and blackfly larvae (Chironomidae and Simuliidae; Jones et al. 2003a), the latter of which almost exclusively inhabit flow over boulders directly upstream of the same velocity refugia that YOY use (Sommerman et al. 1955). I posit that stream segment slope is a proximate environmental factor that influences many other habitat features that ultimately affect the survival of YOY. Thus, it is important to understand the effects of other environmental variables that scale with slope such as water velocity, streambed morphology, refugia from predators, and availability of food sources.

Increasing habitat complexity (i.e., the diversity of meso-habitat - run, riffle, pool, cascade, and shallow water) had a positive influence on the probability that a stream segment was occupied $(\psi)$ in most model-seasons. Additionally, increasing habitat complexity had a greater effect on the conditional probability that a segment was highly occupied $(R)$. As the lack of suitable stream habitat is a well described limitation to fish populations (Minns et al. 2011), an increase in the probability of occupancy for both occupancy states was expected; increased stream complexity tends to lead to greater resiliency of the stream community to flash flooding events, and provides a variety of cover and foraging opportunities (Lonzarich \& Quinn 1995; Anlauf-Dunn et al. 2014). Hence, maintenance of habitat complexity in these Barrenland streams is an important consideration for resource managers and regulators implementing impact mitigation strategies (Jones \& Tonn 2004a).

## Effects of distance to overwintering habitat

Increasing distance to overwintering habitat had a negative effect on the probability of a stream segment was occupied by YOY Arctic Grayling, with the conditional probability of a segment being highly occupied $(R)$ decreasing more sharply than overall occupancy. In August and September a few fish are occupying sites as far away as 500 m from overwintering habitat, but most fish are less than 200 m from overwintering habitat. This is consistent with findings from descriptive studies of Arctic Grayling (Craig 1989). Furthermore, both Hershey et al. (2006) and Haynes et al. (2014) found that the distance to the nearest lake had a negative influence on mature Arctic Grayling presence. However, neither study examined the effect of distance to the nearest lake on the occurrence of YOY Arctic Grayling. The negative relationship between distance to overwintering habitat and occupancy is not surprising in this study system. The streams in this system lose surface water connectivity as the open-water season progresses, and many of the smaller lakes in this study system were likely not suitable overwintering habitat due to their shallow depth (often $<5 \mathrm{~m}$ ), thick ice (often exceeding 2 m in thickness), and corresponding lack of oxic bottom waters (Clilverd et al. 2009; unpublished data).

As Arctic Grayling are known to migrate many kilometers to overwintering habitat (West et al. 1992; Bradford et al. 2008), and exhibit site-fidelity to natal spawning grounds (Buzby \& Deegan 2000), I posit that distance to overwintering habitat limits the occupancy of Arctic Grayling differently for each life stage. Distance to overwintering habitat may limit the ability of mature Arctic Grayling to reach suitable spawning grounds, but also limit the ability of streams to provide passage to overwintering habitat at the end of the YOY rearing season. Thus, stream segments that are most likely to be occupied by YOY Arctic Grayling must meet the criteria of
being physically connected to overwintering habitat at the beginning and end of the open-water season, and secondarily, provide better-than-average rearing habitat.

## Effects of stream flow and depth

During the first survey period, higher stream velocities led to a linear decrease in the probability that a stream segment was either occupied $(\psi)$ or highly occupied $(R)$ by YOY Arctic Grayling, with the conditional probability that a segment was highly occupied $(R)$ decreasing more sharply than overall occupancy. There are likely a few fish occupying sites up to approximately $0.3-0.4 \mathrm{~m} / \mathrm{s}$, but that there are more fish in sites with very slow velocities ( $<0.1$ $\mathrm{m} / \mathrm{s}$ ). Water velocity becomes unimportant to habitat occupancy in the latter three survey periods, likely because of three converging factors, the improved swimming capabilities of YOY, more flow that is available within range, and the considerable velocity refuge provided by the poorly sorted boulder-dominated streams (Kratt \& Smith 1977; Deegan et al. 2005). Jones and Tonn (2004) also found that YOY Arctic Grayling associated with water velocities below $0.1 \mathrm{~m} / \mathrm{s}$, and that the effect of velocity was unimportant to YOY habitat-use later on in the season. Due to differences in available velocities, it is possible that the linear relationship we observed between velocity and occupancy is the result of sampling only one side of the range that is found in Jones and Tonn's study (2004). Because of this, the extra covariate required to characterize quadratic relationships did not carry enough explanatory weight in the AIC model rankings. It is possible that velocity measurements, taken $60 \%$ of depth from the bottom of the thalweg, do not accurately represent swimming experience of YOY Arctic Grayling. Stream-bottom or snout-
depth measurements may have provided a more accurate representation of velocity experience for YOY Arctic Grayling.

Deeper water in stream segments also led to a linear decrease in the probability of stream segments being occupied $(\psi)$ in the first survey period, with highest probability of YOY occupancy occurring at sites with depths less than half a meter. Depth becomes unimportant to YOY habitat occupancy in the latter three survey periods as YOY spread out to use deep water pond habitat (pers. observations). Jones and Tonn (2004) also found that early season YOY habitat use was restricted to shallow water depths. One explanation for this is that it is possible that recently-emerged YOY avoid deeper habitats because these habitats are more likely to house fish predators, but this requires further investigation.

Unlike Jones and Tonn (2004b) who modeled an optimum (i.e., quadratic function) for both water velocity and depth of approximately $0.5 \mathrm{~m} / \mathrm{s}$ and 0.60 m , respectively, at which small YOY were most abundant, I observed a linearly decreasing relationship between YOY occupancy and both water velocity and depth. In the present study, the range of velocity observed was $0.01-0.55 \mathrm{~m} / \mathrm{s}$, and the range of depth was $0.12-1 \mathrm{~m}$, but segments with velocity and depth values in the middle of those ranges were underrepresented in sampling. Therefore, it is likely that the effect of velocity and depth were modeled as a negative linear effect because velocity and depth optima present in Jones and Tonn's (2004b) study were unavailable to sample. It is also possible that this reflects an AIC variable penalization effect. AIC is a parsimonious model selection process that favours the simplest models over those having marginally useful additional terms. A quadratic function in a model necessitates the inclusion of two terms for a single variable (the mean ${ }^{2}+$ mean, as in the equation of a quadratic function). Based on the available range of water velocity data and depth in this study, the quadratic
function could have modeled the data marginally better than the linear function, but was ranked as worse by AIC due to the penalization for the extra term. It is likely that the real effect of water velocity and depth on YOY Arctic Grayling occupancy is in fact still that of an environmental optimum (quadratic), but further research is required.

Increasing stream discharge had a negative effect on the probability that stream segments were occupied for all four survey periods. This was particularly true during the first survey, likely due to a combination of depth and velocity exceeding the natural optima (Ford 1995; Jones \& Tonn 2004b; Deegan et al. 2005). The magnitude and persistence of the effect of discharge on occupancy through the subsequent three survey periods was likely driven by one of the streams in our study system (Stream M1). Discharge rates in the M1 stream segments were approximately 1.5 times greater than the average discharge of all other streams, and no YOY Arctic Grayling detections in Stream M1, in any of the four survey periods.

A qualitative assessment of discharge and habitat occupancy revealed that the probability a segment was occupied began to decline when average survey period discharge dropped below $0.1 \mathrm{~m}^{3} / \mathrm{s}$. A qualitative assessment of the Kennady Lake drainage system suggested a similar relationship between stream discharge and YOY Arctic Grayling occurrence (Golder Associates 2012). However, transitions in occupancy states are implicit within the current model structure. Thus, it was not possible to use environmental covariates to explain this decrease in overall occupancy. Although it is beyond the scope of this study, the influence of discharge on colonization and local extinction dynamics could be addressed with only a slight adjustment in model design. It is thought that declines in discharge may act as a cue to YOY and juvenile Arctic Grayling to depart from productive stream habitats to overwintering grounds (Deegan et al. 1999; Heim et al. 2015), so it would also be interesting to examine which aspect of discharge
(measured as the water velocity x depth x width) is the strongest driver of occupancy. Although it was not measured, it appeared that as discharge decreased, there was an exponential decrease in bankfull width of the stream segment relative to mean segment depth (personal observation). As such, it is possible that stream width is the strongest driver of occupancy. This would explain the discrepancy between the apparent lack of importance of velocity and depth in the 2nd-4th survey periods, while discharge remained an important variable for describing probability that a segment was occupied $(\psi)$ throughout the summer of 2014.

It is important to note that in 2014, the year of this study, precipitation levels were $34 \%$ lower than the 50-year average; 2014 was the $2^{\text {nd }}$ driest year since 1948 (Environment Canada 2014). The lighter snowpack and shortage of summer rain reduced the magnitude of the spring freshet discharge, and my data indicate that the study streams had far less sustained flow throughout the open-water season than in previous recent years (De Beers Canada 2010b; Golder Associates 2012). These conditions resulted in lower than average water depths and velocity throughout the open water season, and likely promoted earlier development of barriers to fish movement. These conditions could also have resulted in a stronger-than-usual effect of distance to overwintering habitat on probability of occupancy; more data collected over a range of years with differing hydrological conditions would be required to investigate this.

## Effects of riparian vegetation

Increasing amounts of overhanging vegetation (GOHV) increased the probability that stream segments were highly occupied (CPUE $\geq 6$ ). This is consistent with the findings of Jones and Tonn (2004b), who found that YOY Arctic Grayling selected habitat with greater
overhanging vegetation. While the link between visual isolation and YOY Arctic Grayling occurrence is not a new finding (e.g.,McClure \& Gould 1991), this study more fully quantifies the importance of overhead cover for YOY Arctic Grayling in Barrenland streams, as I sampled stream reaches that ranged from $0 \%$ to $100 \%$ cover. As there is considerable regional variation in the quantity of overhanging riparian cover available on the sub-Arctic tundra (partially related to the distance from the treeline; Ecosystem Classification Group 2012), the relative importance of overhanging vegetation found in Jones and Tonn's (2004) more northerly study may not be apply to streams in my study system (i.e., 100 km vs. 20 km to treeline, respectively).

Riparian vegetation that overhangs a stream obscures the stream from visual predators, deposits terrestrially-derived invertebrates and leaf litter, and regulates and stabilizes in-stream temperature (Hawkins et al. 1982; Beschta 1997; Wipfli 1997; Richardson et al. 2010). Refuge from predators may be particularly important in higher latitudes with 24 hours of daylight during the earliest, most vulnerable stages of rearing. These refugia allow YOY to spend less energy on evasive behaviour, experience reduced mortality rates, and focus more energy on feeding to build up lipid reserves that are important to overwintering survival (Maddock et al. 2013). It is also possible that mature Arctic Grayling seek out reaches with good overhanging vegetative cover during spawning. Arctic Grayling are iteroparous, spawning each year upon reaching maturity; thus, refuge from aerial predation during spawning may be an important component for survival and fecundity.

Overhead riparian cover may also subsidize aquatic invertebrate food resources with greater amounts of terrestrial macro-invertebrates. In many freshwater systems, riparian vegetation may be the dominant source of invertebrate resources for fish (Mason \& Macdonald 1982; Wipfli 1997). In nutrient-poor, Barrenland systems, this terrestrial subsidization may
provide more than half of the energy needed by fish in order to survive to maturity (Allan et al. 2003). Jones et al. (2003) found that terrestrially-derived invertebrates were of relatively limited availability and rarely found in YOY Arctic Grayling diet. However, a lack of extensive overhanging vegetation in their study (estimated 20-30\% in photos accompanying publication) limits extrapolation to the present study which had up to $100 \%$ vegetation cover. Further research using stomach content analysis, stable isotopes, and relative abundance of macroinvertebrates would be required to characterize sources of macro-invertebrate in YOY Arctic Grayling diet.

The presence of greater quantities of overhanging cover in my study system relative to Jones and Tonn (2004b) study system could also help to explain the difference in habitat use as related to stream segment depth. Visual isolation may allow YOY Arctic Grayling to abandon certain evasive behaviours, such as occupying deeper stream segments, to occupy stream reaches with shallower depths, but greater cover and food availability (De Bruyn \& McCart 1974; Deegan et al. 2005).

## Temporal trends in stream occupancy

Temporal trends were evident in the occupancy of stream segments by YOY Arctic Grayling. Occupancy was highest in mid-to late-July (during the first round of surveys), and decreased through the summer to the lowest occupancy observed during the fourth round of surveys (September). At the end of the season, the exceptionally low occupancy of YOY Arctic Grayling in stream segments likely reflects both the progressive loss of YOY from declining survival as well as the successful winter migration of some portion of the remaining YOY (Jones
\& Tonn 2004b). Migrations of YOY were not tracked in this study, thus it is not possible to separate these two factors affecting occupancy, and as such, it is not prudent to assume that YOY occupancy of the stream segments during the fourth survey (September) entirely reflects the effects of mortality or suitability of environmental conditions.

Assuming that some of the decline in occupancy through the four surveys represents successful migrations to overwintering habitats, it appears that YOY began departing for overwintering habitat in early- to mid-August-as discharges in the Kennady Lake drainage system fell below $0.1 \mathrm{~m}^{3} / \mathrm{s}$. However, extinction and colonization rates need to be modeled before I can make this claim with certainty. The timing of this emigration is notable when one considers that YOY have the potential to amass approximately $0.8 \mathrm{~g} /$ day by feeding in these outlet streams (Heim et al. 2014). Since similar patterns in the timing of apparent emigration and declines in both discharge and habitat-use were also observed in Jones and Tonn (2004b), it would appear that the availability of stream rearing habitat on the Barrenlands is constrained by discharge-related declines in habitat quantity and surface-water connectivity. Consequently, YOY likely spent less time in these productive outlet streams than could be expected in years with more precipitation.

## Limitations, Implications, and Future Research

As the survey methods in this study involved sampling adjacent segments within each stream, it is unlikely that spatial independence between stream segments was achieved (this is a common problem in stream studies). If this is true, then the spatial correlation is unaccounted for in the current model, and as such, the results may have overestimated the effect of environmental
covariates (Dale \& Fortin 2014); current research outside the scope of my thesis is investigating this possibility. However, it could be possible to account for spatial correlation by adding a confounding factor covariate to our model set. Several other factors could have influenced occupancy or detection, including the presence of potential predators of YOY Arctic Grayling (mainly Northern pike; Esox lucius), inter-annual variation in climate and hydrology, and lowertrophic productivity. These variables could play a role in distribution of YOY Arctic Grayling, and may be sources of uncertainty unaccounted for in this model.

Relatively little is known about the Arctic Grayling residing in the sub-Arctic tundra shield, thus the study of YOY Arctic Grayling should be extended into a multi-year program, in order to gain better understanding of inter-annual variability in abundance. As evidenced by the success of the long term ecological research network (LTER) located in the foothills region of the North Slope of Alaska, multi-year studies are also able to provide valuable information regarding spatio-temporal variation of habitat use (Hobbie \& Kling 2014). Multi-year studies can help identify the relative importance of habitat features in the face of varying climate, precipitation, stochastic events (i.e. fire), industrial development, and changing year-class dynamics (Franklin 1989; Minns 2001). From there, models should be integrated into a network of regional studies on habitat occupancy to better inform decision-makers who wish to maintain the productivity and resilience of these freshwater systems (Lapointe et al. 2014). By understanding the regional nuances of freshwater habitat-use by Arctic Grayling, we will be better equipped to track shifts in habitat use as climate change and growing industrial presence continue to shape the Canadian North.

By examining previously uncharacterized environmental covariates such as stream slope, habitat complexity, distance to overwintering habitat, and the availability of sufficient
overhanging riparian vegetation, my study improves the current knowledge base on the occurrence of YOY Arctic Grayling in Barrenland (Jones \& Tonn 2004b; Deegan et al. 2005). Since environmental covariates such as water depth, velocity, and discharge have similar effects on YOY Arctic Grayling in Jones and Tonn's (2004) study, we may be able to expand the inference of these findings to predict YOY occurrence in other Barrenland streams. Conservation efforts for populations of Barrenland Arctic Grayling should focus on protecting and mitigating effects on these crucial habitat characteristics to maintain suitable habitat for this valued fish species. Where resources for conservation and management are limited, special consideration should be given to preserving lakes with overwintering habitat and higher sloped streams with overhanging cover that are in close proximity to these lakes.

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## Chapter 3: General Discussion

## SUMMARY OF RESULTS

To my knowledge, this is the first attempt to quantify imperfect detection in habitat use models for young-of-year (YOY) Arctic Grayling (Thymallus arcticus). Prior to this, studies have simply accepted occurrence or non-occurrence as an accurate representation of habitat-use and non-use (Jones \& Tonn 2004b; Hershey et al. 2006). My findings clearly demonstrate the benefits of accounting for imperfect detection in habitat-use models. With detection probabilities for stream segments that were somewhat occupied as low as 0.25 in some survey periods (i.e., there was a $25 \%$ chance that YOY were detected in segments where $0<C P U E>6$ ), it appears that imperfect detection, if unaccounted for, has the potential to bias estimates of YOY Arctic Grayling habitat occupancy. So by accounting for imperfect detection, the model increases the accuracy of occupancy estimates that would normally go unaccounted for in other model designs (MacKenzie et al. 2009).

Occupancy models also allowed me to account for non-random variation in detection efficiency (Guillera-Arroita et al. 2010). Both survey-method and mean segment depth were important determinants of the probability of detection for stream segments that were somewhat occupied ( $p 1$ ); while environmental covariates were unimportant in determining the probability of accurately differentiating between high and low occupancy states ( $\delta$ ) and for segments that were highly occupied ( $p 2$ ). Now, if you want to design the most efficient sampling program for these fish at this site, sample in mid-July when YOY Arctic Grayling are most abundant. If you are interested in where all the fish are, use an electrofisher. If you are interested in where most of the fish are, visual surveys are fine.

Furthermore, my findings demonstrate the effect of numerous interacting environmental covariates on the habitat occupancy of YOY Arctic Grayling in sub-Arctic tundra streams, and demonstrate how these effects change through the open-water season. During the first survey period, water velocity, depth and discharge led to a decrease in the probability of overall occupancy ( $\psi$ ). As flow
dynamics often limit habitat-use by YOY Arctic Grayling by exceeding thresholds necessary for maintaining a net energetic gain in these streams (Deegan et al. 1999; Jones \& Tonn 2004b), the influence of flow dynamics on the probability of occupancy for YOY Arctic Grayling was expected and largely agrees with other studies in Arctic and sub-Arctic regions (Deegan et al. 1999; Jones \& Tonn 2004b; Heim et al. 2015). While the maximum thresholds for water depth, velocity, and discharge were identified by their linear relationship with habitat occupancy, further testing in this system is required to better characterize the quadratic relationship between YOY Arctic Grayling habitat occupancy and flow. Although not captured in this model structure, declines in discharge over time were associated with a decline in overall occupancy, and appear to indicate that habitat area diminishes with seasonal flow.

In the latter three survey periods, increasing stream slope and habitat complexity led to a higher probability of overall occupancy ( $\psi$ ) whereas increasing distance to overwintering habitat decreased the probability that a stream segment was occupied. Covariates such as these provided a novel understanding regarding the habitat occupancy of YOY Arctic Grayling in Barrenland Arctic stream systems and demonstrated the relative influence of broader scale environmental components (i.e., distance to overwintering habitat) on local habitat conditions. This also suggests that results are very case specific. Limited spatial coverage and regional differences in environmental conditions (e.g., proportion of overhanging vegetation, stream slope, and distance to overwintering habitat) offer an explanation for why these factors have not previously been characterized in habitat-use studies of YOY Arctic Grayling (Deegan et al. 1999; Jones \& Tonn 2004b).

The effects of water velocity, habitat complexity, and distance to overwintering habitat were accentuated when predicting the conditional probability that a stream segment was highly occupied $(R)$, while the presence overhanging riparian cover was also a crucial determinant of highly occupied segments. Visual isolation and increased terrestrial invertebrate drift offer possible explanations as to why YOY Arctic Grayling occupy habitat with overhanging riparian cover (McClure \& Gould 1991; Wipfli 1997), but further examination of the lower-trophic productivity in this study system is required.

Based on my findings, I believe that occupancy models provide the necessary framework to: 1) account for imperfect detection and determine which environmental covariates are influencing detection efficiency; 2) compare the relative detection efficiency of electrofishing and visual survey methods in Barrenland streams; and 3) determine how environmental covariates influence YOY Arctic Grayling habitat occupancy in Barrenland streams.

## Limitations of Current Model Parameterization

There are two areas of uncertainty in my current model parameterization that need to be addressed. First, the standardization of fish counts for each survey method (by seconds of effort) may introduce bias into results. The current from electrofishing may result in YOY Arctic Grayling hiding from electric shock, or, alternatively fish may be drawn in by the electric field to a greater extent than might be expected using visual observations for the same given effort (Bovee \& Cochnauer 1977; Heggenes et al. 1990). To determine the suitability of standardizing both survey methods by the same unit of effort (time), I conducted a post-hoc paired t-test on CPUE abundance estimates. I found that there was no significant difference between the two detection methods for a given unit of effort $\left(\mathrm{t}_{267}=1.97, \mathrm{p}=\right.$ $0.39)$. Thus, in this study system, the unit of effort was reasonably equivalent between the two methods. This equivalency could be attributable to the low conductivity of Barrenland streams, where the effective range of the electrofisher was approximately 2 meters. Two meters is well within the effective range of visual observations, and allowed detection of YOY Arctic Grayling that were fleeing the electric field. Based on these findings, it appears that no undue method bias was introduced by combining survey method CPUE data when delineating between the abundance categories used in multi-state occupancy models.

Second, detection efficiencies could vary between habitat types, and may introduce Type I error into estimates of habitat occupancy. To account for the effects of habitat type on occupancy estimates,
fisheries surveyors typically use a stratified habitat approach when searching for fish (Hankin 1984; Buckland et al. 2005). The relative amounts of mesohabitat such as runs, riffles, pools, cascades, or pond habitat in a stream section are estimated and each of these is searched for a corresponding proportion of the total effort. However, I chose a timed, standardized path search, because this is the survey method utilized most often by government monitoring programs, and has several advantages. It does not require repeated identification and estimation of mesohabitat types/proportions which can be highly susceptible to operator bias, particularly in an area such as the Gahcho Kue mine site where there are inconsistent habitat unit boundaries. Additionally, these barrenland streams are much more poorly sorted, with mesohabitats that are less defined than in a typical southern stream system. Since occupancy models require repeat surveys of each sampling unit, this kind of standardized method can be easily implemented year after year. So to account for the effect of Type I error due to habitat type on occupancy estimates, habitat complexity (i.e., the diversity of mesohabitat type) should be run as a covariate in any state estimate of occupancy (as was done in this study). That said, a timed, standardized path search could also lead to greater Type II error rates (false absences) which might have biased the probability of detecting YOY Arctic Grayling in either of the visual and electrofishing methods. Thus, it is possible that my estimates of detection efficiency may be conservative. This could result in an inflation of the imperfect detection parameter, which may have serious consequences if Arctic Grayling were to become more rare and imperiled in this area. This means that if habitat complexity is not included as a predictive covariate for imperfect detection estimates, then detection estimates may underestimate the number of occupied segments when there are several habitat types and few fish. A further study comparing the capture efficiency of each method to a removal survey would aid in quantifying the probability of bias.

## FUTURE RESEARCH

Several questions arose during my study that could either be addressed using already-gathered data in alternate parameterizations of occupancy models (e.g., local extinction and colonization rates, effects of predator occurrence, spatial correlation between stream segments) (MacKenzie et al. 2003; Zipkin et al. 2010; Graves et al. 2012), and still others that would require changes to the sampling structure in future (MacKenzie et al. 2006). Potential areas to explore include the effect of inter-annual variation in flow regimes on the relative importance of environmental covariates, and watershed- and region-specific effects on YOY Arctic Grayling habitat occupancy (Nichols et al. 2008). The latter could be addressed by expanding sampling schemes to examine habitat occupancy of YOY Arctic Grayling at different spatial scales (i.e., segment-level, stream-level, and drainage-level) in drainage systems that are representative of the different ecozones in the Arctic and sub-Arctic (e.g.,Dextrase et al. 2014).

## LOCAL IMPLICATIONS

This study expanded the spatial coverage of previous YOY Arctic Grayling habitat-use studies in sub-Arctic tundra streams, and is the first to quantify imperfect detection; this improves the performance of predictive models in response to spatiotemporal variation in detectability (Guillera-Arroita et al. 2010). Furthermore, as habitat-use studies on YOY Arctic Grayling are sparse, this study adds to the body of research on Arctic Grayling in general and contributes significant information on region-specific habitatuse in chain-lake systems like those found in the sub-Arctic tundra.

Development plans in the Kennady Lake drainage system include a series of stream flow manipulations in our study streams (Golder Associates 2012). Since this study was conducted prior to disturbance, it has the potential to serve as a baseline for the before-after assessment of YOY Arctic Grayling habitat occupancy. Furthermore, my findings can be used to develop mitigative or preventative management strategies by setting flow thresholds specific to the Kennady Lake drainage. For instance,
one way to maintain the functional connectivity between rearing and overwintering habitats in this drainage system would be to use the findings from this study to recommend base-flow amounts, flow maxima, and seasonal flow regimes. These thresholds, if followed, could prevent YOY dislodgement from flushing flows and stranding due to low baseline flows or rapid drops in discharge (Deegan et al. 1999). Furthermore, as stream slope and dense overhanging vegetation had the greatest effect on overall and high occupancy, respectively, I recommend that the preservation of riparian vegetation in high sloped streams be set as a priority for those who wish to maintain rearing habitat for YOY Arctic Grayling; especially these habitat components are found in close proximity to overwintering habitat.

## ImPLICATIONS BEYOND THE STUDY SYSTEM

My findings have implications for the conservation of YOY Arctic Grayling in sub-Arctic Tundra streams, and demonstrate the general applicability of occupancy models in the vast and understudied northern freshwater systems. Again, in streams where flow regimes are unaltered, the conservation of YOY Arctic Grayling rearing habitat can be facilitated by preserving riparian zone cover, with a particular focus on higher slope streams in close proximity to overwintering habitat. Real-world applications of these findings could involve the creation of policy or water license stipulations that mandate scientifically-defensible stream buffer zones to those applying for development project approvals that involve the use or alteration of freshwater ecosystems (e.g., ice road portages, water withdrawals, resource exploration, and mining activity).

More generally, my study provides another example where accounting for imperfect detection improves the accuracy occupancy estimates as well as the relative effect of environmental covariates. This improves researcher ability to compare results between regions where spatiotemporal variation in stream morphology, flow, and overhanging cover can influence the detectability of study species.
(MacKenzie 2005; Dextrase et al. 2014). Moreover, my findings demonstrate the ability of occupancy
models simultaneously determine patterns in occurrence as it relates to environmental covariates and compare the relative efficiency of survey methods. This allows researchers to adapt and optimize sampling protocols based on in situ evaluations of detection efficiency and decreases their reliance on findings that may not be relevant to their particular study system. These benefits make occupancy models an attractive candidate for expansion into long-term, systematic monitoring programs across Arctic and sub-Arctic freshwater ecosystems. By selecting watersheds that are representative of the various geomorphic, hydrological, and biological conditions within the Arctic, researchers can use occupancy models to track and manage shifts in species distribution and habitat occupancy (Lapointe et al. 2014). From there, systematic reviews could be conducted to provide resource managers with objective, quantitatively-based evidence to support the best possible decision making (Lapointe et al. 2014).

The Northwest Territories is unique in that they have produced several forward-thinking pieces of legislation in recent years dealing with freshwater ecosystems; both "Northern Voices, Northern Waters" and the Alberta Trans-boundary water agreement communicate an in-depth appreciation of the complex and intertwined nature of various ecological variables and their role in maintaining long-term ecosystem health (Miltenberger \& Strahl 2014). These policies clearly outline ecosystem-based management approaches that aim to preserve the integrity of freshwater ecosystems, and enable sharing the benefits of healthy ecosystems with their entire populous. Intrinsically, it is our values that shape decision-making priorities at all levels of governance. The aforementioned policies communicate a commitment to fairness, environmental stewardship, scientific-objectivity, and long-term prosperity. I believe that models like the one presented in this thesis will empower decision-makers with the evidence necessary to follow through on implicit values communicated in their policies and legislation.

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## Appendix A: Autocorrelation Testing

Table A.1. Pearson's Correlation data for environmental covariates related to the probability of occupancy state.

|  | $\begin{aligned} & \text { Dischar } \\ & \text { ge em-s } \\ & 1 \end{aligned}$ | $\begin{aligned} & \text { Dischar } \\ & \text { ge } m-s \\ & 2 \end{aligned}$ | $\begin{aligned} & \text { Dischar } \\ & \text { ge } \mathrm{m} \text { } \\ & 3 \end{aligned}$ | $\begin{aligned} & \text { Dischar } \\ & \text { ge m-s } \\ & 4 \end{aligned}$ | Velocit y m-s 1 | Velocit y m-s 2 | Velocit y m-s 3 | Velocit y m-s 4 | $\begin{aligned} & \text { CoeffV } \\ & \mathrm{m}-\mathrm{s} 1 \\ & \hline \end{aligned}$ | $\begin{aligned} & \text { Coeffiv } \\ & \text { m-s } 2 \end{aligned}$ | $\begin{aligned} & \text { CoeffV } \\ & \mathrm{m}-\mathrm{s} 3 \\ & \hline \end{aligned}$ | $\begin{aligned} & \text { CoeffV } \\ & \mathrm{m}-\mathrm{s} 4 \\ & \hline \end{aligned}$ | $\begin{aligned} & \text { Depth } \\ & \text { m-s } \end{aligned}$ | $\begin{aligned} & \text { Depth } \\ & \text { m-s } 2 \end{aligned}$ | $\begin{aligned} & \text { Depth } \\ & \text { m-s } 3 \end{aligned}$ | $\begin{aligned} & \text { Depth } \\ & \text { m-s } 4 \end{aligned}$ | $\begin{aligned} & \text { DSQ m- } \\ & \text { s } 1 \\ & \hline \end{aligned}$ | DSQ m- | ${ }_{\substack{\text { DSa m- }}}$ | $\begin{aligned} & \text { DSQ m- } \\ & 54 \\ & \hline \end{aligned}$ | Gradie | D20w | $\begin{aligned} & \text { Diversit } \\ & \mathrm{y} \end{aligned}$ | GOHV |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Discharge m-s 1 | 1.00 |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |
| Discharge m-s 2 | 0.39 | 1.00 |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |
| Discharge m-s 3 | 0.51 | 0.60 | 1.00 |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |
| Discharge m-s 4 | 0.38 | 0.55 | 0.55 | 1.00 |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |
| Velocity m-s 1 | 0.01 | -0.05 | -0.04 | -0.15 | 1.00 |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |
| Velocity m-s 2 | -0.03 | 0.16 | 0.06 | -0.01 | 0.86 | 1.00 |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |
| Velocity m-s 3 | -0.04 | 0.02 | -0.01 | -0.14 | 0.83 | 0.88 | 1.00 |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |
| Velocity m-s 4 | 0.07 | 0.07 | 0.06 | -0.03 | 0.77 | 0.80 | 0.85 | 1.00 |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |
| CoeffV m-s 1 | -0.05 | 0.09 | -0.02 | -0.20 | 0.11 | 0.17 | 0.16 | 0.06 | 1.00 |  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |
| CoeffV m-s 2 | -0.03 | -0.08 | -0.07 | -0.25 | 0.10 | 0.15 | 0.09 | 0.00 | 0.64 | 1.00 |  |  |  |  |  |  |  |  |  |  |  |  |  |  |
| CoeffV m-s 3 | -0.22 | -0.05 | -0.15 | -0.25 | 0.18 | 0.18 | 0.24 | 0.05 | 0.48 | 0.56 | 1.00 |  |  |  |  |  |  |  |  |  |  |  |  |  |
| CoeffV m-s 4 | -0.11 | -0.15 | -0.19 | -0.20 | 0.08 | 0.09 | 0.16 | 0.13 | 0.30 | 0.19 | 0.31 | 1.00 |  |  |  |  |  |  |  |  |  |  |  |  |
| Depth m-s 1 | 0.14 | 0.22 | 0.14 | 0.05 | -0.42 | -0.41 | -0.33 | -0.22 | -0.06 | 0.03 | -0.09 | -0.21 | 1.00 |  |  |  |  |  |  |  |  |  |  |  |
| Depth m-s 2 | 0.07 | 0.21 | 0.14 | 0.05 | -0.42 | -0.45 | -0.37 | -0.28 | -0.08 | -0.03 | -0.07 | -0.26 | 0.93 | 1.00 |  |  |  |  |  |  |  |  |  |  |
| Depth m-s 3 | 0.14 | 0.29 | 0.19 | 0.06 | -0.42 | -0.44 | -0.38 | -0.27 | -0.03 | 0.02 | -0.01 | -0.18 | 0.87 | 0.90 | 1.00 |  |  |  |  |  |  |  |  |  |
| Depth m-s 4 | 0.19 | 0.24 | 0.17 | 0.15 | -0.46 | -0.48 | -0.44 | -0.35 | -0.15 | -0.10 | -0.13 | -0.28 | 0.86 | 0.92 | 0.88 | 1.00 |  |  |  |  |  |  |  |  |
| DSQ m-s 1 | 0.12 | 0.26 | 0.15 | 0.10 | -0.47 | -0.45 | -0.38 | -0.27 | -0.10 | -0.05 | -0.16 | -0.26 | 0.99 | 0.94 | 0.88 | 0.89 | 1.00 |  |  |  |  |  |  |  |
| DSQ m-s 2 | 0.06 | 0.23 | 0.14 | 0.09 | -0.47 | -0.48 | -0.41 | -0.31 | -0.14 | -0.12 | -0.15 | -0.31 | 0.92 | 0.99 | 0.90 | 0.93 | 0.95 | 1.00 |  |  |  |  |  |  |
| DSQ m-s 3 | 0.10 | 0.31 | 0.18 | 0.10 | -0.46 | -0.46 | -0.40 | -0.29 | -0.08 | -0.07 | -0.07 | -0.21 | 0.84 | 0.88 | 0.99 | 0.86 | 0.87 | 0.90 | 1.00 |  |  |  |  |  |
| DSQ m-s 4 | 0.14 | 0.26 | 0.17 | 0.19 | -0.50 | -0.50 | -0.46 | -0.37 | -0.22 | -0.18 | -0.20 | -0.36 | 0.86 | 0.92 | 0.87 | 0.98 | 0.91 | 0.95 | 0.88 | 1.00 |  |  |  |  |
| Gradient | -0.03 | 0.02 | 0.18 | -0.11 | 0.54 | 0.46 | 0.52 | 0.51 | -0.05 | -0.20 | 0.02 | 0.16 | -0.21 | -0.25 | -0.30 | -0.31 | -0.22 | -0.26 | -0.30 | -0.29 | 1.00 |  |  |  |
| D20W | -0.23 | 0.03 | -0.16 | 0.29 | -0.22 | -0.15 | -0.15 | -0.16 | -0.31 | -0.40 | -0.17 | -0.07 | -0.02 | 0.06 | -0.11 | 0.09 | 0.03 | 0.10 | -0.06 | 0.13 | 0.00 | 1.00 |  |  |
| Diversity | -0.02 | -0.16 | -0.20 | -0.26 | 0.41 | 0.37 | 0.42 | 0.35 | 0.24 | 0.35 | 0.34 | 0.20 | 0.03 | -0.02 | -0.06 | -0.06 | -0.03 | -0.06 | -0.10 | -0.11 | 0.31 | -0.04 | 1.00 |  |
| GOHV | -0.36 | -0.07 | 0.02 | -0.16 | 0.48 | 0.36 | 0.36 | 0.36 | -0.09 | -0.12 | 0.10 | 0.04 | -0.26 | -0.26 | -0.31 | -0.34 | -0.28 | -0.28 | -0.30 | -0.32 | 0.48 | 0.09 | 0.22 | 1.00 |

Table A.2. Pearson's Correlation data for environmental covariates related to the probability of detection

|  | Depth | DSQ | Method | GOHV | Repeat |
| :--- | :--- | :--- | :--- | :--- | :--- |
| Depth | 1.00 |  |  |  |  |
| DSQ | 0.98 | 1.00 |  |  |  |
| Method | 0.00 | 0.00 | 1.00 |  |  |
| GOHV | -0.29 | -0.29 | 0.00 | 1.00 |  |
| Repeat | -0.09 | -0.09 | 0.30 | -0.02 | 1.00 |

# APPENDIX B: MODEL-AVERAGED ESTIMATES OF OCCUPANCY AND DETECTION PARAMETERS BY STREAM SEGMENT 

PRESENCE AIC FILE:c:\users\admin\documents\my
project\data\occupancy\presencetRials\presenceanalysis\altmodels.pa3
nsegments=67 nsrvys=8 nmods=6
$\psi$
$\psi($ model-season 1)(segment 1 ) model-avg-est: 0.3078 se= $0.1622 \mathrm{K5}-1$ $\psi($ model-season 1)(segment 2 ) model-avg-est: 0.3394 se $=0.2377 \mathrm{~K} 5-2$ $\psi$ (model-season 1)(segment 3 ) model-avg-est: $0.1677 \mathrm{se}=0.1181 \mathrm{K5}-3$ $\psi$ (model-season 1)(segment 4) model-avg-est: 0.8444 se $=0.1141 \mathrm{~K} 5-4$ $\psi($ model-season 1)(segment 5 ) model-avg-est: 0.9616 se $=0.0428$ L3-1 $\psi($ model-season 1)(segment 6) model-avg-est: $0.9817 \mathrm{se}=0.0236 \mathrm{L3-2}$ $\psi$ (model-season 1)(segment 7) model-avg-est: 0.9898 se $=0.0156$ L3-3 $\psi($ model-season 1)(segment 8 ) model-avg-est: 0.9758 se= 0.0316 L3-4 $\psi$ (model-season 1)(segment 9) model-avg-est: $0.9949 \mathrm{se}=0.0071 \mathrm{L3-5}$ $\psi$ (model-season 1)(segment 10) model-avg-est: 0.9944 se= 0.0074 L3-6 $\psi$ (model-season 1)(segment 11) model-avg-est: $0.9003 \mathrm{se}=0.0809 \mathrm{~L} 3-7$ $\psi$ (model-season 1)(segment 12) model-avg-est: $0.9400 \mathrm{se}=0.0597 \mathrm{L3}-8$ $\psi$ (model-season 1)(segment 13) model-avg-est: 0.8723 se $=0.0843$ L3-9 $\psi$ (model-season 1)(segment 14) model-avg-est: $0.5297 \mathrm{se}=0.2176$ L3-10 $\psi($ model-season 1)(segment 15) model-avg-est: 0.4382 se $=0.2012$ L3-11 $\psi$ (model-season 1)(segment 16) model-avg-est: 0.2556 se= 0.2123 L3-12 $\psi$ (model-season 1)(segment 17) model-avg-est: 0.8965 se $=0.0840$ L3-13 $\psi$ (model-season 1)(segment 18) model-avg-est: 0.8026 se= 0.2349 L2-1 $\psi$ (model-season 1)(segment 19) model-avg-est: 0.9248 se $=0.1585$ L2-2 $\psi$ (model-season 1)(segment 20) model-avg-est: 0.1437 se $=0.1310 \mathrm{L2}-3$ $\psi$ (model-season 1)(segment 21) model-avg-est: 0.6020 se= 0.3240 L2-4 $\psi$ (model-season 1)(segment 22) model-avg-est: 0.0011 se $=0.0021$ L2-5 $\psi$ (model-season 1)(segment 23) model-avg-est: 0.0079 se= 0.0142 L2-6 $\psi$ (model-season 1)(segment 24) model-avg-est: 0.0075 se= 0.0136 L2-7 $\psi$ (model-season 1)(segment 25 ) model-avg-est: $0.9485 \mathrm{se}=0.0709 \mathrm{L2}-8$ $\psi$ (model-season 1)(segment 26) model-avg-est: 0.4886 se= 0.5593 L2-9 $\psi$ (model-season 1)(segment 27) model-avg-est: 0.8531 se $=0.1232$ L2-10 $\psi$ (model-season 1)(segment 28 ) model-avg-est: 0.8704 se $=0.1075$ L1B-1 $\psi$ (model-season 1)(segment 29) model-avg-est: 0.9218 se= 0.0777 L1B-2 $\psi$ (model-season 1)(segment 30 ) model-avg-est: 0.6158 se $=0.1407$ L1B-3 $\psi$ (model-season 1)(segment 31) model-avg-est: 0.9986 se $=0.0024$ L1A-1 $\psi$ (model-season 1)(segment 32) model-avg-est: 0.6843 se $=0.2781$ L1A-2 $\psi$ (model-season 1)(segment 33) model-avg-est: 0.9909 se $=0.0118$ L1A-3 $\psi$ (model-season 1)(segment 34) model-avg-est: 0.3068 se $=0.1770$ L1A-4 $\psi$ (model-season 1)(segment 35 ) model-avg-est: 0.5780 se= 0.4222 L1A-5 $\psi$ (model-season 1)(segment 36 ) model-avg-est: 0.9998 se $=0.0004$ L1A-6 $\psi$ (model-season 1)(segment 37) model-avg-est: 0.9983 se= 0.0030 L1A-7 $\psi$ (model-season 1)(segment 38) model-avg-est: 0.9955 se $=0.0061$ L1A-8 $\psi$ (model-season 1)(segment 39) model-avg-est: 0.4724 se $=0.1800$ L1A-9 $\psi$ (model-season 1)(segment 40) model-avg-est: 0.8972 se= 0.0666 L1A-10 $\psi$ (model-season 1)(segment 41) model-avg-est: 0.9659 se $=0.0396 \mathrm{M} 4-1$ $\psi($ model-season 1)(segment 42) model-avg-est: 0.9668 se $=0.0369 \mathrm{M} 4-2$ $\psi$ (model-season 1)(segment 43) model-avg-est: $0.8901 \mathrm{se}=0.0883 \mathrm{M} 4-3$ $\psi($ model-season 1)(segment 44) model-avg-est: 0.9602 se $=0.0379 \mathrm{M} 4-4$ $\psi($ model-season 1)(segment 45) model-avg-est: 0.7589 se $=0.1453 \mathrm{M} 4-5$ $\psi($ model-season 1)(segment 46) model-avg-est: 0.9044 se $=0.0679 \mathrm{M} 4-6$ $\psi($ model-season 1)(segment 47) model-avg-est: 0.6673 se $=0.1586 \mathrm{M} 4-7$ $\psi($ model-season 1)(segment 48) model-avg-est: 0.7997 se= $0.0989 \mathrm{M} 4-8$ $\psi$ (model-season 1)(segment 49) model-avg-est: 0.8429 se $=0.1338 \mathrm{M} 4-9$ $\psi($ model-season 1)(segment 50) model-avg-est: $0.9163 \mathrm{se}=0.0654 \mathrm{M} 4-10$ $\psi$ (model-season 1)(segment 51) model-avg-est: $0.7488 \mathrm{se}=0.2263 \mathrm{M} 3-1$ $\psi($ model-season 1)(segment 52 ) model-avg-est: $0.6875 \mathrm{se}=0.1927 \mathrm{M3}-2$ $\psi($ model-season 1)(segment 53) model-avg-est: $0.2347 \mathrm{se}=0.1360 \mathrm{M3}-3$ $\psi$ (model-season 1)(segment 54) model-avg-est: 0.1901 se= 0.1812 M3-4 $\psi($ model-season 1)(segment 55 ) model-avg-est: $0.3776 \mathrm{se}=0.2789 \mathrm{M3}-5$
$\psi$ (model-season 1)(segment 56) model-avg-est: 0.7930 se $=0.1666 \mathrm{M} 2-1$ $\psi$ (model-season 1)(segment 57) model-avg-est: $0.3143 \mathrm{se}=0.1199 \mathrm{M} 2-2$ $\psi$ (model-season 1)(segment 58) model-avg-est: 0.0680 se $=0.0939 \mathrm{M} 2-3$ $\psi($ model-season 1)(segment 59) model-avg-est: 0.0865 se $=0.0998 \mathrm{M} 2-4$ $\psi($ model-season 1 )(segment 60 ) model-avg-est: 0.1068 se $=0.2618 \mathrm{M} 2-5$ $\psi($ model-season 1)(segment 61) model-avg-est: 0.1722 se= $0.0850 \mathrm{M} 2-6$ $\psi$ (model-season 1)(segment 62) model-avg-est: 0.1775 se= $0.1840 \mathrm{M} 1-1$ $\psi$ (model-season 1)(segment 63) model-avg-est: 0.1359 se $=0.1494 \mathrm{M1}-2$ $\psi$ (model-season 1)(segment 64) model-avg-est: 0.1069 se $=0.1161 \mathrm{M} 1-3$ $\psi($ model-season 1)(segment 65 ) model-avg-est: 0.0191 se $=0.0243 \mathrm{M} 1-4$ $\psi$ (model-season 1)(segment 66) model-avg-est: 0.0570 se $=0.0662 \mathrm{M} 1-5$ $\psi($ model-season 1)(segment 67) model-avg-est: 0.0052 se= $0.0069 \mathrm{M} 1-6$ $\psi$ (model-season 1)(avg.allsegments) model-avg-est: $0.6038 \mathrm{sd}=0.3583$
$\psi$ (model-season 2)(segment 1) model-avg-est: 0.9441 se $=0.0835$ K5-1 $\psi$ (model-season 2)(segment 2 ) model-avg-est: 0.9349 se $=0.1079 \mathrm{~K} 5-2$ $\psi$ (model-season 2)(segment 3) model-avg-est: 0.8466 se= $0.2065 \mathrm{K5}-3$ $\psi$ (model-season 2)(segment 4) model-avg-est: $0.9726 \mathrm{se}=0.0443 \mathrm{~K} 5-4$ $\psi$ (model-season 2)(segment 5) model-avg-est: 0.9352 se= 0.0962 L3-1 $\psi$ (model-season 2)(segment 6) model-avg-est: 0.9252 se= 0.1091 L3-2 $\psi$ (model-season 2)(segment 7) model-avg-est: 0.8994 se $=0.1424$ L3-3 $\psi$ (model-season 2)(segment 8) model-avg-est: 0.9053 se= $0.1347 \mathrm{L3}-4$ $\psi$ (model-season 2)(segment 9) model-avg-est: 0.9784 se= 0.0355 L3-5 $\psi$ (model-season 2)(segment 10) model-avg-est: 0.9933 se= 0.0119 L3-6 $\Psi$ (model-season 2)(segment 11) model-avg-est: $0.9347 \mathrm{se}=0.0960$ L3-7 $\psi$ (model-season 2)(segment 12) model-avg-est: 0.9892 se= 0.0192 L3-8 $\psi$ (model-season 2)(segment 13) model-avg-est: 0.9715 se= 0.0448 L3-9 $\psi$ (model-season 2)(segment 14) model-avg-est: 0.8432 se $=0.2123$ L3-10 $\psi$ (model-season 2)(segment 15) model-avg-est: 0.7347 se $=0.3067$ L3-11 $\psi$ (model-season 2)(segment 16) model-avg-est: 0.8269 se= 0.2260 L3-12 $\psi$ (model-season 2)(segment 17) model-avg-est: 0.9520 se $=0.0725$ L3-13 $\psi$ (model-season 2)(segment 18) model-avg-est: $0.6489 \mathrm{se}=0.3558 \mathrm{L2}-1$ $\psi$ (model-season 2)(segment 19) model-avg-est: 0.6362 se= 0.3622 L2-2 $\psi$ (model-season 2)(segment 20) model-avg-est: $0.1888 \mathrm{se}=0.2450 \mathrm{L2}-3$ $\psi$ (model-season 2)(segment 21) model-avg-est: $0.7839 \mathrm{se}=0.2710 \mathrm{~L} 2-4$ $\psi$ (model-season 2)(segment 22) model-avg-est: $0.1731 \mathrm{se}=0.2302 \mathrm{~L} 2-5$ $\psi$ (model-season 2)(segment 23) model-avg-est: $0.5858 \mathrm{se}=0.3827 \mathrm{L2}-6$ $\psi$ (model-season 2)(segment 24) model-avg-est: $0.5734 \mathrm{se}=0.3867 \mathrm{L2}-7$ $\psi$ (model-season 2)(segment 25) model-avg-est: 0.9998 se= $0.0006 \mathrm{L2}-8$ $\psi$ (model-season 2)(segment 26) model-avg-est: $0.9985 \mathrm{se}=0.0032 \mathrm{L2}-9$ $\psi$ (model-season 2)(segment 27) model-avg-est: 0.9901 se= $0.0192 \mathrm{L2}-10$ $\psi$ (model-season 2)(segment 28) model-avg-est: 0.8657 se $=0.1798$ L1B-1 $\psi$ (model-season 2)(segment 29) model-avg-est: 0.9288 se $=0.1059$ L1B-2 $\psi$ (model-season 2)(segment 30) model-avg-est: 0.8514 se= 0.1962 L1B-3 $\psi$ (model-season 2)(segment 31) model-avg-est: 1.0000 se $=0.0000$ L1A-1 $\psi$ (model-season 2)(segment 32) model-avg-est: 0.9990 se= 0.0021 L1A-2 $\psi$ (model-season 2)(segment 33) model-avg-est: 0.9976 se= 0.0045 L1A-3 $\psi$ (model-season 2)(segment 34) model-avg-est: 0.9320 se $=0.1023$ L1A-4 $\psi$ (model-season 2)(segment 35) model-avg-est: 0.9831 se= 0.0274 L1A-5 $\psi$ (model-season 2)(segment 36) model-avg-est: 1.0000 se= 0.0002 L1A-6 $\psi$ (model-season 2)(segment 37) model-avg-est: 1.0000 se $=0.0002$ L1A-7 $\psi$ (model-season 2)(segment 38) model-avg-est: 0.9996 se= 0.0008 L1A-8 $\psi$ (model-season 2)(segment 39) model-avg-est: 0.8314 se $=0.2215$ L1A-9 $\psi$ (model-season 2)(segment 40) model-avg-est: 0.9976 se $=0.0045$ L1A-10 $\psi$ (model-season 2)(segment 41) model-avg-est: 0.9922 se= $0.0135 \mathrm{M} 4-1$ $\psi$ (model-season 2)(segment 42) model-avg-est: 0.9938 se $=0.0109 \mathrm{M} 4-2$ $\psi$ (model-season 2)(segment 43) model-avg-est: 0.9890 se= $0.0185 \mathrm{M} 4-3$ $\psi$ (model-season 2)(segment 42) model-avg-est: 0.9938 se= $0.0109 \mathrm{M} 4-2$ $\psi$ (model-season 2)(segment 43) model-avg-est: 0.9890 se $=0.0185 \mathrm{M} 4-3$ $\psi$ (model-season 2)(segment 44) model-avg-est: 0.9981 se= 0.0037 M4-4 $\psi$ (model-season 2)(segment 45) model-avg-est: 0.9840 se $=0.0265 \mathrm{M} 4-5$ $\psi$ (model-season 2)(segment 46) model-avg-est: $0.9956 \mathrm{se}=0.0078 \mathrm{M4}-6$ $\psi$ (model-season 2)(segment 47) model-avg-est: 0.9967 se= $0.0060 \mathrm{M} 4-7$ $\psi$ (model-season 2)(segment 48) model-avg-est: 0.9960 se $=0.0072 \mathrm{M} 4-8$ $\psi$ (model-season 2)(segment 49) model-avg-est: 0.9990 se $=0.0020 \mathrm{M} 4-9$ $\psi$ (model-season 2)(segment 50) model-avg-est: 0.9994 se $=0.0012 \mathrm{M} 4-10$ $\psi$ (model-season 2)(segment 51) model-avg-est: 0.8905 se $=0.1692 \mathrm{M} 3-1$ $\psi$ (model-season 2)(segment 52) model-avg-est: 0.9876 se= $0.0231 \mathrm{M} 3-2$ $\psi$ (model-season 2)(segment 53) model-avg-est: 0.8172 se $=0.2560 \mathrm{M} 3-3$ $\psi$ (model-season 2)(segment 54) model-avg-est: 0.8680 se $=0.1995 \mathrm{M3}-4$ $\psi$ (model-season 2)(segment 55) model-avg-est: 0.9206 se= $0.1322 \mathrm{M} 3-5$ $\psi$ (model-season 2)(segment 56) model-avg-est: 0.9290 se $=0.1027 \mathrm{M} 2-1$ $\psi$ (model-season 2)(segment 57) model-avg-est: 0.9397 se= $0.0889 \mathrm{M} 2-2$ $\psi$ (model-season 2)(segment 58) model-avg-est: 0.9194 se= $0.1154 \mathrm{M} 2-3$
$\psi$ (model-season 2)(segment 59) model-avg-est: 0.9308 se= $0.1009 \mathrm{M} 2-4$ $\psi$ (model-season 2)(segment 60) model-avg-est: 0.9441 se $=0.0840 \mathrm{M} 2-5$ $\psi$ (model-season 2)(segment 61) model-avg-est: 0.9214 se= $0.1136 \mathrm{M} 2-6$ $\psi$ (model-season 2)(segment 62) model-avg-est: 0.9867 se= $0.0222 \mathrm{M} 1-1$ $\psi$ (model-season 2)(segment 63) model-avg-est: 0.9858 se= $0.0233 \mathrm{M1}-2$ $\psi$ (model-season 2)(segment 64) model-avg-est: 0.9771 se $=0.0363 \mathrm{M} 1-3$ $\psi$ (model-season 2)(segment 65) model-avg-est: 0.9650 se= $0.0537 \mathrm{M1}-4$ $\psi$ (model-season 2)(segment 66) model-avg-est: 0.9507 se= $0.0737 \mathrm{M} 1-5$ $\psi$ (model-season 2)(segment 67 ) model-avg-est: 0.7020 se= $0.3211 \mathrm{M} 1-6$ $\psi$ (model-season 2)(avg.all segments) model-avg-est: $0.8975 \mathrm{sd}=0.1632$
$\psi$ (model-season 3)(segment 1) model-avg-est: 0.5445 se= 0.1123 K5-1 $\psi$ (model-season 3)(segment 2) model-avg-est: 0.5072 se $=0.2342 \mathrm{~K} 5-2$ $\psi$ (model-season 3)(segment 3) model-avg-est: $0.2787 \mathrm{se}=0.1394 \mathrm{~K} 5-3$ $\psi$ (model-season 3)(segment 4) model-avg-est: 0.7166 se= 0.1417 K5-4 $\psi$ (model-season 3)(segment 5) model-avg-est: 0.1858 se= 0.0682 L3-1 $\psi$ (model-season 3)(segment 6) model-avg-est: 0.1631 se $=0.0646$ L3-2 $\psi$ (model-season 3)(segment 7) model-avg-est: 0.1228 se= 0.0603 L3-3 $\psi$ (model-season 3)(segment 8) model-avg-est: 0.1303 se $=0.0624$ L3-4 $\psi$ (model-season 3)(segment 9) model-avg-est: 0.4223 se= 0.1182 L3-5 $\psi$ (model-season 3)(segment 10) model-avg-est: 0.7083 se= 0.1281 L3-6 $\psi$ (model-season 3)(segment 11) model-avg-est: 0.1838 se= 0.0712 L3-7 $\psi$ (model-season 3)(segment 12) model-avg-est: 0.5954 se= $0.1715 \mathrm{L3}-8$ $\psi$ (model-season 3)(segment 13) model-avg-est: 0.3523 se= 0.0845 L3-9 $\psi$ (model-season 3)(segment 14) model-avg-est: 0.0783 se $=0.0534$ L3-10 $\psi$ (model-season 3)(segment 15) model-avg-est: 0.0416 se $=0.0306$ L3-11 $\psi$ (model-season 3)(segment 16) model-avg-est: 0.0700 se= 0.0468 L3-12 $\psi$ (model-season 3)(segment 17) model-avg-est: 0.2381 se $=0.0915$ L3-13 $\Psi$ (model-season 3)(segment 18) model-avg-est: 0.0567 se= 0.0356 L2-1 $\psi$ (model-season 3)(segment 19) model-avg-est: 0.0538 se $=0.0344 \mathrm{L2}-2$ $\psi$ (model-season 3)(segment 20 ) model-avg-est: 0.0075 se= 0.0076 L2-3 $\psi$ (model-season 3)(segment 21) model-avg-est: $0.1067 \mathrm{se}=0.0546$ L2-4 $\psi$ (model-season 3)(segment 22) model-avg-est: 0.0068 se $=0.0069$ L2-5 $\psi$ (model-season 3)(segment 23) model-avg-est: 0.0439 se= 0.0301 L2-6 $\psi$ (model-season 3)(segment 24) model-avg-est: $0.0418 \mathrm{se}=0.0292 \mathrm{L2}-7$ $\psi$ (model-season 3)(segment 25) model-avg-est: 0.9935 se $=0.0101$ L2-8 $\psi$ (model-season 3)(segment 26) model-avg-est: $0.9613 \mathrm{se}=0.0462 \mathrm{L2}-9$ $\psi$ (model-season 3)(segment 27) model-avg-est: 0.7783 se $=0.1659$ L2-10 $\psi$ (model-season 3)(segment 28) model-avg-est: 0.3107 se= 0.1001 L1B-1 $\psi$ (model-season 3)(segment 29) model-avg-est: 0.4806 se= 0.1151 L1B-2 $\psi$ (model-season 3)(segment 30) model-avg-est: 0.2858 se $=0.0982$ L1B-3 $\psi$ (model-season 3)(segment 31) model-avg-est: 0.9988 se= 0.0022 L1A-1 $\psi$ (model-season 3)(segment 32) model-avg-est: 0.9175 se= 0.0697 L1A-2 $\psi$ (model-season 3)(segment 33) model-avg-est: 0.8269 se $=0.1223$ L1A-3 $\psi$ (model-season 3)(segment 34) model-avg-est: 0.1302 se= 0.0853 L1A-4 $\psi$ (model-season 3)(segment 35) model-avg-est: 0.3903 se= 0.1084 L1A-5 $\psi$ (model-season 3)(segment 36) model-avg-est: $0.9947 \mathrm{se}=0.0088$ L1A- 6 $\psi$ (model-season 3)(segment 37) model-avg-est: 0.9945 se= 0.0090 L1A-7 $\psi$ (model-season 3)(segment 38) model-avg-est: 0.9689 se $=0.0365$ L1A-8 $\psi$ (model-season 3)(segment 39) model-avg-est: $0.0507 \mathrm{se}=0.0367$ L1A-9 $\psi$ (model-season 3)(segment 40) model-avg-est: 0.8275 se= 0.1085 L1A-10 $\psi$ (model-season 3)(segment 41) model-avg-est: $0.7497 \mathrm{se}=0.0965 \mathrm{M} 4-1$ $\psi$ (model-season 3)(segment 42) model-avg-est: 0.7901 se $=0.0908 \mathrm{M} 4-2$ $\psi$ (model-season 3)(segment 43) model-avg-est: 0.6768 se= $0.1089 \mathrm{M} 4-3$ $\psi$ (model-season 3)(segment 44) model-avg-est: 0.9266 se= 0.0579 M4-4 $\psi$ (model-season 3)(segment 45) model-avg-est: 0.5880 se= $0.1467 \mathrm{M} 4-5$ $\psi$ (model-season 3)(segment 46) model-avg-est: 0.8425 se= $0.0787 \mathrm{M} 4-6$ $\psi$ (model-season 3)(segment 47) model-avg-est: 0.8767 se= $0.0695 \mathrm{M} 4-7$ $\psi$ (model-season 3)(segment 48) model-avg-est: 0.8541 se= $0.0783 \mathrm{M} 4-8$ $\psi$ (model-season 3)(segment 49) model-avg-est: 0.9606 se $=0.0346 \mathrm{M} 4-9$ $\psi$ (model-season 3)(segment 50) model-avg-est: 0.9766 se= $0.0233 \mathrm{M} 4-10$ $\psi$ (model-season 3)(segment 51) model-avg-est: $0.1145 \mathrm{se}=0.0794 \mathrm{M} 3-1$ $\psi$ (model-season 3)(segment 52) model-avg-est: $0.5647 \mathrm{se}=0.1892 \mathrm{M} 3-2$ $\psi$ (model-season 3)(segment 53) model-avg-est: 0.0657 se= 0.0496 M3-3 $\psi$ (model-season 3)(segment 54) model-avg-est: 0.0944 se $=0.0694 \mathrm{M} 3-4$ $\psi$ (model-season 3)(segment 55) model-avg-est: 0.1568 se= $0.1163 \mathrm{M} 3-5$ $\psi$ (model-season 3)(segment 56) model-avg-est: 0.3035 se= $0.0885 \mathrm{M} 2-1$ $\psi$ (model-season 3)(segment 57) model-avg-est: 0.3425 se $=0.0875 \mathrm{M} 2-2$ $\psi$ (model-season 3)(segment 58) model-avg-est: 0.2750 se $=0.0853 \mathrm{M} 2-3$ $\psi$ (model-season 3)(segment 59) model-avg-est: $0.3101 \mathrm{se}=0.0860 \mathrm{M} 2-4$ $\psi$ (model-season 3)(segment 60) model-avg-est: 0.3616 se $=0.0932 \mathrm{M} 2-5$ $\psi$ (model-season 3)(segment 61) model-avg-est: 0.2812 se $=0.0846 \mathrm{M} 2-6$ $\psi$ (model-season 3)(segment 62) model-avg-est: 0.3611 se= $0.1703 \mathrm{M} 1-1$ $\psi$ (model-season 3)(segment 63) model-avg-est: $0.3463 \mathrm{se}=0.1410 \mathrm{M} 1-2$ $\psi$ (model-season 3)(segment 64) model-avg-est: 0.2430 se= $0.1092 \mathrm{M} 1-3$
$\psi$ (model-season 3)(segment 65) model-avg-est: 0.1712 se= $0.0854 \mathrm{M} 1-4$ $\psi$ (model-season 3)(segment 66) model-avg-est: 0.1256 se= $0.0691 \mathrm{M} 1-5$ $\psi$ (model-season 3)(segment 67) model-avg-est: 0.0170 se $=0.0148 \mathrm{M} 1-6$ $\psi$ (model-season 3)(avg.all segments) model-avg-est: $0.4320 \mathrm{sd}=0.3369$
$\psi$ (model-season 4)(segment 1) model-avg-est: 0.6634 se $=0.2860 \mathrm{~K} 5-1$ $\psi$ (model-season 4)(segment 2) model-avg-est: 0.6290 se= $0.3291 \mathrm{K5}-2$ $\psi$ (model-season 4)(segment 3) model-avg-est: 0.3906 se $=0.2907 \mathrm{K5}-3$ $\psi$ (model-season 4)(segment 4) model-avg-est: 0.8055 se= $0.2288 \mathrm{K5}-4$ $\psi$ (model-season 4)(segment 5) model-avg-est: 0.2069 se= 0.1797 L3-1 $\psi$ (model-season 4)(segment 6) model-avg-est: 0.1822 se $=0.1639$ L3-2 $\psi$ (model-season 4)(segment 7) model-avg-est: 0.1377 se= 0.1340 L3-3 $\psi$ (model-season 4)(segment 8) model-avg-est: 0.1460 se= 0.1410 L3-4 $\psi$ (model-season 4)(segment 9) model-avg-est: $0.4546 \mathrm{se}=0.2953 \mathrm{LB}-5$ $\psi$ (model-season 4)(segment 10) model-avg-est: 0.7326 se= 0.2841 L3-6 $\psi$ (model-season 4)(segment 11) model-avg-est: $0.2047 \mathrm{se}=0.1833$ L3-7 $\psi$ (model-season 4)(segment 12) model-avg-est: $0.6254 \mathrm{se}=0.3466$ L3-8 $\psi$ (model-season 4)(segment 13) model-avg-est: $0.3831 \mathrm{se}=0.2706$ L3-9 $\psi$ (model-season 4)(segment 14) model-avg-est: 0.0883 se $=0.0887$ L3-10 $\psi$ (model-season 4)(segment 15) model-avg-est: 0.0468 se= 0.0494 L3-11 $\psi$ (model-season 4)(segment 16) model-avg-est: 0.0789 se= 0.0795 L3-12 $\psi$ (model-season 4)(segment 17) model-avg-est: 0.2630 se $=0.2290$ L3-13 $\psi$ (model-season 4)(segment 18) model-avg-est: $0.0449 \mathrm{se}=0.0499 \mathrm{~L} 2-1$ $\psi$ (model-season 4)(segment 19) model-avg-est: 0.0426 se= 0.0475 L2-2 $\psi$ (model-season 4)(segment 20) model-avg-est: $0.0058 \mathrm{se}=0.0071 \mathrm{LL}-3$ $\psi$ (model-season 4)(segment 21) model-avg-est: 0.0858 se= 0.0884 L2-4 $\psi$ (model-season 4)(segment 22) model-avg-est: 0.0052 se= 0.0065 L2-5 $\psi$ (model-season 4)(segment 23) model-avg-est: 0.0346 se= 0.0393 L2-6 $\Psi$ (model-season 4)(segment 24) model-avg-est: $0.0329 \mathrm{se}=0.0375 \mathrm{L2-7}$ $\psi$ (model-season 4)(segment 25) model-avg-est: $0.9912 \mathrm{se}=0.0185 \mathrm{L2}-8$ $\psi$ (model-season 4)(segment 26) model-avg-est: $0.9492 \mathrm{se}=0.0913 \mathrm{L2}-9$ $\psi$ (model-season 4)(segment 27) model-avg-est: $0.7309 \mathrm{se}=0.3190$ L2-10 $\psi$ (model-season 4)(segment 28) model-avg-est: 0.2615 se $=0.2137 \mathrm{L1B}-1$ $\psi$ (model-season 4)(segment 29) model-avg-est: 0.4206 se= 0.2778 L1B-2 $\psi$ (model-season 4)(segment 30) model-avg-est: 0.2392 se $=0.2002$ L1B-3 $\psi$ (model-season 4)(segment 31) model-avg-est: 0.9997 se $=0.0006$ L1A-1 $\psi$ (model-season 4)(segment 32) model-avg-est: 0.9818 se= 0.0296 L1A-2 $\psi$ (model-season 4)(segment 33) model-avg-est: 0.9591 se $=0.0638$ L1A-3 $\psi$ (model-season 4)(segment 34) model-avg-est: 0.4329 se $=0.2975$ L1A-4 $\psi$ (model-season 4)(segment 35) model-avg-est: 0.7637 se= 0.2315 L1A-5 $\psi$ (model-season 4)(segment 36) model-avg-est: 0.9989 se $=0.0026$ L1A-6 $\psi$ (model-season 4)(segment 37) model-avg-est: 0.9988 se $=0.0026$ L1A-7 $\psi$ (model-season 4)(segment 38) model-avg-est: 0.9933 se $=0.0123$ L1A-8 $\psi$ (model-season 4)(segment 39) model-avg-est: 0.2138 se $=0.1878$ L1A-9 $\psi$ (model-season 4)(segment 40) model-avg-est: 0.9592 se= 0.0598 L1A-10 $\psi$ (model-season 4)(segment 41) model-avg-est: 0.6995 se $=0.2579 \mathrm{M} 4-1$ $\psi$ (model-season 4)(segment 42) model-avg-est: 0.7448 se $=0.2379 \mathrm{M} 4-2$ $\psi$ (model-season 4)(segment 43) model-avg-est: 0.6203 se= $0.2866 \mathrm{M} 4-3$ $\psi$ (model-season 4)(segment 44) model-avg-est: 0.9062 se $=0.1216 \mathrm{M} 4-4$ $\psi$ (model-season 4)(segment 45) model-avg-est: 0.5275 se= $0.3139 \mathrm{M} 4-5$ $\psi$ (model-season 4)(segment 46) model-avg-est: 0.8053 se= $0.2039 \mathrm{M} 4-6$ $\psi$ (model-season 4)(segment 47) model-avg-est: $0.8457 \mathrm{se}=0.1742 \mathrm{M} 4-7$ $\psi$ (model-season 4)(segment 48) model-avg-est: 0.8190 se= $0.1978 \mathrm{M} 4-8$ $\psi$ (model-season 4)(segment 49) model-avg-est: $0.9489 \mathrm{se}=0.0727 \mathrm{M} 4-9$ $\psi$ (model-season 4)(segment 50 ) model-avg-est: 0.9693 se $=0.0470 \mathrm{M} 4-10$ $\psi$ (model-season 4)(segment 51) model-avg-est: 0.1288 se= $0.1299 \mathrm{M} 3-1$ $\psi$ (model-season 4)(segment 52) model-avg-est: 0.5954 se $=0.3363 \mathrm{M} 3-2$ $\psi$ (model-season 4)(segment 53) model-avg-est: 0.0742 se $=0.0790 \mathrm{M} 3-3$ $\psi$ (model-season 4)(segment 54) model-avg-est: 0.1064 se= $0.1106 \mathrm{M} 3-4$ $\psi$ (model-season 4)(segment 55) model-avg-est: 0.1757 se $=0.1784 \mathrm{M} 3-5$ $\psi$ (model-season 4)(segment 56) model-avg-est: 0.4196 se= $0.2792 \mathrm{M} 2-1$ $\psi$ (model-season 4)(segment 57) model-avg-est: 0.4634 se $=0.2840 \mathrm{M} 2-2$ $\psi$ (model-season 4)(segment 58) model-avg-est: 0.3863 se $=0.2686 \mathrm{M} 2-3$ $\psi$ (model-season 4)(segment 59) model-avg-est: 0.4271 se $=0.2765 \mathrm{M} 2-4$ $\psi$ (model-season 4)(segment 60) model-avg-est: 0.4841 se $=0.2849 \mathrm{M} 2-5$ $\psi$ (model-season 4)(segment 61) model-avg-est: 0.3937 se= $0.2674 \mathrm{M} 2-6$ $\psi$ (model-season 4)(segment 62) model-avg-est: 0.5761 se $=0.3550 \mathrm{M} 1-1$ $\psi$ (model-season 4)(segment 63) model-avg-est: $0.5603 \mathrm{se}=0.3353 \mathrm{M} 1-2$ $\psi$ (model-season 4)(segment 64) model-avg-est: 0.4366 se= $0.3193 \mathrm{M} 1-3$ $\psi$ (model-season 4)(segment 65) model-avg-est: 0.3331 se $=0.2798 \mathrm{M} 1-4$ $\psi$ (model-season 4)(segment 66) model-avg-est: $0.2578 \mathrm{se}=0.2371 \mathrm{M} 1-5$ $\psi$ (model-season 4)(segment 67) model-avg-est: 0.0399 se= $0.0443 \mathrm{M} 1-6$ $\psi$ (model-season 4)(avg.all segments) model-avg-est: $0.4766 \mathrm{sd}=0.3310$
$R$ (model-season 1)(segment 1 ) model-avg-est: 0.1319 se= 0.0767 K5-1
$R$ (model-season 1)(segment 2 ) model-avg-est: 0.7194 se $=0.2553 \mathrm{~K} 5-2$ $R$ (model-season 1)(segment 3) model-avg-est: 0.4502 se $=0.2129 \mathrm{K5}-3$ $R$ (model-season 1)(segment 4) model-avg-est: 0.3230 se $=0.1590$ K5-4 $R$ (model-season 1)(segment 5 ) model-avg-est: 0.4621 se $=0.1455 \mathrm{L3}-1$ $R$ (model-season 1)(segment 6) model-avg-est: 0.4973 se= 0.1538 L3-2 $R$ (model-season 1)(segment 7) model-avg-est: 0.0188 se $=0.0175$ L3-3 $R$ (model-season 1)(segment 8 ) model-avg-est: 0.0316 se $=0.0301$ L3-4 $R$ (model-season 1)(segment 9) model-avg-est: 0.1756 se= 0.1485 L3-5 $R$ (model-season 1)(segment 10) model-avg-est: $0.5367 \mathrm{se}=0.1610$ L3-6 $R$ (model-season 1)(segment 11) model-avg-est: $0.5109 \mathrm{se}=0.1535 \mathrm{L3-7}$ $R$ (model-season 1)(segment 12) model-avg-est: $0.3949 \mathrm{se}=0.1953 \mathrm{L3}-8$ $R$ (model-season 1)(segment 13) model-avg-est: 0.7267 se= 0.1111 L3-9 $R$ (model-season 1)(segment 14) model-avg-est: 0.7905 se= 0.1016 L3-10 $R$ (model-season 1)(segment 15) model-avg-est: $0.7332 \mathrm{se}=0.1869$ L3-11 $R$ (model-season 1)(segment 16) model-avg-est: $0.0656 \mathrm{se}=0.0419 \mathrm{L3}-12$ $R$ (model-season 1)(segment 17) model-avg-est: $0.0475 \mathrm{se}=0.0361 \mathrm{L3}-13$ $R$ (model-season 1)(segment 18) model-avg-est: 0.0120 se $=0.0125 \mathrm{L2}-1$ $R$ (model-season 1)(segment 19) model-avg-est: 0.0170 se $=0.0186$ L2-2 $R$ (model-season 1)(segment 20) model-avg-est: 0.0084 se $=0.0090$ L2-3 $R$ (model-season 1)(segment 21) model-avg-est: 0.0588 se= 0.0660 L2-4 $R$ (model-season 1)(segment 22) model-avg-est: 0.0354 se $=0.0487 \mathrm{L2}-5$ $R$ (model-season 1)(segment 23) model-avg-est: $0.0335 \mathrm{se}=0.0463 \mathrm{L2}-6$ $R$ (model-season 1)(segment 24) model-avg-est: 0.0317 se= $0.0442 \mathrm{L2-7}$ $R$ (model-season 1)(segment 25) model-avg-est: $0.3949 \mathrm{se}=0.5503 \mathrm{L2}-8$ $R$ (model-season 1)(segment 26) model-avg-est: 0.3613 se $=0.6607 \mathrm{L2}-9$ $R$ (model-season 1)(segment 27) model-avg-est: $0.6899 \mathrm{se}=0.1791 \mathrm{L2}-10$ $R$ (model-season 1)(segment 28) model-avg-est: 0.5130 se= 0.1493 L1B-1 $R$ (model-season 1)(segment 29) model-avg-est: 0.6276 se= 0.1323 L1B-2 $R$ (model-season 1)(segment 30) model-avg-est: 0.5041 se= 0.1609 L1B-3 $R$ (model-season 1)(segment 31) model-avg-est: $0.9086 \mathrm{se}=0.1170$ L1A-1 $R$ (model-season 1)(segment 32) model-avg-est: $0.8476 \mathrm{se}=0.1823$ L1A-2 $R$ (model-season 1)(segment 33) model-avg-est: $0.8583 \mathrm{se}=0.1006$ L1A-3 $R$ (model-season 1)(segment 34) model-avg-est: $0.4415 \mathrm{se}=0.2722$ L1A-4 $R$ (model-season 1)(segment 35) model-avg-est: 0.4514 se= 0.4781 L1A-5 $R$ (model-season 1)(segment 36) model-avg-est: $0.8485 \mathrm{se}=0.0887$ L1A-6 $R$ (model-season 1)(segment 37) model-avg-est: $0.8479 \mathrm{se}=0.0857$ L1A-7 $R$ (model-season 1)(segment 38) model-avg-est: $0.9028 \mathrm{se}=0.0639$ L1A-8 $R$ (model-season 1)(segment 39) model-avg-est: $0.8595 \mathrm{se}=0.0863$ L1A-9 $R$ (model-season 1)(segment 40) model-avg-est: $0.8503 \mathrm{se}=0.0902$ L1A-10 $R$ (model-season 1)(segment 41) model-avg-est: $0.1755 \mathrm{se}=0.1059 \mathrm{M} 4-1$ $R$ (model-season 1)(segment 42) model-avg-est: 0.1405 se $=0.0751 \mathrm{M} 4-2$ $R$ (model-season 1)(segment 43) model-avg-est: $0.1115 \mathrm{se}=0.0665 \mathrm{M} 4-3$ $R$ (model-season 1)(segment 44) model-avg-est: 0.4013 se= $0.1820 \mathrm{M} 4-4$ $R$ (model-season 1)(segment 45) model-avg-est: $0.0525 \mathrm{se}=0.0388 \mathrm{M} 4-5$ $R$ (model-season 1)(segment 46) model-avg-est: 0.1820 se= $0.0958 \mathrm{M} 4-6$ $R$ (model-season 1)(segment 47) model-avg-est: 0.9085 se $=0.0686 \mathrm{M} 4-7$ $R$ (model-season 1)(segment 48) model-avg-est: $0.2168 \mathrm{se}=0.1074 \mathrm{M} 4-8$ $R$ (model-season 1)(segment 49) model-avg-est: 0.9576 se= $0.0477 \mathrm{M} 4-9$ $R$ (model-season 1)(segment 50 ) model-avg-est: 0.6874 se $=0.2031 \mathrm{M} 4-10$ $R$ (model-season 1)(segment 51) model-avg-est: $0.0154 \mathrm{se}=0.0183 \mathrm{M} 3-1$ $R$ (model-season 1)(segment 52) model-avg-est: 0.4168 se= $0.2700 \mathrm{M} 3-2$ $R$ (model-season 1)(segment 53) model-avg-est: 0.2376 se $=0.2071 \mathrm{M3}-3$ $R$ (model-season 1)(segment 54) model-avg-est: $0.0304 \mathrm{se}=0.0436 \mathrm{M} 3-4$ $R$ (model-season 1)(segment 55) model-avg-est: 0.0453 se $=0.0619 \mathrm{M} 3-5$ $R($ model-season 1)(segment 56 ) model-avg-est: $0.6197 \mathrm{se}=0.1419 \mathrm{M} 2-1$ $R$ (model-season 1)(segment 57) model-avg-est: 0.0566 se= $0.0408 \mathrm{M} 2-2$ $R$ (model-season 1)(segment 58) model-avg-est: $0.0169 \mathrm{se}=0.0158 \mathrm{M} 2-3$ $R$ (model-season 1)(segment 59) model-avg-est: 0.0214 se= $0.0189 \mathrm{M} 2-4$ $R$ (model-season 1)(segment 60) model-avg-est: $0.0208 \mathrm{se}=0.0195 \mathrm{M} 2-5$ $R$ (model-season 1)(segment 61) model-avg-est: 0.0299 se $=0.0236 \mathrm{M} 2-6$ $R$ (model-season 1)(segment 62 ) model-avg-est: $0.2752 \mathrm{se}=0.1627 \mathrm{M} 1-1$ $R$ (model-season 1)(segment 63) model-avg-est: 0.2008 se= 0.1462 M1-2 $R$ (model-season 1)(segment 64) model-avg-est: 0.1416 se $=0.0916 \mathrm{M} 1-3$ $R$ (model-season 1)(segment 65) model-avg-est: 0.1665 se= 0.0968 M1-4 $R$ (model-season 1)(segment 66) model-avg-est: $0.1225 \mathrm{se}=0.0801 \mathrm{M} 1-5$ $R$ (model-season 1)(segment 67) model-avg-est: 0.1010 se= 0.0668 M1-6 $R$ (model-season 1)(avg.all segments) model-avg-est: $0.3593 \mathrm{sd}=0.3138$
$R$ (model-season 2)(segment 1) model-avg-est: 0.1119 se= $0.0621 \mathrm{K5}-1$ $R$ (model-season 2)(segment 2) model-avg-est: 0.5053 se $=0.1966 \mathrm{K5}-2$ $R$ (model-season 2)(segment 3) model-avg-est: 0.2522 se $=0.1173 \mathrm{K5}-3$ $R$ (model-season 2)(segment 4) model-avg-est: $0.2337 \mathrm{se}=0.1327 \mathrm{~K} 5-4$ $R$ (model-season 2)(segment 5) model-avg-est: 0.4526 se= 0.1392 L3-1 $R$ (model-season 2)(segment 6) model-avg-est: $0.4088 \mathrm{se}=0.1408$ L3-2 $R$ (model-season 2)(segment 7) model-avg-est: 0.0104 se= 0.0103 L3-3
$R$ (model-season 2)(segment 8) model-avg-est: 0.0113 se= 0.0109 L3-4 $R$ (model-season 2)(segment 9) model-avg-est: 0.0646 se= 0.0448 L3-5 $R$ (model-season 2)(segment 10) model-avg-est: $0.5613 \mathrm{se}=0.1319$ L3-6 $R$ (model-season 2)(segment 11) model-avg-est: $0.4513 \mathrm{se}=0.1468 \mathrm{L3}-7$ $R$ (model-season 2)(segment 12) model-avg-est: 0.4201 se= 0.1535 L3-8 $R$ (model-season 2)(segment 13) model-avg-est: 0.6929 se $=0.1141$ L3-9 $R$ (model-season 2)(segment 14) model-avg-est: 0.7228 se $=0.1089$ L3-10 $R$ (model-season 2)(segment 15) model-avg-est: 0.5469 se $=0.1464$ L3-11 $R$ (model-season 2)(segment 16) model-avg-est: 0.0480 se $=0.0321$ L3-12 $R$ (model-season 2)(segment 17) model-avg-est: 0.0263 se $=0.0212$ L3-13 $R$ (model-season 2)(segment 18) model-avg-est: 0.0060 se $=0.0067$ L2-1 $R$ (model-season 2)(segment 19) model-avg-est: 0.0057 se $=0.0064 \mathrm{L2}-2$ $R$ (model-season 2)(segment 20) model-avg-est: 0.0053 se= $0.0061 \mathrm{L2}-3$ $R$ (model-season 2)(segment 21) model-avg-est: 0.0130 se $=0.0127 \mathrm{L2}-4$ $R$ (model-season 2)(segment 22) model-avg-est: 0.0047 se= 0.0055 L2-5 $R$ (model-season 2)(segment 23) model-avg-est: 0.0044 se $=0.0052$ L2-6 $R$ (model-season 2)(segment 24) model-avg-est: 0.0042 se $=0.0050$ L2-7 $R$ (model-season 2)(segment 25) model-avg-est: 0.7190 se= $0.1743 \mathrm{L2}-8$ $R$ (model-season 2)(segment 26) model-avg-est: 0.7402 se $=0.1747 \mathrm{L2}-9$ $R$ (model-season 2)(segment 27) model-avg-est: $0.7403 \mathrm{se}=0.1787$ L2-10 $R$ (model-season 2)(segment 28) model-avg-est: 0.4341 se $=0.1410$ L1B-1 $R$ (model-season 2)(segment 29) model-avg-est: $0.6346 \mathrm{se}=0.1287$ L1B-2 $R$ (model-season 2)(segment 30 ) model-avg-est: 0.4004 se $=0.1405$ L1B-3 $R$ (model-season 2)(segment 31) model-avg-est: 0.9710 se $=0.0282$ L1A-1 $R$ (model-season 2)(segment 32) model-avg-est: 0.9475 se $=0.0422$ L1A-2 $R$ (model-season 2)(segment 33) model-avg-est: 0.8713 se $=0.0805$ L1A-3 $R$ (model-season 2)(segment 34) model-avg-est: 0.2097 se $=0.0996$ L1A-4 $R$ (model-season 2)(segment 35) model-avg-est: 0.1259 se $=0.0664$ L1A-5 $R$ (model-season 2)(segment 36) model-avg-est: 0.8445 se $=0.0832$ L1A- 6 $R$ (model-season 2)(segment 37) model-avg-est: 0.8386 se $=0.0838$ L1A-7 $R$ (model-season 2)(segment 38) model-avg-est: 0.8593 se $=0.0768$ L1A-8 $R$ (model-season 2)(segment 39) model-avg-est: 0.7844 se $=0.0974$ L1A-9 $R$ (model-season 2)(segment 40) model-avg-est: 0.8690 se $=0.0749$ L1A-10 $R$ (model-season 2)(segment 41) model-avg-est: 0.0885 se $=0.0518$ M4-1 $R$ (model-season 2)(segment 42) model-avg-est: 0.1122 se $=0.0625 \mathrm{M} 4-2$ $R$ (model-season 2)(segment 43) model-avg-est: $0.0613 \mathrm{se}=0.0386 \mathrm{M} 4-3$ $R$ (model-season 2)(segment 44) model-avg-est: $0.3367 \mathrm{se}=0.1682 \mathrm{M} 4-4$ $R$ (model-season 2)(segment 45) model-avg-est: 0.0412 se $=0.0305 \mathrm{M} 4-5$ $R$ (model-season 2)(segment 46) model-avg-est: 0.1605 se $=0.0803 \mathrm{M} 4-6$ $R$ (model-season 2)(segment 47) model-avg-est: 0.9233 se $=0.0534 \mathrm{M} 4-7$ $R$ (model-season 2)(segment 48) model-avg-est: $0.1764 \mathrm{se}=0.0879 \mathrm{M} 4-8$ $R$ (model-season 2)(segment 49) model-avg-est: 0.9803 se $=0.0204 \mathrm{M} 4-9$ $R$ (model-season 2)(segment 50) model-avg-est: $0.6732 \mathrm{se}=0.1894 \mathrm{M} 4-10$ $R$ (model-season 2)(segment 51) model-avg-est: 0.0060 se $=0.0073 \mathrm{M3}-1$ $R$ (model-season 2)(segment 52) model-avg-est: 0.2840 se= $0.1771 \mathrm{M3}-2$ $R$ (model-season 2)(segment 53) model-avg-est: 0.1201 se $=0.0944 \mathrm{M3}-3$ $R$ (model-season 2)(segment 54) model-avg-est: 0.0046 se $=0.0060 \mathrm{M3}-4$ $R$ (model-season 2)(segment 55) model-avg-est: 0.0090 se $=0.0111 \mathrm{M} 3-5$ $R$ (model-season 2)(segment 56) model-avg-est: 0.5330 se $=0.1387 \mathrm{M} 2-1$ $R$ (model-season 2)(segment 57) model-avg-est: 0.0299 se $=0.0228 \mathrm{M} 2-2$ $R$ (model-season 2)(segment 58) model-avg-est: 0.0210 se $=0.0175 \mathrm{M} 2-3$ $R$ (model-season 2)(segment 59) model-avg-est: 0.0253 se $=0.0202 \mathrm{M} 2-4$ $R$ (model-season 2)(segment 60) model-avg-est: 0.0325 se= $0.0249 \mathrm{M} 2-5$ $R$ (model-season 2)(segment 61) model-avg-est: 0.0216 se $=0.0180 \mathrm{M} 2-6$ $R$ (model-season 2)(segment 62) model-avg-est: $0.2337 \mathrm{se}=0.1327 \mathrm{M} 1-1$ $R$ (model-season 2)(segment 63) model-avg-est: $0.2169 \mathrm{se}=0.1057 \mathrm{M1}-2$ $R$ (model-season 2)(segment 64) model-avg-est: 0.1351 se $=0.0730 \mathrm{M1}-3$ $R$ (model-season 2)(segment 65) model-avg-est: 0.0864 se $=0.0523 \mathrm{M1}-4$ $R$ (model-season 2)(segment 66) model-avg-est: 0.0587 se= 0.0395 M1-5 $R$ (model-season 2)(segment 67) model-avg-est: 0.0505 se $=0.0348$ M1-6 $R$ (model-season 2)(avg.all segments) model-avg-est: $0.3280 \mathrm{sd}=0.3276$
$R$ (model-season 3)(segment 1) model-avg-est: $0.0549 \mathrm{se}=0.0434 \mathrm{~K} 5-1$ $R$ (model-season 3)(segment 2) model-avg-est: $0.3175 \mathrm{se}=0.1751 \mathrm{K5}-2$ $R$ (model-season 3)(segment 3) model-avg-est: $0.1343 \mathrm{se}=0.0899 \mathrm{K5}-3$ $R$ (model-season 3)(segment 4) model-avg-est: $0.1241 \mathrm{se}=0.0978 \mathrm{~K} 5-4$ $R$ (model-season 3)(segment 5) model-avg-est: 0.2734 se $=0.1416$ L3-1 $R$ (model-season 3)(segment 6) model-avg-est: 0.2394 se $=0.1370$ L3-2 $R$ (model-season 3)(segment 7) model-avg-est: 0.0048 se= 0.0060 L3-3 $R$ (model-season 3)(segment 8) model-avg-est: 0.0052 se $=0.0064$ L3-4 $R$ (model-season 3)(segment 9) model-avg-est: $0.0305 \mathrm{se}=0.0273 \mathrm{L3-5}$ $R$ (model-season 3)(segment 10) model-avg-est: 0.3680 se= 0.1551 L3-6 $R$ (model-season 3)(segment 11) model-avg-est: 0.2726 se= 0.1519 L3-7 $R$ (model-season 3)(segment 12) model-avg-est: $0.2483 \mathrm{se}=0.1516 \mathrm{L3}-8$ $R$ (model-season 3)(segment 13) model-avg-est: 0.5067 se= 0.1540 L3-9
$R$ (model-season 3)(segment 14) model-avg-est: 0.5429 se $=0.1515$ L3-10 $R$ (model-season 3)(segment 15) model-avg-est: 0.3547 se $=0.1711$ L3-11 $R$ (model-season 3)(segment 16) model-avg-est: $0.0226 \mathrm{se}=0.0207 \mathrm{L3}-12$ $R$ (model-season 3)(segment 17) model-avg-est: 0.0123 se $=0.0131$ L3-13 $R$ (model-season 3)(segment 18) model-avg-est: $0.0028 \mathrm{se}=0.0038 \mathrm{L2}-1$ $R$ (model-season 3)(segment 19) model-avg-est: $0.0026 \mathrm{se}=0.0036 \mathrm{LL}-2$ $R$ (model-season 3)(segment 20) model-avg-est: 0.0025 se $=0.0034$ L2-3 $R$ (model-season 3)(segment 21) model-avg-est: 0.0060 se $=0.0072$ L2-4 $R$ (model-season 3)(segment 22) model-avg-est: $0.0022 \mathrm{se}=0.0030 \mathrm{~L} 2-5$ $R$ (model-season 3)(segment 23) model-avg-est: 0.0020 se $=0.0029$ L2-6 $R$ (model-season 3)(segment 24) model-avg-est: $0.0019 \mathrm{se}=0.0028 \mathrm{L2-7}$ $R$ (model-season 3)(segment 25) model-avg-est: 0.5422 se $=0.2069$ L2-8 $R$ (model-season 3)(segment 26) model-avg-est: 0.5693 se $=0.2136 \mathrm{L2}-9$ $R$ (model-season 3)(segment 27) model-avg-est: 0.5697 se $=0.2183$ L2-10 $R$ (model-season 3)(segment 28) model-avg-est: 0.2588 se= 0.1421 L1B-1 $R$ (model-season 3)(segment 29) model-avg-est: 0.4420 se $=0.1547$ L1B-2 $R$ (model-season 3)(segment 30) model-avg-est: $0.2331 \mathrm{se}=0.1350$ L1B-3 $R$ (model-season 3)(segment 31) model-avg-est: 0.9382 se $=0.0537$ L1A-1 $R$ (model-season 3)(segment 32) model-avg-est: 0.8914 se $=0.0763$ L1A-2 $R$ (model-season 3)(segment 33) model-avg-est: 0.7546 se= 0.1380 L1A-3 $R$ (model-season 3)(segment 34) model-avg-est: 0.1084 se= 0.0731 L1A-4 $R$ (model-season 3)(segment 35) model-avg-est: $0.0621 \mathrm{se}=0.0468$ L1A-5 $R$ (model-season 3)(segment 36) model-avg-est: 0.7119 se $=0.1342$ L1A-6 $R$ (model-season 3)(segment 37) model-avg-est: 0.7029 se $=0.1329$ L1A-7 $R$ (model-season 3)(segment 38) model-avg-est: $0.7357 \mathrm{se}=0.1214$ L1A-8 $R$ (model-season 3)(segment 39) model-avg-est: 0.6235 se= 0.1462 L1A-9 $R$ (model-season 3)(segment 40) model-avg-est: 0.7519 se= 0.1165 L1A-10 $R$ (model-season 3)(segment 41) model-avg-est: 0.0426 se $=0.0343 \mathrm{M} 4-1$ $R$ (model-season 3)(segment 42) model-avg-est: 0.0546 se $=0.0420 \mathrm{M} 4-2$ $R$ (model-season 3)(segment 43) model-avg-est: $0.0292 \mathrm{se}=0.0255 \mathrm{M} 4-3$ $R$ (model-season 3)(segment 44) model-avg-est: 0.1877 se= $0.1229 \mathrm{M} 4-4$ $R$ (model-season 3)(segment 45) model-avg-est: 0.0195 se $=0.0194 \mathrm{M} 4-5$ $R$ (model-season 3)(segment 46) model-avg-est: $0.0806 \mathrm{se}=0.0574 \mathrm{M4}-6$ $R$ (model-season 3)(segment 47) model-avg-est: 0.8458 se $=0.0921 \mathrm{M} 4-7$ $R$ (model-season 3)(segment 48) model-avg-est: $0.0897 \mathrm{se}=0.0642 \mathrm{M} 4-8$ $R$ (model-season 3)(segment 49) model-avg-est: 0.9580 se $=0.0376$ M4-9 $R$ (model-season 3)(segment 50) model-avg-est: 0.4842 se= $0.2172 \mathrm{M} 4-10$ $R$ (model-season 3)(segment 51) model-avg-est: $0.0027 \mathrm{se}=0.0039 \mathrm{M} 3-1$ $R$ (model-season 3)(segment 52) model-avg-est: 0.1528 se= $0.1222 \mathrm{M} 3-2$ $R$ (model-season 3)(segment 53) model-avg-est: 0.0582 se $=0.0581 \mathrm{M} 3-3$ $R$ (model-season 3)(segment 54) model-avg-est: $0.0021 \mathrm{se}=0.0031 \mathrm{M3}-4$ $R$ (model-season 3)(segment 55) model-avg-est: $0.0041 \mathrm{se}=0.0058$ M3-5 $R$ (model-season 3)(segment 56) model-avg-est: 0.3419 se $=0.1594 \mathrm{M} 2-1$ $R$ (model-season 3)(segment 57) model-avg-est: $0.0139 \mathrm{se}=0.0140 \mathrm{M} 2-2$ $R$ (model-season 3)(segment 58) model-avg-est: 0.0098 se $=0.0105 \mathrm{M} 2-3$ $R$ (model-season 3)(segment 59) model-avg-est: 0.0118 se $=0.0122 \mathrm{M} 2-4$ $R$ (model-season 3)(segment 60) model-avg-est: 0.0152 se $=0.0151 \mathrm{M} 2-5$ $R$ (model-season 3)(segment 61) model-avg-est: 0.0100 se $=0.0107 \mathrm{M} 2-6$ $R$ (model-season 3)(segment 62) model-avg-est: $0.1241 \mathrm{se}=0.0978$ M1-1 $R$ (model-season 3)(segment 63) model-avg-est: 0.1132 se $=0.0793 \mathrm{M} 1-2$ $R$ (model-season 3)(segment 64) model-avg-est: 0.0672 se= $0.0519 \mathrm{M} 1-3$ $R$ (model-season 3)(segment 65) model-avg-est: $0.0418 \mathrm{se}=0.0355 \mathrm{M} 1-4$ $R$ (model-season 3)(segment 66) model-avg-est: 0.0280 se $=0.0259$ M1-5 $R$ (model-season 3)(segment 67) model-avg-est: 0.0240 se $=0.0226$ M1- 6 $R$ (model-season 3)(avg.all segments) model-avg-est: $0.2424 \mathrm{sd}=0.2861$
$R$ (model-season 4)(segment 1) model-avg-est: $0.0046 \mathrm{se}=0.0050 \mathrm{K5}-1$ $R$ (model-season 4)(segment 2) model-avg-est: 0.0354 se $=0.0346 \mathrm{K5}-2$ $R$ (model-season 4)(segment 3) model-avg-est: 0.0122 se= $0.0120 \mathrm{K5}-3$ $R$ (model-season 4)(segment 4) model-avg-est: 0.0112 se $=0.0117 \mathrm{~K} 5-4$ $R$ (model-season 4)(segment 5) model-avg-est: 0.0288 se= 0.0270 L3-1 $R$ (model-season 4)(segment 6) model-avg-est: 0.0242 se $=0.0236$ L3-2 $R$ (model-season 4)(segment 7) model-avg-est: $0.0004 \mathrm{se}=0.0006$ L3-3 $R$ (model-season 4)(segment 8) model-avg-est: 0.0004 se= 0.0006 L3-4 $R$ (model-season 4)(segment 9) model-avg-est: 0.0025 se= 0.0030 L3-5 $R$ (model-season 4)(segment 10) model-avg-est: $0.0439 \mathrm{se}=0.0380$ L3-6 $R$ (model-season 4)(segment 11) model-avg-est: $0.0287 \mathrm{se}=0.0276 \mathrm{L3-7}$ $R$ (model-season 4)(segment 12) model-avg-est: 0.0255 se $=0.0254$ L3-8 $R$ (model-season 4)(segment 13) model-avg-est: $0.0749 \mathrm{se}=0.0582 \mathrm{L3-9}$ $R$ (model-season 4)(segment 14) model-avg-est: 0.0856 se $=0.0647$ L3-10 $R$ (model-season 4)(segment 15) model-avg-est: $0.0417 \mathrm{se}=0.0378$ L3-11 $R$ (model-season 4)(segment 16) model-avg-est: 0.0018 se $=0.0023$ L3-12 $R$ (model-season 4)(segment 17) model-avg-est: 0.0010 se $=0.0013$ L3-13 $R$ (model-season 4)(segment 18) model-avg-est: 0.0002 se $=0.0004 \mathrm{L2}-1$ $R$ (model-season 4)(segment 19) model-avg-est: 0.0002 se= 0.0003 L2-2
$R$ (model-season 4)(segment 20) model-avg-est: 0.0002 se $=0.0003$ L2-3 $R$ (model-season 4)(segment 21) model-avg-est: 0.0005 se= $0.0007 \mathrm{~L} 2-4$ $R$ (model-season 4)(segment 22) model-avg-est: $0.0002 \mathrm{se}=0.0003 \mathrm{~L} 2-5$ $R$ (model-season 4)(segment 23) model-avg-est: $0.0002 \mathrm{se}=0.0003 \mathrm{L2}-6$ $R$ (model-season 4)(segment 24) model-avg-est: 0.0001 se $=0.0002$ L2-7 $R$ (model-season 4)(segment 25) model-avg-est: 0.0871 se $=0.0809$ L2-8 $R$ (model-season 4)(segment 26) model-avg-est: 0.0966 se= $0.0911 \mathrm{L2}-9$ $R$ (model-season 4)(segment 27) model-avg-est: 0.0969 se $=0.0926$ L2-10 $R$ (model-season 4)(segment 28) model-avg-est: 0.0268 se $=0.0257$ L1B-1 $R$ (model-season 4)(segment 29) model-avg-est: 0.0588 se $=0.0483$ L1B-2 $R$ (model-season 4)(segment 30) model-avg-est: 0.0234 se $=0.0229$ L1B-3 $R$ (model-season 4)(segment 31) model-avg-est: 0.5457 se $=0.2371$ L1A-1 $R$ (model-season 4)(segment 32) model-avg-est: 0.3932 se $=0.2040$ L1A-2 $R$ (model-season 4)(segment 33) model-avg-est: 0.1960 se $=0.1348$ L1A-3 $R$ (model-season 4)(segment 34) model-avg-est: 0.0095 se $=0.0096$ L1A-4 $R$ (model-season 4)(segment 35) model-avg-est: 0.0052 se $=0.0056$ L1A-5 $R$ (model-season 4)(segment 36) model-avg-est: 0.1631 se $=0.1100$ L1A- 6 $R$ (model-season 4)(segment 37) model-avg-est: 0.1572 se= 0.1058 L1A-7 $R$ (model-season 4)(segment 38) model-avg-est: 0.1799 se $=0.1162$ L1A-8 $R$ (model-season 4)(segment 39) model-avg-est: 0.1155 se $=0.0828$ L1A-9 $R$ (model-season 4)(segment 40) model-avg-est: 0.1930 se= 0.1235 L1A-10 $R$ (model-season 4)(segment 41) model-avg-est: 0.0035 se $=0.0039 \mathrm{M} 4-1$ $R$ (model-season 4)(segment 42) model-avg-est: 0.0045 se $=0.0050 \mathrm{M} 4-2$ $R$ (model-season 4)(segment 43) model-avg-est: 0.0024 se $=0.0028 \mathrm{M} 4-3$ $R$ (model-season 4)(segment 44) model-avg-est: $0.0179 \mathrm{se}=0.0185 \mathrm{M} 4-4$ $R$ (model-season 4)(segment 45) model-avg-est: 0.0016 se= $0.0020 \mathrm{M} 4-5$ $R$ (model-season 4)(segment 46) model-avg-est: 0.0069 se $=0.0072 \mathrm{M} 4-6$ $R$ (model-season 4)(segment 47) model-avg-est: 0.3018 se= $0.1704 \mathrm{M} 4-7$ $R$ (model-season 4)(segment 48) model-avg-est: 0.0078 se $=0.0080 \mathrm{M} 4-8$ $R$ (model-season 4)(segment 49) model-avg-est: $0.6426 \mathrm{se}=0.2198 \mathrm{M} 4-9$ $R$ (model-season 4)(segment 50) model-avg-est: $0.0695 \mathrm{se}=0.0649 \mathrm{M} 4-10$ $R$ (model-season 4)(segment 51) model-avg-est: 0.0002 se $=0.0004 \mathrm{M} 3-1$ $R$ (model-season 4)(segment 52) model-avg-est: 0.0141 se $=0.0164 \mathrm{M3}-2$ $R$ (model-season 4)(segment 53) model-avg-est: 0.0048 se $=0.0064 \mathrm{M} 3-3$ $R$ (model-season 4)(segment 54) model-avg-est: 0.0002 se $=0.0003 \mathrm{M} 3-4$ $R$ (model-season 4)(segment 55) model-avg-est: $0.0003 \mathrm{se}=0.0005 \mathrm{M} 3-5$ $R$ (model-season 4)(segment 56) model-avg-est: 0.0394 se $=0.0353 \mathrm{M} 2-1$ $R$ (model-season 4)(segment 57) model-avg-est: 0.0011 se $=0.0015 \mathrm{M} 2-2$ $R$ (model-season 4)(segment 58) model-avg-est: 0.0008 se $=0.0011 \mathrm{M} 2-3$ $R$ (model-season 4)(segment 59) model-avg-est: $0.0009 \mathrm{se}=0.0013 \mathrm{M} 2-4$ $R$ (model-season 4)(segment 60) model-avg-est: 0.0012 se $=0.0016 \mathrm{M} 2-5$ $R$ (model-season 4)(segment 61) model-avg-est: 0.0008 se $=0.0011 \mathrm{M} 2-6$ $R$ (model-season 4)(segment 62) model-avg-est: 0.0112 se= 0.0117 M1-1 $R$ (model-season 4)(segment 63) model-avg-est: $0.0100 \mathrm{se}=0.0101 \mathrm{M} 1-2$ $R$ (model-season 4)(segment 64) model-avg-est: 0.0057 se= $0.0061 \mathrm{M1}-3$ $R$ (model-season 4)(segment 65) model-avg-est: 0.0034 se $=0.0039$ M1-4 $R$ (model-season 4)(segment 66) model-avg-est: 0.0023 se $=0.0028$ M1-5 $R$ (model-season 4)(segment 67) model-avg-est: 0.0019 se= 0.0024 M1-6 $R$ (model-season 4)(avg.all segments) model-avg-est: $0.0586 \mathrm{sd}=0.1205$

## Detection

p1(model-season 1)(survey-1)(segment 1 ) model-avg-est: 0.3786 se= $0.1743 \mathrm{~K} 5-1$ p1(model-season 1)(survey-1)(segment 2 ) model-avg-est: $0.3288 \mathrm{se}=0.2162 \mathrm{K5} 5$ p1(model-season 1)(survey-1)(segment 3 ) model-avg-est: 0.3390 se $=0.2069 \mathrm{~K} 5-3$ p1(model-season 1)(survey-1)(segment 4) model-avg-est: 0.4294 se= $0.1429 \mathrm{~K} 5-4$ p1(model-season 1)(survey-1)(segment 5 ) model-avg-est: 0.5420 se $=0.1225 \mathrm{L3}-1$ p1(model-season 1)(survey-1)(segment 6) model-avg-est: $0.5557 \mathrm{se}=0.1248 \mathrm{L3}-2$ p1(model-season 1)(survey-1)(segment 7) model-avg-est: 0.5775 se= 0.1305 L3-3 p1(model-season 1)(survey-1)(segment 8 ) model-avg-est: 0.5043 se $=0.1215 \mathrm{L3}-4$ p1(model-season 1)(survey-1)(segment 9) model-avg-est: 0.5043 se= 0.1215 L3-5 p1(model-season 1)(survey-1)(segment 10) model-avg-est: 0.5354 se= 0.1218 L3-6 p1(model-season 1)(survey-1)(segment 11) model-avg-est: $0.4789 \mathrm{se}=0.1252 \mathrm{L3-7}$ p1(model-season 1)(survey-1)(segment 12) model-avg-est: 0.4506 se= 0.1337 L3-8 $p 1$ (model-season 1)(survey-1)(segment 13) model-avg-est: $0.4340 \mathrm{se}=0.1407 \mathrm{L3-9}$ $p 1$ (model-season 1)(survey-1)(segment 14) model-avg-est: $0.4184 \mathrm{se}=0.1486 \mathrm{L3}-10$ p1(model-season 1)(survey-1)(segment 15) model-avg-est: 0.3898 se= 0.1662 L3-11 $p 1$ (model-season 1)(survey-1)(segment 16) model-avg-est: 0.3768 se= 0.1756 L3-12 $p 1$ (model-season 1)(survey-1)(segment 17) model-avg-est: 0.4294 se= 0.1429 L3-13 p1(model-season 1)(survey-1)(segment 18) model-avg-est: 0.5664 se= $0.1273 \mathrm{L2-1}$ p1(model-season 1)(survey-1)(segment 19) model-avg-est: 0.5930 se $=0.1359 \mathrm{~L} 2-2$ p1(model-season 1)(survey-1)(segment 20) model-avg-est: 0.5354 se= 0.1218 L2-3 p1(model-season 1)(survey-1)(segment 21) model-avg-est: $0.4363 \mathrm{se}=0.1396 \mathrm{L2}-4$ p1(model-season 1)(survey-1)(segment 22) model-avg-est: $0.2575 \mathrm{se}=0.2915$ L2-5 p1(model-season 1)(survey-1)(segment 23) model-avg-est: $0.2575 \mathrm{se}=0.2915$ L2-6
p1(model-season 1)(survey-1)(segment 24) model-avg-est: 0.2575 se= 0.2915 L2-7 p1(model-season 1)(survey-1)(segment 25) model-avg-est: $0.4683 \mathrm{se}=0.1279 \mathrm{L2-8}$ p1(model-season 1)(survey-1)(segment 26) model-avg-est: $0.4555 \mathrm{se}=0.1319 \mathrm{L2-9}$ p1(model-season 1)(survey-1)(segment 27) model-avg-est: 0.4816 se= $0.1247 \mathrm{~L} 2-10$ $p 1$ (model-season 1)(survey-1)(segment 28) model-avg-est: $0.5289 \mathrm{se}=0.1213$ L1B-1 $p 1$ (model-season 1)(survey-1)(segment 29) model-avg-est: 0.5522 se= 0.1242 L1B-2 $p 1$ (model-season 1)(survey-1)(segment 30 ) model-avg-est: $0.4605 \mathrm{se}=0.1302$ L1B-3 $p 1$ (model-season 1)(survey-1)(segment 31) model-avg-est: 0.4482 se= 0.1346 L1A-1 p1(model-season 1)(survey-1)(segment 32) model-avg-est: 0.3947 se= 0.1630 L1A-2 $p 1$ (model-season 1)(survey-1)(segment 33) model-avg-est: 0.5321 se= 0.1215 L1A-3 $p 1$ (model-season 1)(survey-1)(segment 34 ) model-avg-est: $0.3482 \mathrm{se}=0.1987 \mathrm{~L} 1 \mathrm{~A}-4$ p1(model-season 1)(survey-1)(segment 35) model-avg-est: $0.2969 \mathrm{se}=0.2480$ L1A-5 $p 1$ (model-season 1)(survey-1)(segment 36) model-avg-est: $0.5289 \mathrm{se}=0.1213$ L1A-6 $p 1$ (model-season 1)(survey-1)(segment 37) model-avg-est: 0.4272 se= 0.1440 L1A-7 p1(model-season 1)(survey-1)(segment 38) model-avg-est: 0.4363 se= 0.1396 L1A-8 $p 1$ (model-season 1)(survey-1)(segment 39) model-avg-est: $0.4631 \mathrm{se}=0.1294$ L1A-9 p1(model-season 1)(survey-1)(segment 40) model-avg-est: 0.4250 se $=0.1451$ L1A-10 $p 1$ (model-season 1)(survey-1)(segment 41) model-avg-est: $0.5073 \mathrm{se}=0.1213 \mathrm{M} 4-1$ $p 1$ (model-season 1)(survey-1)(segment 42) model-avg-est: $0.5387 \mathrm{se}=0.1221 \mathrm{M} 4-2$ p1(model-season 1)(survey-1)(segment 43) model-avg-est: $0.4735 \mathrm{se}=0.1265 \mathrm{M} 4-3$ p1(model-season 1)(survey-1)(segment 44) model-avg-est: $0.4735 \mathrm{se}=0.1265 \mathrm{M} 4-4$ p1(model-season 1)(survey-1)(segment 45) model-avg-est: 0.4816 se= $0.1247 \mathrm{M} 4-5$ p1(model-season 1)(survey-1)(segment 46) model-avg-est: 0.4816 se= $0.1247 \mathrm{M} 4-6$ p1(model-season 1)(survey-1)(segment 47) model-avg-est: 0.4272 se= $0.1440 \mathrm{M} 4-7$ $p 1$ (model-season 1)(survey-1)(segment 48) model-avg-est: $0.4294 \mathrm{se}=0.1429 \mathrm{M} 4-8$ p1(model-season 1)(survey-1)(segment 49) model-avg-est: $0.4581 \mathrm{se}=0.1310 \mathrm{M} 4-9$ $p 1$ (model-season 1)(survey-1)(segment 50 ) model-avg-est: $0.4037 \mathrm{se}=0.1572 \mathrm{M} 4-10$ p1(model-season 1)(survey-1)(segment 51) model-avg-est: 0.5043 se= $0.1215 \mathrm{M} 3-1$ $p 1$ (model-season 1)(survey-1)(segment 52) model-avg-est: $0.4099 \mathrm{se}=0.1534 \mathrm{M} 3-2$ $p 1$ (model-season 1)(survey-1)(segment 53) model-avg-est: $0.4363 \mathrm{se}=0.1396 \mathrm{M} 3-3$ p1(model-season 1)(survey-1)(segment 54) model-avg-est: $0.3497 \mathrm{se}=0.1974 \mathrm{M} 3-4$ $p 1$ (model-season 1)(survey-1)(segment 55) model-avg-est: $0.3786 \mathrm{se}=0.1743 \mathrm{M} 3-5$ p1(model-season 1)(survey-1)(segment 56) model-avg-est: 0.5354 se $=0.1218 \mathrm{M} 2-1$ p1(model-season 1)(survey-1)(segment 57) model-avg-est: 0.4078 se= $0.1547 \mathrm{M} 2-2$ $p 1$ (model-season 1)(survey-1)(segment 58) model-avg-est: 0.4272 se= $0.1440 \mathrm{M} 2-3$ p1(model-season 1)(survey-1)(segment 59) model-avg-est: $0.4228 \mathrm{se}=0.1463 \mathrm{M} 2-4$ p1(model-season 1)(survey-1)(segment 60) model-avg-est: 0.4735 se= $0.1265 \mathrm{M} 2-5$ $p 1$ (model-season 1)(survey-1)(segment 61) model-avg-est: $0.4120 \mathrm{se}=0.1522 \mathrm{M} 2-6$ p1(model-season 1)(survey-1)(segment 62) model-avg-est: $0.4735 \mathrm{se}=0.1265 \mathrm{M} 1-1$ p1(model-season 1)(survey-1)(segment 63) model-avg-est: 0.4956 se= $0.1223 \mathrm{M} 1-2$ p1(model-season 1)(survey-1)(segment 64) model-avg-est: 0.4899 se $=0.1231 \mathrm{M} 1-3$ $p 1$ (model-season 1)(survey-1)(segment 65) model-avg-est: $0.3697 \mathrm{se}=0.1810 \mathrm{M1}-4$ p1(model-season 1)(survey-1)(segment 66) model-avg-est: 0.4272 se= $0.1440 \mathrm{M} 1-5$ $p 1$ (model-season 1)(survey-1)(segment 67) model-avg-est: $0.4184 \mathrm{se}=0.1486 \mathrm{M} 1-6$ p1(model-season 1)(survey-2)(segment 1) model-avg-est: 0.5840 se $=0.1565 \mathrm{~K} 5-1$ p1(model-season 1)(survey-2)(segment 2) model-avg-est: $0.5249 \mathrm{se}=0.2021 \mathrm{K5}-2$ p1(model-season 1)(survey-2)(segment 3) model-avg-est: 0.5377 se= $0.1912 \mathrm{K5}-3$ p1(model-season 1)(survey-2)(segment 4) model-avg-est: $0.6371 \mathrm{se}=0.1289 \mathrm{~K} 5-4$ p1(model-season 1)(survey-2)(segment 5) model-avg-est: $0.7343 \mathrm{se}=0.1184 \mathrm{L3}-1$ p1(model-season 1)(survey-2)(segment 6) model-avg-est: 0.7445 se $=0.1204 \mathrm{L3-2}$ p1(model-season 1)(survey-2)(segment 7) model-avg-est: 0.7603 se= 0.1248 L3-3 p1(model-season 1)(survey-2)(segment 8 ) model-avg-est: $0.7045 \mathrm{se}=0.1157 \mathrm{L3}-4$ p1(model-season 1)(survey-2)(segment 9) model-avg-est: 0.7045 se= 0.1157 L3-5 p1(model-season 1)(survey-2)(segment 10) model-avg-est: 0.7292 se $=0.1175$ L3-6 p1(model-season 1)(survey-2)(segment 11) model-avg-est: 0.6829 se $=0.1171$ L3-7 p1(model-season 1)(survey-2)(segment 12) model-avg-est: 0.6573 se= 0.1222 L3-8 p1(model-season 1)(survey-2)(segment 13) model-avg-est: 0.6415 se= 0.1273 L3-9 p1(model-season 1)(survey-2)(segment 14) model-avg-est: 0.6261 se= 0.1335 L3-10 p1(model-season 1)(survey-2)(segment 15) model-avg-est: 0.5964 se= 0.1489 L3-11 $p 1$ (model-season 1)(survey-2)(segment 16) model-avg-est: 0.5820 se $=0.1578$ L3-12 p1(model-season 1)(survey-2)(segment 17) model-avg-est: 0.6371 se= 0.1289 L3-13 p1(model-season 1)(survey-2)(segment 18) model-avg-est: 0.7524 se= 0.1224 L2-1 p1(model-season 1)(survey-2)(segment 19) model-avg-est: 0.7711 se= $0.1284 \mathrm{L2-2}$ p1(model-season 1)(survey-2)(segment 20) model-avg-est: 0.7292 se= 0.1175 L2-3 p1(model-season 1)(survey-2)(segment 21) model-avg-est: 0.6438 se $=0.1265$ L2-4 p1(model-season 1)(survey-2)(segment 22) model-avg-est: 0.4247 se= 0.3072 L2-5 p1(model-season 1)(survey-2)(segment 23) model-avg-est: 0.4247 se= 0.3072 L2-6 p1(model-season 1)(survey-2)(segment 24) model-avg-est: $0.4247 \mathrm{se}=0.3072 \mathrm{L2-7}$ p1(model-season 1)(survey-2)(segment 25) model-avg-est: 0.6735 se $=0.1186$ L2-8 p1(model-season 1)(survey-2)(segment 26) model-avg-est: 0.6619 se= 0.1211 L2-9 p1(model-season 1)(survey-2)(segment 27) model-avg-est: 0.6852 se $=0.1168 \mathrm{~L} 2-10$ p1(model-season 1)(survey-2)(segment 28) model-avg-est: 0.7242 se= 0.1169 L1B-1 $p 1$ (model-season 1)(survey-2)(segment 29) model-avg-est: 0.7420 se= 0.1198 L1B-2 p1(model-season 1)(survey-2)(segment 30) model-avg-est: 0.6665 se= 0.1200 L1B-3 p1(model-season 1)(survey-2)(segment 31) model-avg-est: 0.6551 se= 0.1229 L1A-1
p1(model-season 1)(survey-2)(segment 32) model-avg-est: 0.6016 se= 0.1459 L1A-2 $p 1$ (model-season 1)(survey-2)(segment 33) model-avg-est: 0.7267 se= 0.1172 L1A-3 $p 1$ (model-season 1)(survey-2)(segment 34) model-avg-est: 0.5488 se $=0.1820$ L1A-4 $p 1$ (model-season 1)(survey-2)(segment 35 ) model-avg-est: 0.4827 se= 0.2428 L1A-5 p1(model-season 1)(survey-2)(segment 36) model-avg-est: 0.7242 se= 0.1169 L1A-6 $p 1$ (model-season 1)(survey-2)(segment 37) model-avg-est: 0.6349 se $=0.1298$ L1A-7 p1(model-season 1)(survey-2)(segment 38 ) model-avg-est: 0.6438 se $=0.1265$ L1A-8 $p 1$ (model-season 1)(survey-2)(segment 39) model-avg-est: 0.6688 se= 0.1195 L1A-9 p1(model-season 1)(survey-2)(segment 40) model-avg-est: 0.6327 se= 0.1307 L1A-10 p1(model-season 1)(survey-2)(segment 41) model-avg-est: 0.7069 se $=0.1157 \mathrm{M} 4-1$ $p 1$ (model-season 1)(survey-2)(segment 42) model-avg-est: $0.7317 \mathrm{se}=0.1179 \mathrm{M} 4-2$ p1(model-season 1)(survey-2)(segment 43) model-avg-est: $0.6781 \mathrm{se}=0.1178 \mathrm{M} 4-3$ p1(model-season 1)(survey-2)(segment 44) model-avg-est: $0.6781 \mathrm{se}=0.1178 \mathrm{M} 4-4$ $p 1$ (model-season 1)(survey-2)(segment 45) model-avg-est: 0.6852 se $=0.1168 \mathrm{M} 4-5$ p1 (model-season 1)(survey-2)(segment 46) model-avg-est: 0.6852 se= $0.1168 \mathrm{M} 4-6$ p1(model-season 1)(survey-2)(segment 47) model-avg-est: $0.6349 \mathrm{se}=0.1298 \mathrm{M} 4-7$ $p 1$ (model-season 1)(survey-2)(segment 48) model-avg-est: $0.6371 \mathrm{se}=0.1289 \mathrm{M} 4-8$ p1(model-season 1)(survey-2)(segment 49) model-avg-est: 0.6642 se= $0.1205 \mathrm{M} 4-9$ p1(model-season 1)(survey-2)(segment 50) model-avg-est: 0.6110 se= $0.1407 \mathrm{M} 4-10$ p1(model-season 1)(survey-2)(segment 51) model-avg-est: 0.7045 se= $0.1157 \mathrm{M} 3-1$ p1(model-season 1)(survey-2)(segment 52) model-avg-est: 0.6175 se= $0.1375 \mathrm{M} 3-2$ p1(model-season 1)(survey-2)(segment 53) model-avg-est: 0.6438 se $=0.1265 \mathrm{M} 3-3$ p1(model-season 1)(survey-2)(segment 54) model-avg-est: $0.5507 \mathrm{se}=0.1805 \mathrm{M} 3-4$ p1(model-season 1)(survey-2)(segment 55) model-avg-est: 0.5840 se= $0.1565 \mathrm{M} 3-5$ p1(model-season 1)(survey-2)(segment 56) model-avg-est: 0.7292 se $=0.1175 \mathrm{M} 2-1$ p1(model-season 1)(survey-2)(segment 57) model-avg-est: $0.6153 \mathrm{se}=0.1386 \mathrm{M} 2-2$ p1(model-season 1)(survey-2)(segment 58) model-avg-est: $0.6349 \mathrm{se}=0.1298 \mathrm{M} 2-3$ p1(model-season 1)(survey-2)(segment 59) model-avg-est: 0.6305 se= $0.1316 \mathrm{M} 2-4$ $p 1$ (model-season 1)(survey-2)(segment 60) model-avg-est: 0.6781 se= $0.1178 \mathrm{M} 2-5$ $p 1$ (model-season 1)(survey-2)(segment 61) model-avg-est: 0.6196 se $=0.1365 \mathrm{M} 2-6$ $p 1$ (model-season 1)(survey-2)(segment 62) model-avg-est: $0.6781 \mathrm{se}=0.1178 \mathrm{M} 1-1$ p1(model-season 1)(survey-2)(segment 63) model-avg-est: $0.6972 \mathrm{se}=0.1159 \mathrm{M} 1-2$ $p 1$ (model-season 1)(survey-2)(segment 64) model-avg-est: $0.6924 \mathrm{se}=0.1162 \mathrm{M} 1-3$ p1(model-season 1)(survey-2)(segment 65) model-avg-est: 0.5740 se= $0.1632 \mathrm{M} 1-4$ p1(model-season 1)(survey-2)(segment 66) model-avg-est: $0.6349 \mathrm{se}=0.1298 \mathrm{M} 1-5$ p1(model-season 1)(survey-2)(segment 67) model-avg-est: 0.6261 se= $0.1335 \mathrm{M} 1-6$ $p 1$ (model-season 1)(all-surveys)(avg.all segments) model-avg-est: $0.0 .5469 \mathrm{sd}=0.1260$
p1(model-season 2)(survey-1)(segment 1) model-avg-est: 0.1917 se= 0.0977 K5-1 p1(model-season 2)(survey-1)(segment 2 ) model-avg-est: 0.1410 se $=0.1100 \mathrm{~K} 5-2$ p1(model-season 2)(survey-1)(segment 3 3) model-avg-est: 0.1389 se $=0.1108 \mathrm{K5}-3$ p1(model-season 2)(survey-1)(segment 4) model-avg-est: $0.2189 \mathrm{se}=0.0975 \mathrm{~K} 5-4$ p1(model-season 2)(survey-1)(segment 5) model-avg-est: 0.3018 se= 0.1267 L3-1 p1(model-season 2)(survey-1)(segment 6) model-avg-est: 0.3144 se $=0.1346$ L3-2 p1(model-season 2)(survey-1)(segment 7) model-avg-est: 0.2673 se= 0.1093 L3-3 p1(model-season 2)(survey-1)(segment 8 ) model-avg-est: 0.2833 se $=0.1165 \mathrm{L3}-4$ p1(model-season 2)(survey-1)(segment 9 ) model-avg-est: 0.2614 se $=0.1071$ L3-5 p1(model-season 2)(survey-1)(segment 10) model-avg-est: 0.2010 se= 0.0971 L3-6 $p 1$ (model-season 2)(survey-1)(segment 11) model-avg-est: $0.2405 \mathrm{se}=0.1009 \mathrm{L3-7}$ p1(model-season 2)(survey-1)(segment 12) model-avg-est: $0.2209 \mathrm{se}=0.0977$ L3-8 p1(model-season 2)(survey-1)(segment 13) model-avg-est: 0.2027 se= 0.0970 L3-9 $p 1$ (model-season 2)(survey-1)(segment 14) model-avg-est: 0.1572 se= 0.1046 L3-10 p1(model-season 2)(survey-1)(segment 15) model-avg-est: 0.1860 se= 0.0983 L3-11 p1(model-season 2)(survey-1)(segment 16) model-avg-est: 0.1278 se= 0.1151 L3-12 $p 1$ (model-season 2)(survey-1)(segment 17) model-avg-est: $0.2209 \mathrm{se}=0.0977$ L3-13 p1(model-season 2)(survey-1)(segment 18) model-avg-est: 0.2643 se= 0.1082 L2-1 p1(model-season 2)(survey-1)(segment 19) model-avg-est: $0.2940 \mathrm{se}=0.1222 \mathrm{L2-2}$ p1(model-season 2)(survey-1)(segment 20) model-avg-est: 0.2673 se= 0.1093 L2-3 p1(model-season 2)(survey-1)(segment 21) model-avg-est: 0.2405 se $=0.1009$ L2-4 p1(model-season 2)(survey-1)(segment 22) model-avg-est: 0.1004 se= $0.1268 \mathrm{L2}-5$ p1(model-season 2)(survey-1)(segment 23) model-avg-est: 0.1004 se= 0.1268 L2-6 p1(model-season 2)(survey-1)(segment 24) model-avg-est: 0.1004 se= 0.1268 L2-7 p1(model-season 2)(survey-1)(segment 25) model-avg-est: $0.2336 \mathrm{se}=0.0995 \mathrm{L2-8}$ p1(model-season 2)(survey-1)(segment 26) model-avg-est: 0.2314 se= 0.0991 L2-9 p1(model-season 2)(survey-1)(segment 27) model-avg-est: 0.2270 se= 0.0985 L2-10 p1(model-season 2)(survey-1)(segment 28) model-avg-est: 0.2766 se= 0.1134 L1B-1 $p 1$ (model-season 2)(survey-1)(segment 29) model-avg-est: 0.3018 se= 0.1267 L1B-2 $p 1$ (model-season 2)(survey-1)(segment 30 ) model-avg-est: 0.2314 se $=0.0991 \mathrm{L1B}-3$ p1(model-season 2)(survey-1)(segment 31) model-avg-est: 0.2209 se= 0.0977 L1A-1 p1(model-season 2)(survey-1)(segment 32) model-avg-est: 0.1874 se= 0.0982 L1A-2 $p 1$ (model-season 2)(survey-1)(segment 33) model-avg-est: 0.2505 se $=0.1035$ L1A-3 $p 1$ (model-season 2)(survey-1)(segment 34) model-avg-est: 0.1361 se= 0.1118 L1A-4 p1(model-season 2)(survey-1)(segment 35) model-avg-est: 0.1004 se= 0.1268 L1A-5 p1(model-season 2)(survey-1)(segment 36) model-avg-est: 0.2643 se= 0.1082 L1A-6 p1(model-season 2)(survey-1)(segment 37) model-avg-est: 0.2209 se= 0.0977 L1A-7
p1(model-season 2)(survey-1)(segment 38) model-avg-est: 0.2405 se= 0.1009 L1A-8 p1(model-season 2)(survey-1)(segment 39) model-avg-est: 0.2336 se= 0.0995 L1A-9 p1(model-season 2)(survey-1)(segment 40) model-avg-est: 0.1833 se $=0.0987$ L1A-10 p1(model-season 2)(survey-1)(segment 41) model-avg-est: 0.2628 se= $0.1077 \mathrm{M} 4-1$ p1(model-season 2)(survey-1)(segment 42) model-avg-est: $0.2868 \mathrm{se}=0.1183 \mathrm{M} 4-2$ p1(model-season 2)(survey-1)(segment 43) model-avg-est: $0.2531 \mathrm{se}=0.1043 \mathrm{M} 4-3$ p1(model-season 2)(survey-1)(segment 44) model-avg-est: $0.2643 \mathrm{se}=0.1082 \mathrm{M} 4-4$ $p 1$ (model-season 2)(survey-1)(segment 45) model-avg-est: $0.2479 \mathrm{se}=0.1028 \mathrm{M} 4-5$ p1(model-season 2)(survey-1)(segment 46) model-avg-est: 0.2505 se= $0.1035 \mathrm{M} 4-6$ p1(model-season 2)(survey-1)(segment 47) model-avg-est: 0.2336 se $=0.0995 \mathrm{M} 4-7$ p1(model-season 2)(survey-1)(segment 48) model-avg-est: $0.1994 \mathrm{se}=0.0971 \mathrm{M} 4-8$ p1(model-season 2)(survey-1)(segment 49) model-avg-est: 0.1978 se= $0.0972 \mathrm{M} 4-9$ p1(model-season 2)(survey-1)(segment 50) model-avg-est: 0.1819 se= $0.0990 \mathrm{M} 4-10$ $p 1$ (model-season 2)(survey-1)(segment 51) model-avg-est: $0.2673 \mathrm{se}=0.1093 \mathrm{M} 3-1$ p1(model-season 2)(survey-1)(segment 52) model-avg-est: $0.1860 \mathrm{se}=0.0983 \mathrm{M} 3-2$ $p 1$ (model-season 2)(survey-1)(segment 53) model-avg-est: $0.1903 \mathrm{se}=0.0978 \mathrm{M} 3-3$ $p 1$ (model-season 2)(survey-1)(segment 54) model-avg-est: $0.1474 \mathrm{se}=0.1077 \mathrm{M} 3-4$ p1(model-season 2)(survey-1)(segment 55) model-avg-est: $0.1508 \mathrm{se}=0.1066 \mathrm{M} 3-5$ $p 1$ (model-season 2)(survey-1)(segment 56) model-avg-est: $0.2614 \mathrm{se}=0.1071 \mathrm{M} 2-1$ p1(model-season 2)(survey-1)(segment 57) model-avg-est: $0.1819 \mathrm{se}=0.0990 \mathrm{M} 2-2$ p1(model-season 2)(survey-1)(segment 58) model-avg-est: $0.1697 \mathrm{se}=0.1013 \mathrm{M} 2-3$ $p 1$ (model-season 2)(survey-1)(segment 59) model-avg-est: $0.1621 \mathrm{se}=0.1032 \mathrm{M} 2-4$ $p 1$ (model-season 2)(survey-1)(segment 60) model-avg-est: $0.2151 \mathrm{se}=0.0973 \mathrm{M} 2-5$ $p 1$ (model-season 2)(survey-1)(segment 61) model-avg-est: $0.1781 \mathrm{se}=0.0996 \mathrm{M} 2-6$ p1(model-season 2)(survey-1)(segment 62) model-avg-est: 0.2673 se $=0.1093 \mathrm{M} 1-1$ p1(model-season 2)(survey-1)(segment 63) model-avg-est: 0.2454 se= $0.1021 \mathrm{M} 1-2$ $p 1$ (model-season 2)(survey-1)(segment 64) model-avg-est: $0.2586 \mathrm{se}=0.1061 \mathrm{M} 1-3$ p1(model-season 2)(survey-1)(segment 65) model-avg-est: $0.1631 \mathrm{se}=0.1029 \mathrm{M1}-4$ $p 1$ (model-season 2)(survey-1)(segment 66) model-avg-est: $0.2027 \mathrm{se}=0.0970 \mathrm{M1}-5$ $p 1$ (model-season 2)(survey-1)(segment 67) model-avg-est: 0.1994 se= 0.0971 M1-6 p1(model-season 2)(survey-2)(segment 1) model-avg-est: 0.3557 se= $0.1187 \mathrm{~K} 5-1$ p1(model-season 2)(survey-2)(segment 2) model-avg-est: 0.2711 se= $0.1436 \mathrm{~K} 5-2$ p1(model-season 2)(survey-2)(segment 3) model-avg-est: $0.2671 \mathrm{se}=0.1455 \mathrm{K5}-3$ p1(model-season 2)(survey-2)(segment 4) model-avg-est: 0.3961 se $=0.1196$ K5-4 p1(model-season 2)(survey-2)(segment 5 ) model-avg-est: 0.5015 se $=0.1654$ L3-1 p1(model-season 2)(survey-2)(segment 6) model-avg-est: $0.5156 \mathrm{se}=0.1759$ L3-2 p1(model-season 2)(survey-2)(segment 7) model-avg-est: 0.4605 se $=0.1403 \mathrm{L3-3}$ $p 1$ (model-season 2)(survey-2)(segment 8 ) model-avg-est: $0.4800 \mathrm{se}=0.1512 \mathrm{L3}-4$ p1(model-season 2)(survey-2)(segment 9) model-avg-est: 0.4531 se $=0.1368$ L3-5 p1(model-season 2)(survey-2)(segment 10) model-avg-est: 0.3699 se= 0.1180 L3-6 p1(model-season 2)(survey-2)(segment 11) model-avg-est: 0.4259 se $=0.1263$ L3-7 p1(model-season 2)(survey-2)(segment 12) model-avg-est: 0.3989 se= 0.1200 L3-8 p1(model-season 2)(survey-2)(segment 13) model-avg-est: 0.3724 se= 0.1180 L3-9 $p 1$ (model-season 2)(survey-2)(segment 14) model-avg-est: $0.2995 \mathrm{se}=0.1317 \mathrm{L3}-10$ p1(model-season 2)(survey-2)(segment 15) model-avg-est: 0.3468 se= 0.1197 L3-11 $p 1$ (model-season 2)(survey-2)(segment 16) model-avg-est: 0.2466 se= 0.1561 L3-12 p1(model-season 2)(survey-2)(segment 17) model-avg-est: 0.3989 se= 0.1200 L3-13 p1(model-season 2)(survey-2)(segment 18) model-avg-est: $0.4567 \mathrm{se}=0.1385 \mathrm{L2}-1$ p1(model-season 2)(survey-2)(segment 19) model-avg-est: 0.4926 se $=0.1592 \mathrm{L2-2}$ p1(model-season 2)(survey-2)(segment 20) model-avg-est: $0.4605 \mathrm{se}=0.1403 \mathrm{L2-3}$ p1(model-season 2)(survey-2)(segment 21) model-avg-est: 0.4259 se= 0.1263 L2-4 p1(model-season 2)(survey-2)(segment 22) model-avg-est: $0.1927 \mathrm{se}=0.1885$ L2-5 p1(model-season 2)(survey-2)(segment 23) model-avg-est: 0.1927 se $=0.1885$ L2-6 p1(model-season 2)(survey-2)(segment 24) model-avg-est: $0.1927 \mathrm{se}=0.1885 \mathrm{L2-7}$ p1(model-season 2)(survey-2)(segment 25) model-avg-est: $0.4165 \mathrm{se}=0.1236 \mathrm{L2-8}$ p1(model-season 2)(survey-2)(segment 26) model-avg-est: 0.4135 se= 0.1229 L2-9 $p 1$ (model-season 2)(survey-2)(segment 27) model-avg-est: 0.4075 se= $0.1216 \mathrm{L2-10}$ p1(model-season 2)(survey-2)(segment 28) model-avg-est: 0.4720 se= 0.1465 L1B-1 p1(model-season 2)(survey-2)(segment 29) model-avg-est: 0.5015 se= 0.1654 L1B-2 $p 1$ (model-season 2)(survey-2)(segment 30) model-avg-est: 0.4135 se= 0.1229 L1B-3 p1(model-season 2)(survey-2)(segment 31) model-avg-est: 0.3989 se= 0.1200 L1A-1 $p 1$ (model-season 2)(survey-2)(segment 32) model-avg-est: $0.3490 \mathrm{se}=0.1194$ L1A-2 $p 1$ (model-season 2)(survey-2)(segment 33) model-avg-est: 0.4391 se= 0.1309 L1A-3 p1(model-season 2)(survey-2)(segment 34) model-avg-est: 0.2620 se= 0.1481 L1A-4 $p 1$ (model-season 2)(survey-2)(segment 35) model-avg-est: $0.1927 \mathrm{se}=0.1885$ L1A-5 p1(model-season 2)(survey-2)(segment 36) model-avg-est: 0.4567 se= 0.1385 L1A-6 $p 1$ (model-season 2)(survey-2)(segment 37) model-avg-est: 0.3989 se= 0.1200 L1A-7 $p 1$ (model-season 2)(survey-2)(segment 38 ) model-avg-est: 0.4259 se $=0.1263$ L1A-8 p1(model-season 2)(survey-2)(segment 39) model-avg-est: $0.4165 \mathrm{se}=0.1236 \mathrm{~L} 1 \mathrm{~A}-9$ p1(model-season 2)(survey-2)(segment 40) model-avg-est: 0.3425 se= 0.1203 L1A-10 $p 1$ (model-season 2)(survey-2)(segment 41) model-avg-est: $0.4549 \mathrm{se}=0.1377 \mathrm{M} 4-1$ p1(model-season 2)(survey-2)(segment 42) model-avg-est: $0.4841 \mathrm{se}=0.1537 \mathrm{M} 4-2$ $p 1$ (model-season 2)(survey-2)(segment 43) model-avg-est: $0.4425 \mathrm{se}=0.1322 \mathrm{M} 4-3$ $p 1$ (model-season 2)(survey-2)(segment 44) model-avg-est: $0.4567 \mathrm{se}=0.1385 \mathrm{M} 4-4$ p1(model-season 2)(survey-2)(segment 45) model-avg-est: 0.4357 se= $0.1296 \mathrm{M} 4-5$
p1(model-season 2)(survey-2)(segment 46) model-avg-est: 0.4391 se= $0.1309 \mathrm{M} 4-6$ p1(model-season 2)(survey-2)(segment 47) model-avg-est: $0.4165 \mathrm{se}=0.1236 \mathrm{M} 4-7$ p1(model-season 2)(survey-2)(segment 48) model-avg-est: $0.3675 \mathrm{se}=0.1180 \mathrm{M} 4-8$ $p 1$ (model-season 2)(survey-2)(segment 49) model-avg-est: $0.3651 \mathrm{se}=0.1181 \mathrm{M} 4-9$ p1(model-season 2)(survey-2)(segment 50) model-avg-est: 0.3404 se= $0.1207 \mathrm{M} 4-10$ p1(model-season 2)(survey-2)(segment 51) model-avg-est: $0.4605 \mathrm{se}=0.1403 \mathrm{M} 3-1$ p1(model-season 2)(survey-2)(segment 52) model-avg-est: 0.3468 se $=0.1197 \mathrm{M} 3-2$ p1(model-season 2)(survey-2)(segment 53) model-avg-est: 0.3535 se= $0.1189 \mathrm{M3}-3$ p1(model-season 2)(survey-2)(segment 54) model-avg-est: 0.2824 se= $0.1385 \mathrm{M} 3-4$ p1(model-season 2)(survey-2)(segment 55) model-avg-est: 0.2884 se= $0.1360 \mathrm{M} 3-5$ p1(model-season 2)(survey-2)(segment 56) model-avg-est: $0.4531 \mathrm{se}=0.1368 \mathrm{M} 2-1$ p1(model-season 2)(survey-2)(segment 57) model-avg-est: 0.3404 se= $0.1207 \mathrm{M} 2-2$ p1(model-season 2)(survey-2)(segment 58) model-avg-est: $0.3206 \mathrm{se}=0.1250 \mathrm{M} 2-3$ p1(model-season 2)(survey-2)(segment 59) model-avg-est: $0.3079 \mathrm{se}=0.1288 \mathrm{M} 2-4$ p1(model-season 2)(survey-2)(segment 60) model-avg-est: 0.3906 se= $0.1190 \mathrm{M} 2-5$ $p 1$ (model-season 2)(survey-2)(segment 61) model-avg-est: 0.3342 se $=0.1218 \mathrm{M} 2-6$ p1(model-season 2)(survey-2)(segment 62) model-avg-est: $0.4605 \mathrm{se}=0.1403 \mathrm{M} 1-1$ p1(model-season 2)(survey-2)(segment 63) model-avg-est: $0.4324 \mathrm{se}=0.1284 \mathrm{M} 1-2$ $p 1$ (model-season 2)(survey-2)(segment 64) model-avg-est: 0.4495 se= $0.1352 \mathrm{M} 1-3$ p1(model-season 2)(survey-2)(segment 65) model-avg-est: 0.3097 se= $0.1282 \mathrm{M} 1-4$ p1(model-season 2)(survey-2)(segment 66) model-avg-est: 0.3724 se= $0.1180 \mathrm{M} 1-5$ $p 1$ (model-season 2)(survey-2)(segment 67) model-avg-est: 0.3675 se= $0.1180 \mathrm{M} 1-6$ $p 1$ (model-season 2)(all-surveys)(avg.all segments) model-avg-est: $0.0 .2997 \mathrm{sd}=0.1090$
p1(model-season 3)(survey-1)(segment 1) model-avg-est: 0.6916 se= $0.1281 \mathrm{~K} 5-1$ p1(model-season 3)(survey-1)(segment 2) model-avg-est: 0.5649 se= 0.2285 K5-2 p1(model-season 3)(survey-1)(segment 3) model-avg-est: 0.5493 se $=0.2457 \mathrm{K5}-3$ p1(model-season 3)(survey-1)(segment 4) model-avg-est: 0.4452 se= 0.3832 K5-4 p1(model-season 3)(survey-1)(segment 5) model-avg-est: 0.7990 se= $0.1063 \mathrm{L3}-1$ p1(model-season 3)(survey-1)(segment 6) model-avg-est: 0.7974 se $=0.1062$ L3-2 p1(model-season 3)(survey-1)(segment 7) model-avg-est: 0.7822 se $=0.1060$ L3-3 p1(model-season 3)(survey-1)(segment 8 ) model-avg-est: 0.7593 se= 0.1077 L3-4 p1(model-season 3)(survey-1)(segment 9) model-avg-est: $0.7430 \mathrm{se}=0.1104 \mathrm{L3}-5$ p1(model-season 3)(survey-1)(segment 10) model-avg-est: 0.7430 se= 0.1104 L3-6 p1(model-season 3)(survey-1)(segment 11) model-avg-est: 0.7593 se= 0.1077 L3-7 p1(model-season 3)(survey-1)(segment 12) model-avg-est: 0.7016 se= 0.1236 L3-8 p1(model-season 3)(survey-1)(segment 13) model-avg-est: 0.6866 se= 0.1306 L3-9 $p 1$ (model-season 3)(survey-1)(segment 14) model-avg-est: 0.5093 se= 0.2943 L3-10 p1(model-season 3)(survey-1)(segment 15) model-avg-est: 0.7142 se= 0.1186 L3-11 p1(model-season 3)(survey-1)(segment 16) model-avg-est: 0.5417 se= 0.2545 L3-12 $p 1$ (model-season 3)(survey-1)(segment 17) model-avg-est: 0.7091 se= 0.1206 L3-13 p1(model-season 3)(survey-1)(segment 18) model-avg-est: 0.7649 se= 0.1070 L2-1 p1(model-season 3)(survey-1)(segment 19) model-avg-est: $0.7649 \mathrm{se}=0.1070 \mathrm{L2-2}$ p1(model-season 3)(survey-1)(segment 20) model-avg-est: $0.7764 \mathrm{se}=0.1062 \mathrm{L2-3}$ p1(model-season 3)(survey-1)(segment 21) model-avg-est: 0.7245 se= 0.1152 L2-4 p1(model-season 3)(survey-1)(segment 22) model-avg-est: $0.4210 \mathrm{se}=0.4196 \mathrm{L2}-5$ p1(model-season 3)(survey-1)(segment 23) model-avg-est: 0.4210 se= 0.4196 L2-6 p1(model-season 3)(survey-1)(segment 24) model-avg-est: 0.4210 se $=0.4196$ L2-7 p1(model-season 3)(survey-1)(segment 25) model-avg-est: 0.7566 se= $0.1081 \mathrm{L2-8}$ p1(model-season 3)(survey-1)(segment 26) model-avg-est: 0.7511 se= $0.1089 \mathrm{L2-9}$ p1(model-season 3)(survey-1)(segment 27) model-avg-est: 0.7245 se= 0.1152 L2-10 $p 1$ (model-season 3)(survey-1)(segment 28) model-avg-est: 0.7734 se= 0.1064 L1B-1 p1(model-season 3)(survey-1)(segment 29) model-avg-est: 0.7792 se= 0.1061 L1B-2 $p 1$ (model-season 3)(survey-1)(segment 30 ) model-avg-est: 0.7297 se= 0.1137 L1B-3 $p 1$ (model-season 3)(survey-1)(segment 31) model-avg-est: 0.6990 se= 0.1247 L1A-1 p1(model-season 3)(survey-1)(segment 32) model-avg-est: 0.6509 se= 0.1520 L1A-2 $p 1$ (model-season 3)(survey-1)(segment 33) model-avg-est: 0.6965 se= 0.1258 L1A-3 p1(model-season 3)(survey-1)(segment 34) model-avg-est: 0.5474 se= 0.2479 L1A-4 p1(model-season 3)(survey-1)(segment 35) model-avg-est: 0.4210 se= 0.4196 L1A-5 $p 1$ (model-season 3)(survey-1)(segment 36) model-avg-est: 0.7635 se $=0.1072$ L1A-6 $p 1$ (model-season 3)(survey-1)(segment 37) model-avg-est: $0.7297 \mathrm{se}=0.1137$ L1A-7 p1(model-season 3)(survey-1)(segment 38) model-avg-est: 0.7538 se= 0.1084 L1A-8 $p 1$ (model-season 3)(survey-1)(segment 39) model-avg-est: 0.7040 se $=0.1226$ L1A-9 p1(model-season 3)(survey-1)(segment 40) model-avg-est: 0.6721 se= 0.1385 L1A-10 $p 1$ (model-season 3)(survey-1)(segment 41) model-avg-est: 0.7142 se= $0.1186 \mathrm{M} 4-1$ p1(model-season 3)(survey-1)(segment 42) model-avg-est: 0.7851 se= $0.1060 \mathrm{M} 4-2$ p1(model-season 3)(survey-1)(segment 43) model-avg-est: 0.7376 se= $0.1116 \mathrm{M} 4-3$ p1(model-season 3)(survey-1)(segment 44) model-avg-est: $0.7593 \mathrm{se}=0.1077 \mathrm{M} 4-4$ p1(model-season 3)(survey-1)(segment 45) model-avg-est: 0.7511 se= $0.1089 \mathrm{M} 4-5$ p1(model-season 3)(survey-1)(segment 46) model-avg-est: 0.7350 se= $0.1123 \mathrm{M} 4-6$ p1(model-season 3)(survey-1)(segment 47) model-avg-est: $0.7193 \mathrm{se}=0.1169 \mathrm{M} 4-7$ $p 1$ (model-season 3)(survey-1)(segment 48) model-avg-est: 0.6990 se= $0.1247 \mathrm{M} 4-8$ $p 1$ (model-season 3)(survey-1)(segment 49) model-avg-est: $0.6793 \mathrm{se}=0.1344 \mathrm{M} 4-9$ p1(model-season 3)(survey-1)(segment 50) model-avg-est: $0.6579 \mathrm{se}=0.1473 \mathrm{M} 4-10$ p1(model-season 3)(survey-1)(segment 51) model-avg-est: 0.7430 se= $0.1104 \mathrm{M} 3-1$
p1(model-season 3)(survey-1)(segment 52) model-avg-est: 0.6626 se= $0.1442 \mathrm{M} 3-2$ p1(model-season 3)(survey-1)(segment 53) model-avg-est: $0.7016 \mathrm{se}=0.1236 \mathrm{M} 3-3$ p1(model-season 3)(survey-1)(segment 54) model-avg-est: $0.6440 \mathrm{se}=0.1569 \mathrm{M} 3-4$ p1(model-season 3)(survey-1)(segment 55) model-avg-est: 0.6236 se= $0.1725 \mathrm{M} 3-5$ p1(model-season 3)(survey-1)(segment 56) model-avg-est: $0.7457 \mathrm{se}=0.1099 \mathrm{M} 2-1$ p1(model-season 3)(survey-1)(segment 57) model-avg-est: $0.6818 \mathrm{se}=0.1331 \mathrm{M} 2-2$ p1(model-season 3)(survey-1)(segment 58) model-avg-est: $0.6793 \mathrm{se}=0.1344 \mathrm{M} 2-3$ p1(model-season 3)(survey-1)(segment 59) model-avg-est: $0.6697 \mathrm{se}=0.1399 \mathrm{M} 2-4$ p1(model-season 3)(survey-1)(segment 60) model-avg-est: $0.6649 \mathrm{se}=0.1428 \mathrm{M} 2-5$ p1(model-season 3)(survey-1)(segment 61) model-avg-est: $0.6486 \mathrm{se}=0.1536 \mathrm{M} 2-6$ $p 1$ (model-season 3)(survey-1)(segment 62) model-avg-est: $0.7167 \mathrm{se}=0.1177 \mathrm{M} 1-1$ p1(model-season 3)(survey-1)(segment 63) model-avg-est: $0.7193 \mathrm{se}=0.1169 \mathrm{M} 1-2$ p1(model-season 3)(survey-1)(segment 64) model-avg-est: $0.7116 \mathrm{se}=0.1196 \mathrm{M} 1-3$ $p 1$ (model-season 3)(survey-1)(segment 65) model-avg-est: $0.6214 \mathrm{se}=0.1743 \mathrm{M} 1-4$ p1(model-season 3)(survey-1)(segment 66) model-avg-est: $0.6602 \mathrm{se}=0.1458 \mathrm{M} 1-5$ $p 1$ (model-season 3)(survey-1)(segment 67) model-avg-est: $0.6673 \mathrm{se}=0.1413 \mathrm{M} 1-6$ p1(model-season 3)(survey-2)(segment 1) model-avg-est: 0.8398 se= $0.0871 \mathrm{K5}-1$ p1(model-season 3)(survey-2)(segment 2 ) model-avg-est: 0.7488 se $=0.1551 \mathrm{~K} 5-2$ p1(model-season 3)(survey-2)(segment 3 ) model-avg-est: 0.7358 se $=0.1683 \mathrm{~K} 5-3$ p1(model-season 3)(survey-2)(segment 4) model-avg-est: 0.6362 se= 0.2917 K5-4 p1(model-season 3)(survey-2)(segment 5) model-avg-est: 0.9013 se= 0.0707 L3-1 p1(model-season 3)(survey-2)(segment 6) model-avg-est: $0.9005 \mathrm{se}=0.0708 \mathrm{L3-2}$ p1(model-season 3)(survey-2)(segment 7) model-avg-est: 0.8925 se= 0.0716 L3-3 p1(model-season 3)(survey-2)(segment 8 ) model-avg-est: 0.8800 se= 0.0735 L3-4 p1(model-season 3)(survey-2)(segment 9) model-avg-est: $0.8707 \mathrm{se}=0.0757 \mathrm{L3}-5$ p1(model-season 3)(survey-2)(segment 10) model-avg-est: $0.8707 \mathrm{se}=0.0757 \mathrm{L3}-6$ p1(model-season 3)(survey-2)(segment 11) model-avg-est: 0.8800 se $=0.0735$ L3-7 p1(model-season 3)(survey-2)(segment 12) model-avg-est: 0.8460 se= 0.0842 L3-8 p1(model-season 3)(survey-2)(segment 13) model-avg-est: 0.8367 se= 0.0885 L3-9 $p 1$ (model-season 3)(survey-2)(segment 14) model-avg-est: $0.7004 \mathrm{se}=0.2080 \mathrm{L3}-10$ p1(model-season 3)(survey-2)(segment 15) model-avg-est: 0.8538 se= 0.0811 L3-11 $p 1$ (model-season 3)(survey-2)(segment 16) model-avg-est: 0.7294 se= 0.1751 L3-12 $p 1$ (model-season 3)(survey-2)(segment 17) model-avg-est: $0.8507 \mathrm{se}=0.0823 \mathrm{L3}-13$ p1(model-season 3)(survey-2)(segment 18) model-avg-est: 0.8831 se $=0.0730$ L2-1 p1(model-season 3)(survey-2)(segment 19) model-avg-est: 0.8831 se $=0.0730$ L2-2 p1(model-season 3)(survey-2)(segment 20) model-avg-est: 0.8893 se $=0.0720$ L2-3 p1(model-season 3)(survey-2)(segment 21) model-avg-est: 0.8600 se $=0.0789$ L2-4 p1(model-season 3)(survey-2)(segment 22) model-avg-est: 0.6092 se $=0.3304$ L2-5 p1(model-season 3)(survey-2)(segment 23) model-avg-est: 0.6092 se= 0.3304 L2-6 p1(model-season 3)(survey-2)(segment 24) model-avg-est: 0.6092 se= 0.3304 L2-7 p1(model-season 3)(survey-2)(segment 25) model-avg-est: $0.8784 \mathrm{se}=0.0739 \mathrm{L2-8}$ p1(model-season 3)(survey-2)(segment 26) model-avg-est: 0.8753 se $=0.0746$ L2-9 p1(model-season 3)(survey-2)(segment 27) model-avg-est: 0.8600 se= 0.0789 L2-10 p1(model-season 3)(survey-2)(segment 28) model-avg-est: 0.8878 se= 0.0722 L1B-1 p1(model-season 3)(survey-2)(segment 29) model-avg-est: 0.8909 se= 0.0718 L1B-2 $p 1$ (model-season 3)(survey-2)(segment 30 ) model-avg-est: 0.8630 se= 0.0779 L1B-3 p1(model-season 3)(survey-2)(segment 31) model-avg-est: 0.8445 se= 0.0849 L1A-1 p1(model-season 3)(survey-2)(segment 32) model-avg-est: 0.8131 se= 0.1020 L1A-2 $p 1$ (model-season 3)(survey-2)(segment 33) model-avg-est: 0.8429 se $=0.0856$ L1A-3 $p 1$ (model-season 3)(survey-2)(segment 34) model-avg-est: 0.7342 se= 0.1700 L1A-4 p1(model-season 3)(survey-2)(segment 35) model-avg-est: 0.6092 se= 0.3304 L1A-5 $p 1$ (model-season 3)(survey-2)(segment 36 ) model-avg-est: $0.8823 \mathrm{se}=0.0731$ L1A-6 p1(model-season 3)(survey-2)(segment 37) model-avg-est: 0.8630 se= 0.0779 L1A-7 $p 1$ (model-season 3)(survey-2)(segment 38) model-avg-est: $0.8769 \mathrm{se}=0.0742$ L1A-8 p1(model-season 3)(survey-2)(segment 39) model-avg-est: $0.8476 \mathrm{se}=0.0836 \mathrm{L1A}-9$ p1(model-season 3)(survey-2)(segment 40) model-avg-est: 0.8273 se= 0.0935 L1A-10 $p 1$ (model-season 3)(survey-2)(segment 41) model-avg-est: 0.8538 se= $0.0811 \mathrm{M} 4-1$ p1(model-season 3)(survey-2)(segment 42) model-avg-est: $0.8941 \mathrm{se}=0.0714 \mathrm{M} 4-2$ p1(model-season 3)(survey-2)(segment 43) model-avg-est: $0.8677 \mathrm{se}=0.0765 \mathrm{M} 4-3$ $p 1$ (model-season 3)(survey-2)(segment 44) model-avg-est: $0.8800 \mathrm{se}=0.0735 \mathrm{M} 4-4$ p1(model-season 3)(survey-2)(segment 45) model-avg-est: 0.8753 se= $0.0746 \mathrm{M} 4-5$ $p 1$ (model-season 3)(survey-2)(segment 46) model-avg-est: $0.8661 \mathrm{se}=0.0770 \mathrm{M} 4-6$ p1(model-season 3)(survey-2)(segment 47) model-avg-est: $0.8569 \mathrm{se}=0.0800 \mathrm{M} 4-7$ p1(model-season 3)(survey-2)(segment 48) model-avg-est: 0.8445 se= $0.0849 \mathrm{M} 4-8$ $p 1$ (model-season 3)(survey-2)(segment 49) model-avg-est: 0.8320 se= $0.0909 \mathrm{M} 4-9$ p1(model-season 3)(survey-2)(segment 50) model-avg-est: 0.8178 se= $0.0991 \mathrm{M} 4-10$ p1(model-season 3)(survey-2)(segment 51) model-avg-est: 0.8707 se= $0.0757 \mathrm{M} 3-1$ p1(model-season 3)(survey-2)(segment 52) model-avg-est: 0.8210 se $=0.0971 \mathrm{M} 3-2$ p1(model-season 3)(survey-2)(segment 53) model-avg-est: $0.8460 \mathrm{se}=0.0842 \mathrm{M3}-3$ p1(model-season 3)(survey-2)(segment 54) model-avg-est: $0.8083 \mathrm{se}=0.1052 \mathrm{M} 3-4$ $p 1$ (model-season 3)(survey-2)(segment 55) model-avg-est: $0.7940 \mathrm{se}=0.1155 \mathrm{M} 3-5$ p1(model-season 3)(survey-2)(segment 56) model-avg-est: $0.8723 \mathrm{se}=0.0753 \mathrm{M} 2-1$ p1(model-season 3)(survey-2)(segment 57) model-avg-est: 0.8336 se $=0.0901 \mathrm{M} 2-2$ p1(model-season 3)(survey-2)(segment 58) model-avg-est: $0.8320 \mathrm{se}=0.0909 \mathrm{M} 2-3$ p1(model-season 3)(survey-2)(segment 59) model-avg-est: 0.8257 se= $0.0944 \mathrm{M} 2-4$
p1(model-season 3)(survey-2)(segment 60) model-avg-est: 0.8226 se $=0.0962 \mathrm{M} 2-5$ p1(model-season 3)(survey-2)(segment 61) model-avg-est: 0.8115 se= $0.1031 \mathrm{M} 2-6$ p1(model-season 3)(survey-2)(segment 62) model-avg-est: $0.8553 \mathrm{se}=0.0806 \mathrm{M} 1-1$ p1 (model-season 3)(survey-2)(segment 63) model-avg-est: 0.8569 se= $0.0800 \mathrm{M1}-2$ p1(model-season 3)(survey-2)(segment 64) model-avg-est: 0.8522 se= $0.0817 \mathrm{M} 1-3$ p1(model-season 3)(survey-2)(segment 65) model-avg-est: $0.7924 \mathrm{se}=0.1167 \mathrm{M} 1-4$ $p 1$ (model-season 3)(survey-2)(segment 66) model-avg-est: 0.8194 se= $0.0981 \mathrm{M} 1-5$ $p 1$ (model-season 3)(survey-2)(segment 67) model-avg-est: 0.8242 se $=0.0953 \mathrm{M} 1-6$ p1(model-season 3)(all-surveys)(avg.all segments) model-avg-est: $0.7551 \mathrm{sd}=0.0 .1122$
$p 1$ (model-season 4)(survey-1)(segment 1 ) model-avg-est: $0.1794 \mathrm{se}=0.1075 \mathrm{K5}-1$ p1(model-season 4)(survey-1)(segment 2 ) model-avg-est: 0.1015 se= $0.1005 \mathrm{~K} 5-2$ p1(model-season 4)(survey-1)(segment 3) model-avg-est: $0.1410 \mathrm{se}=0.1000 \mathrm{~K} 5-3$ p1(model-season 4)(survey-1)(segment 4) model-avg-est: 0.1794 se $=0.1075 \mathrm{K5} 5$ p1(model-season 4)(survey-1)(segment 5) model-avg-est: 0.3417 se= 0.2259 L3-1 p1(model-season 4)(survey-1)(segment 6) model-avg-est: $0.2559 \mathrm{se}=0.1473 \mathrm{L3}-2$ p1(model-season 4)(survey-1)(segment 7) model-avg-est: $0.2057 \mathrm{se}=0.1175$ L3-3 p1(model-season 4)(survey-1)(segment 8 ) model-avg-est: 0.1937 se= 0.1125 L3-4 p1(model-season 4)(survey-1)(segment 9) model-avg-est: $0.2007 \mathrm{se}=0.1153 \mathrm{L3-5}$ p1(model-season 4)(survey-1)(segment 10) model-avg-est: 0.2057 se= 0.1175 L3-6 p1(model-season 4)(survey-1)(segment 11) model-avg-est: 0.2083 se= 0.1188 L3-7 p1(model-season 4)(survey-1)(segment 12) model-avg-est: 0.1758 se= 0.1064 L3-8 p1(model-season 4)(survey-1)(segment 13) model-avg-est: 0.1454 se= $0.1005 \mathrm{L3-9}$ p1(model-season 4)(survey-1)(segment 14) model-avg-est: 0.1241 se= 0.0993 L3-10 $p 1$ (model-season 4)(survey-1)(segment 15) model-avg-est: 0.1873 se $=0.1101 \mathrm{L3}-11$ $p 1$ (model-season 4)(survey-1)(segment 16) model-avg-est: 0.0957 se= 0.1010 L3-12 $p 1$ (model-season 4)(survey-1)(segment 17) model-avg-est: 0.1852 se= 0.1094 L3-13 p1(model-season 4)(survey-1)(segment 18) model-avg-est: 0.1873 se= 0.1101 L2-1 p1 (model-season 4)(survey-1)(segment 19) model-avg-est: 0.2110 se= 0.1200 L2-2 p1(model-season 4)(survey-1)(segment 20) model-avg-est: 0.1758 se $=0.1064 \mathrm{L2}-3$ p1 (model-season 4)(survey-1)(segment 21) model-avg-est: $0.2007 \mathrm{se}=0.1153 \mathrm{L2-4}$ p1(model-season 4)(survey-1)(segment 22) model-avg-est: 0.0767 se= 0.1030 L2-5 $p 1$ (model-season 4)(survey-1)(segment 23) model-avg-est: $0.0767 \mathrm{se}=0.1030 \mathrm{L2}-6$ p1(model-season 4)(survey-1)(segment 24) model-avg-est: 0.0767 se= 0.1030 L2-7 p1(model-season 4)(survey-1)(segment 25) model-avg-est: $0.1852 \mathrm{se}=0.1094 \mathrm{L2-8}$ p1(model-season 4)(survey-1)(segment 26) model-avg-est: $0.2007 \mathrm{se}=0.1153 \mathrm{L2-9}$ $p 1$ (model-season 4)(survey-1)(segment 27) model-avg-est: 0.1852 se= 0.1094 L2-10 $p 1$ (model-season 4)(survey-1)(segment 28) model-avg-est: 0.1915 se $=0.1116$ L1B-1 p1(model-season 4)(survey-1)(segment 29) model-avg-est: 0.2110 se= 0.1200 L1B-2 p1(model-season 4)(survey-1)(segment 30) model-avg-est: 0.1740 se= 0.1059 L1B-3 $p 1$ (model-season 4)(survey-1)(segment 31) model-avg-est: 0.1555 se $=0.1018$ L1A-1 $p 1$ (model-season 4)(survey-1)(segment 32) model-avg-est: 0.1529 se= 0.1014 L1A-2 p1(model-season 4)(survey-1)(segment 33) model-avg-est: 0.2007 se= 0.1153 L1A-3 p1(model-season 4)(survey-1)(segment 34) model-avg-est: 0.1249 se $=0.0993$ L1A-4 p1(model-season 4)(survey-1)(segment 35) model-avg-est: 0.0874 se= 0.1019 L1A-5 p1(model-season 4)(survey-1)(segment 36) model-avg-est: 0.2494 se $=0.1427$ L1A-6 p1(model-season 4)(survey-1)(segment 37) model-avg-est: 0.2032 se= 0.1164 L1A-7 p1(model-season 4)(survey-1)(segment 38) model-avg-est: 0.2007 se= 0.1153 L1A-8 $p 1$ (model-season 4)(survey-1)(segment 39) model-avg-est: 0.1657 se $=0.1039$ L1A-9 p1(model-season 4)(survey-1)(segment 40) model-avg-est: 0.1432 se= 0.1002 L1A-10 p1(model-season 4)(survey-1)(segment 41) model-avg-est: 0.1723 se= $0.1055 \mathrm{M} 4-1$ p1(model-season 4)(survey-1)(segment 42) model-avg-est: $0.2007 \mathrm{se}=0.1153 \mathrm{M} 4-2$ p1(model-season 4)(survey-1)(segment 43) model-avg-est: 0.2138 se= $0.1214 \mathrm{M} 4-3$ $p 1$ (model-season 4)(survey-1)(segment 44) model-avg-est: $0.1983 \mathrm{se}=0.1143 \mathrm{M} 4-4$ p1(model-season 4)(survey-1)(segment 45) model-avg-est: $0.2166 \mathrm{se}=0.1229 \mathrm{M} 4-5$ p1(model-season 4)(survey-1)(segment 46) model-avg-est: 0.1915 se= $0.1116 \mathrm{M} 4-6$ $p 1$ (model-season 4)(survey-1)(segment 47) model-avg-est: 0.1960 se= $0.1134 \mathrm{M} 4-7$ p1(model-season 4)(survey-1)(segment 48) model-avg-est: 0.1583 se= $0.1024 \mathrm{M} 4-8$ p1(model-season 4)(survey-1)(segment 49) model-avg-est: 0.1705 se= $0.1050 \mathrm{M} 4-9$ p1(model-season 4)(survey-1)(segment 50 ) model-avg-est: 0.1542 se $=0.1016 \mathrm{M} 4-10$ p1(model-season 4)(survey-1)(segment 51) model-avg-est: 0.1873 se= $0.1101 \mathrm{M} 3-1$ p1(model-season 4)(survey-1)(segment 52) model-avg-est: 0.1410 se $=0.1000 \mathrm{M3}-2$ p1(model-season 4)(survey-1)(segment 53) model-avg-est: $0.1503 \mathrm{se}=0.1011 \mathrm{M} 3-3$ p1(model-season 4)(survey-1)(segment 54) model-avg-est: 0.1283 se= $0.0994 \mathrm{M} 3-4$ p1(model-season 4)(survey-1)(segment 55) model-avg-est: $0.1225 \mathrm{se}=0.0994 \mathrm{M} 3-5$ p1(model-season 4)(survey-1)(segment 56) model-avg-est: $0.1915 \mathrm{se}=0.1116 \mathrm{M} 2-1$ p1(model-season 4)(survey-1)(segment 57) model-avg-est: 0.1338 se= $0.0995 \mathrm{M} 2-2$ p1(model-season 4)(survey-1)(segment 58) model-avg-est: $0.1399 \mathrm{se}=0.0999 \mathrm{M} 2-3$ p1(model-season 4)(survey-1)(segment 59) model-avg-est: $0.1627 \mathrm{se}=0.1032 \mathrm{M} 2-4$ p1(model-season 4)(survey-1)(segment 60) model-avg-est: 0.1627 se= $0.1032 \mathrm{M} 2-5$ p1(model-season 4)(survey-1)(segment 61) model-avg-est: 0.1420 se $=0.1001 \mathrm{M} 2-6$ $p 1$ (model-season 4)(survey-1)(segment 62) model-avg-est: 0.1673 se= $0.1042 \mathrm{M} 1-1$ p1(model-season 4)(survey-1)(segment 63) model-avg-est: $0.1937 \mathrm{se}=0.1125 \mathrm{M} 1-2$ p1(model-season 4)(survey-1)(segment 64) model-avg-est: $0.1657 \mathrm{se}=0.1039 \mathrm{M} 1-3$ p1(model-season 4)(survey-1)(segment 65) model-avg-est: 0.1275 se= $0.0994 \mathrm{M} 1-4$
p1(model-season 4)(survey-1)(segment 66) model-avg-est: 0.1555 se= 0.1018 M1-5 $p 1$ (model-season 4)(survey-1)(segment 67) model-avg-est: $0.1399 \mathrm{se}=0.0999 \mathrm{M} 1-6$ p1(model-season 4)(survey-2)(segment 1) model-avg-est: 0.3388 se= $0.1642 \mathrm{K5}-1$ p1(model-season 4)(survey-2)(segment 2) model-avg-est: 0.2021 se= $0.1601 \mathrm{~K} 5-2$ p1(model-season 4)(survey-2)(segment 3 ) model-avg-est: $0.2756 \mathrm{se}=0.1530 \mathrm{~K} 5-3$ p1(model-season 4)(survey-2)(segment 4) model-avg-est: 0.3388 se= $0.1642 \mathrm{K5}-4$ p1(model-season 4)(survey-2)(segment 5) model-avg-est: 0.5406 se= 0.3119 L3-1 p1(model-season 4)(survey-2)(segment 6) model-avg-est: $0.4449 \mathrm{se}=0.2220 \mathrm{L3}-2$ p1(model-season 4)(survey-2)(segment 7) model-avg-est: 0.3779 se= 0.1799 L3-3 p1(model-season 4)(survey-2)(segment 8 ) model-avg-est: 0.3605 se $=0.1721$ L3-4 p1(model-season 4)(survey-2)(segment 9) model-avg-est: $0.3707 \mathrm{se}=0.1765 \mathrm{L3}-5$ p1(model-season 4)(survey-2)(segment 10) model-avg-est: 0.3779 se= 0.1799 L3-6 p1(model-season 4)(survey-2)(segment 11) model-avg-est: 0.3816 se= 0.1817 L3-7 p1(model-season 4)(survey-2)(segment 12) model-avg-est: $0.3331 \mathrm{se}=0.1624 \mathrm{LZ-8}$ p1(model-season 4)(survey-2)(segment 13) model-avg-est: 0.2834 se= 0.1534 L3-9 $p 1$ (model-season 4)(survey-2)(segment 14) model-avg-est: 0.2454 se= 0.1535 L3-10 $p 1$ (model-season 4)(survey-2)(segment 15) model-avg-est: $0.3508 \mathrm{se}=0.1683 \mathrm{L3}-11$ p1(model-season 4)(survey-2)(segment 16) model-avg-est: 0.1905 se= 0.1628 L3-12 $p 1$ (model-season 4)(survey-2)(segment 17) model-avg-est: $0.3477 \mathrm{se}=0.1671 \mathrm{L3-13}$ p1(model-season 4)(survey-2)(segment 18) model-avg-est: 0.3508 se= $0.1683 \mathrm{L2-1}$ p1(model-season 4)(survey-2)(segment 19) model-avg-est: 0.3854 se= 0.1836 L2-2 p1(model-season 4)(survey-2)(segment 20) model-avg-est: 0.3331 se $=0.1624 \mathrm{L2-3}$ p1(model-season 4)(survey-2)(segment 21) model-avg-est: 0.3707 se= 0.1765 L2-4 p1(model-season 4)(survey-2)(segment 22) model-avg-est: 0.1507 se= 0.1736 L2-5 p1 (model-season 4)(survey-2)(segment 23) model-avg-est: $0.1507 \mathrm{se}=0.1736 \mathrm{L2}-6$ p1(model-season 4)(survey-2)(segment 24) model-avg-est: 0.1507 se= 0.1736 L2-7 $p 1$ (model-season 4)(survey-2)(segment 25) model-avg-est: $0.3477 \mathrm{se}=0.1671 \mathrm{L2-8}$ p1(model-season 4)(survey-2)(segment 26) model-avg-est: 0.3707 se= 0.1765 L2-9 $p 1$ (model-season 4)(survey-2)(segment 27) model-avg-est: 0.3477 se= $0.1671 \mathrm{L2-10}$ $p 1$ (model-season 4)(survey-2)(segment 28) model-avg-est: $0.3572 \mathrm{se}=0.1707 \mathrm{L1B}-1$ p1 (model-season 4)(survey-2)(segment 29) model-avg-est: 0.3854 se= 0.1836 L1B-2 p1(model-season 4)(survey-2)(segment 30) model-avg-est: 0.3303 se= 0.1616 L1B-3 p1 (model-season 4)(survey-2)(segment 31) model-avg-est: $0.3004 \mathrm{se}=0.1553$ L1A-1 p1(model-season 4)(survey-2)(segment 32) model-avg-est: 0.2960 se= 0.1547 L1A-2 p1(model-season 4)(survey-2)(segment 33) model-avg-est: 0.3707 se= 0.1765 L1A-3 p1(model-season 4)(survey-2)(segment 34) model-avg-est: 0.2469 se= 0.1534 L1A-4 p1(model-season 4)(survey-2)(segment 35) model-avg-est: $0.1734 \mathrm{se}=0.1672$ L1A-5 $p 1$ (model-season 4)(survey-2)(segment 36 ) model-avg-est: $0.4368 \mathrm{se}=0.2160$ L1A-6 p1(model-season 4)(survey-2)(segment 37) model-avg-est: 0.3742 se= 0.1781 L1A-7 p1(model-season 4)(survey-2)(segment 38) model-avg-est: 0.3707 se= 0.1765 L1A-8 $p 1$ (model-season 4)(survey-2)(segment 39) model-avg-est: $0.3171 \mathrm{se}=0.1583 \mathrm{~L} 1 \mathrm{~A}-9$ p1(model-season 4)(survey-2)(segment 40) model-avg-est: 0.2794 se= 0.1531 L1A-10 p1(model-season 4)(survey-2)(segment 41) model-avg-est: 0.3276 se= $0.1609 \mathrm{M} 4-1$ p1(model-season 4)(survey-2)(segment 42) model-avg-est: $0.3707 \mathrm{se}=0.1765 \mathrm{M} 4-2$ p1(model-season 4)(survey-2)(segment 43) model-avg-est: 0.3893 se= $0.1857 \mathrm{M} 4-3$ $p 1$ (model-season 4)(survey-2)(segment 44) model-avg-est: $0.3672 \mathrm{se}=0.1749 \mathrm{M} 4-4$ p1(model-season 4)(survey-2)(segment 45) model-avg-est: $0.3933 \mathrm{se}=0.1879 \mathrm{M} 4-5$ $p 1$ (model-season 4)(survey-2)(segment 46) model-avg-est: 0.3572 se= $0.1707 \mathrm{M} 4-6$ $p 1$ (model-season 4)(survey-2)(segment 47) model-avg-est: $0.3638 \mathrm{se}=0.1734 \mathrm{M} 4-7$ p1(model-season 4)(survey-2)(segment 48) model-avg-est: 0.3050 se= $0.1560 \mathrm{M} 4-8$ p1(model-season 4)(survey-2)(segment 49) model-avg-est: 0.3249 se= $0.1602 \mathrm{M} 4-9$ p1(model-season 4)(survey-2)(segment 50) model-avg-est: 0.2982 se $=0.1550 \mathrm{M} 4-10$ p1(model-season 4)(survey-2)(segment 51) model-avg-est: 0.3508 se= $0.1683 \mathrm{M} 3-1$ $p 1$ (model-season 4)(survey-2)(segment 52) model-avg-est: $0.2756 \mathrm{se}=0.1530 \mathrm{M3}-2$ p1(model-season 4)(survey-2)(segment 53) model-avg-est: 0.2916 se= $0.1542 \mathrm{M3}-3$ p1(model-season 4)(survey-2)(segment 54) model-avg-est: 0.2530 se= $0.1530 \mathrm{M} 3-4$ $p 1$ (model-season 4)(survey-2)(segment 55) model-avg-est: $0.2424 \mathrm{se}=0.1538 \mathrm{M} 3-5$ p1(model-season 4)(survey-2)(segment 56) model-avg-est: 0.3572 se= $0.1707 \mathrm{M} 2-1$ p1(model-season 4)(survey-2)(segment 57) model-avg-est: $0.2630 \mathrm{se}=0.1528 \mathrm{M} 2-2$ p1(model-season 4)(survey-2)(segment 58) model-avg-est: 0.2737 se $=0.1529 \mathrm{M} 2-3$ p1(model-season 4)(survey-2)(segment 59) model-avg-est: 0.3121 se= $0.1573 \mathrm{M} 2-4$ $p 1$ (model-season 4)(survey-2)(segment 60) model-avg-est: $0.3121 \mathrm{se}=0.1573 \mathrm{M} 2-5$ $p 1$ (model-season 4)(survey-2)(segment 61) model-avg-est: 0.2775 se= $0.1531 \mathrm{M} 2-6$ p1(model-season 4)(survey-2)(segment 62) model-avg-est: $0.3197 \mathrm{se}=0.1589 \mathrm{M} 1-1$ $p 1$ (model-season 4)(survey-2)(segment 63) model-avg-est: $0.3605 \mathrm{se}=0.1721 \mathrm{M} 1-2$ p1(model-season 4)(survey-2)(segment 64) model-avg-est: 0.3171 se= $0.1583 \mathrm{M} 1-3$ p1(model-season 4)(survey-2)(segment 65) model-avg-est: 0.2515 se= $0.1531 \mathrm{M} 1-4$ p1(model-season 4)(survey-2)(segment 66) model-avg-est: $0.3004 \mathrm{se}=0.1553 \mathrm{M} 1-5$ p1(model-season 4)(survey-2)(segment 67) model-avg-est: $0.2737 \mathrm{se}=0.1529 \mathrm{M1}-6$ p1(model-season 4) (all-surveys) (avg.all segments) model-avg-est: 0.2458 sd= 0.0953
$\delta$ (all model-seasons)(all-surveys) model-avg-est: 0.5936 se= 0.0598
p2(all model-season 1)(all-surveys) model-avg-est: 0.9835 se= 0.0160


[^0]:    * Both $\delta$ and $p 2$ detection parameters were held constant for all model seasons, and were not associated with any ecological covariates. The variance term reported is the standard error as calculated by the delta method.

